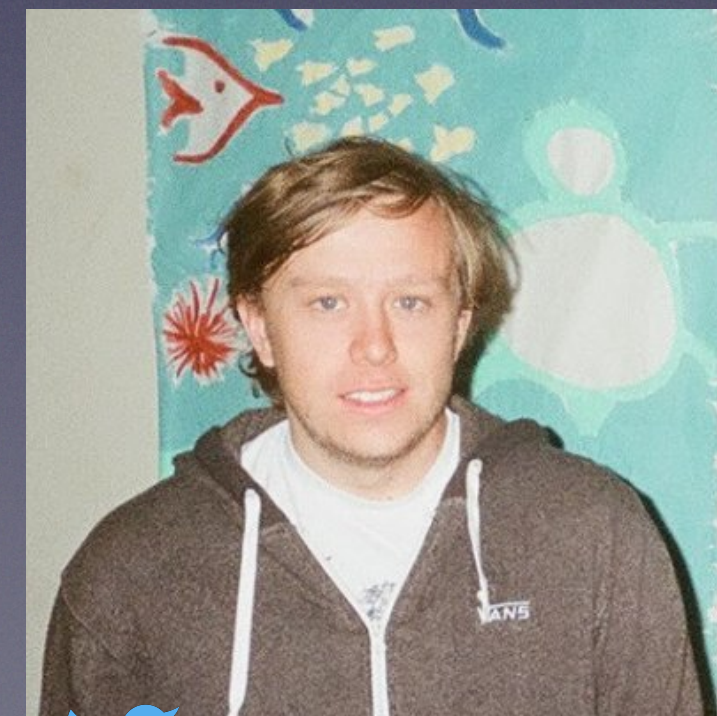



# New physics at low redshift cannot be the sole explanation for the $H_0$ tension



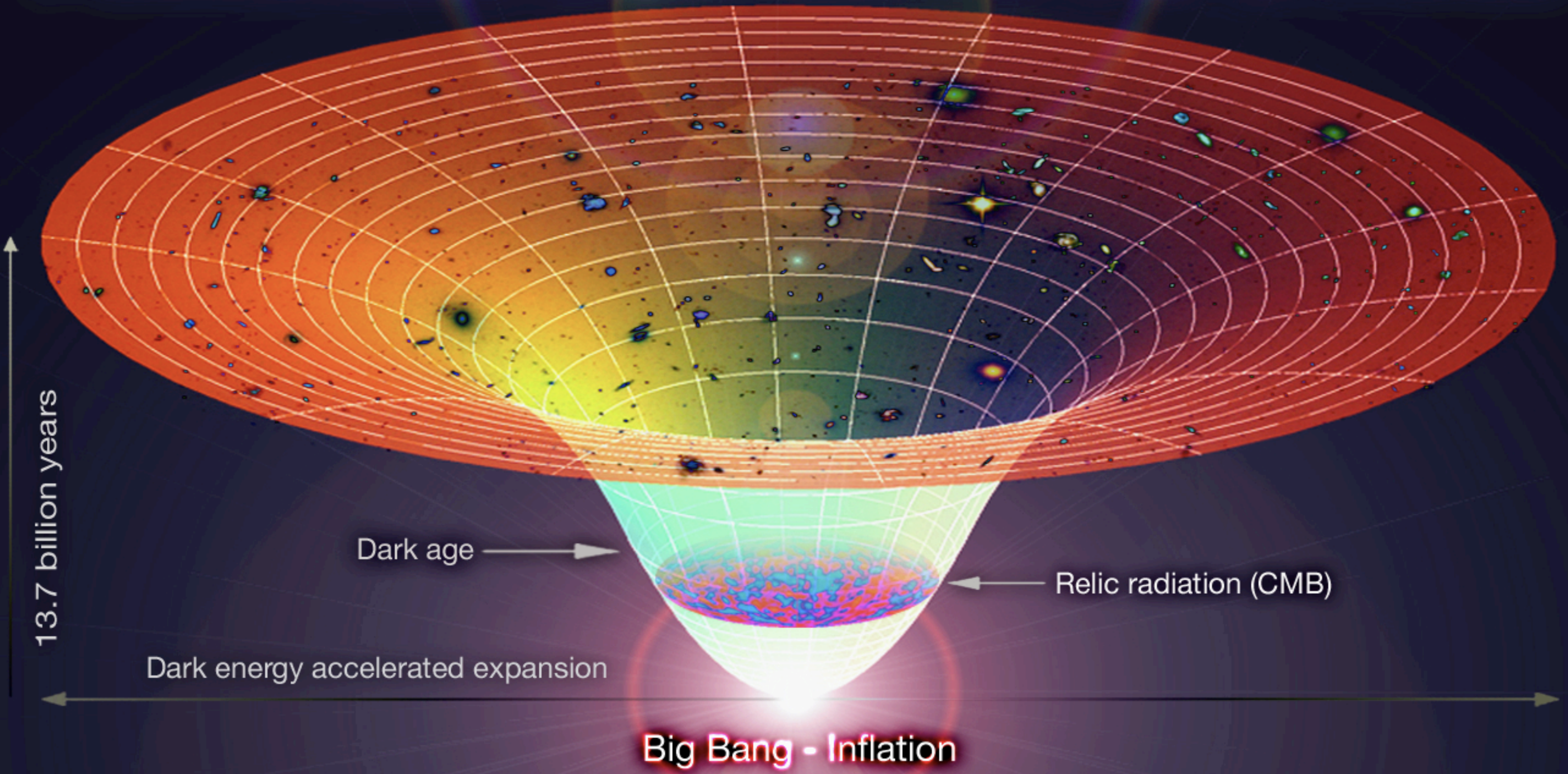
Ryan Keeley

Cosmology From Home  
July 2022



 RyanEKeeley

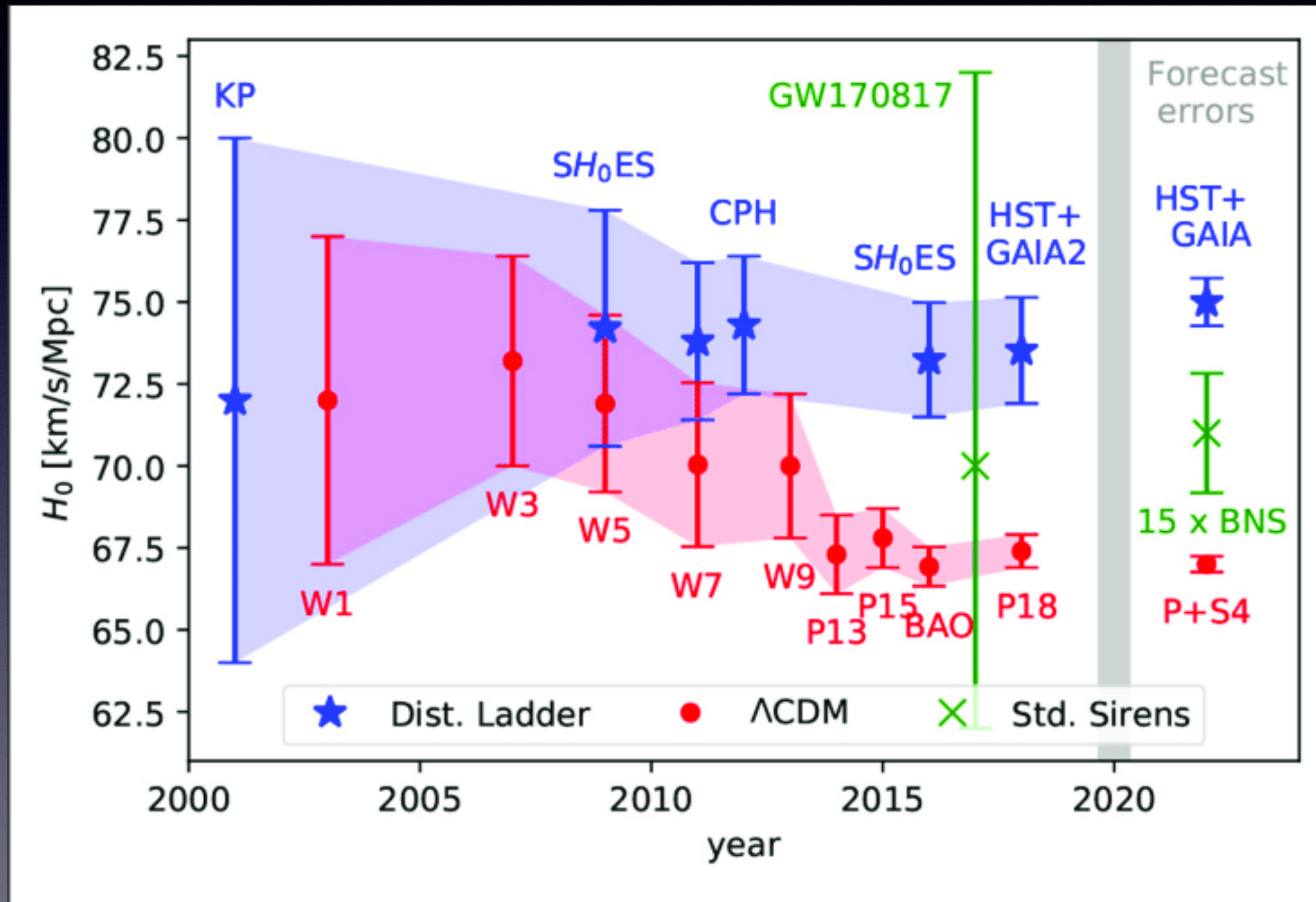
# Accelerated Expansion of the Universe



# Testing the Concordance Model

- $\Lambda$ CDM + GR
- $\Lambda$  - test via low-redshift distances \*
- CDM - test via small scale structure
- GR - test via growth rate measurements
- Inflation - CMB, LSS
- Testing FLRW (homogeneity + isotropy)

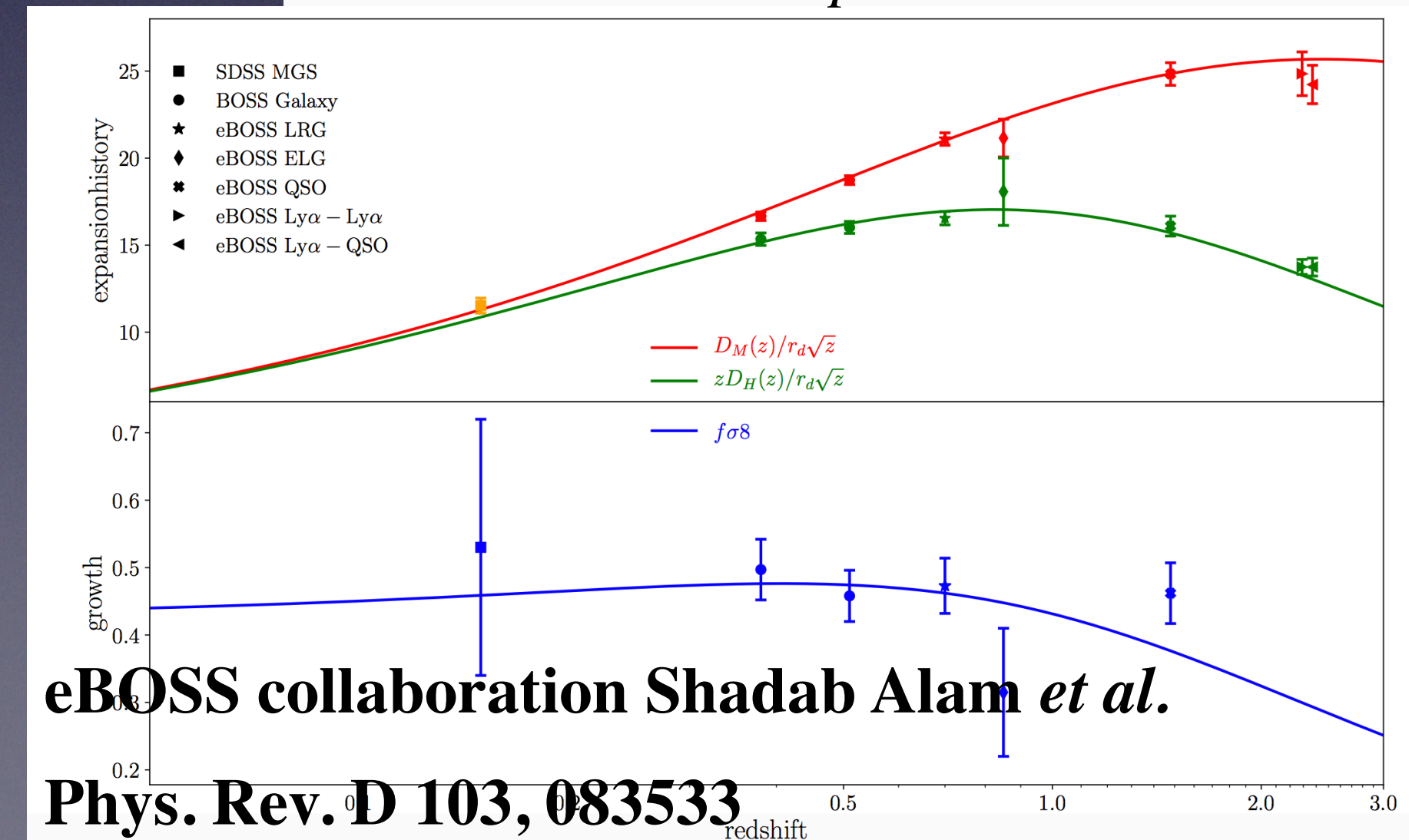
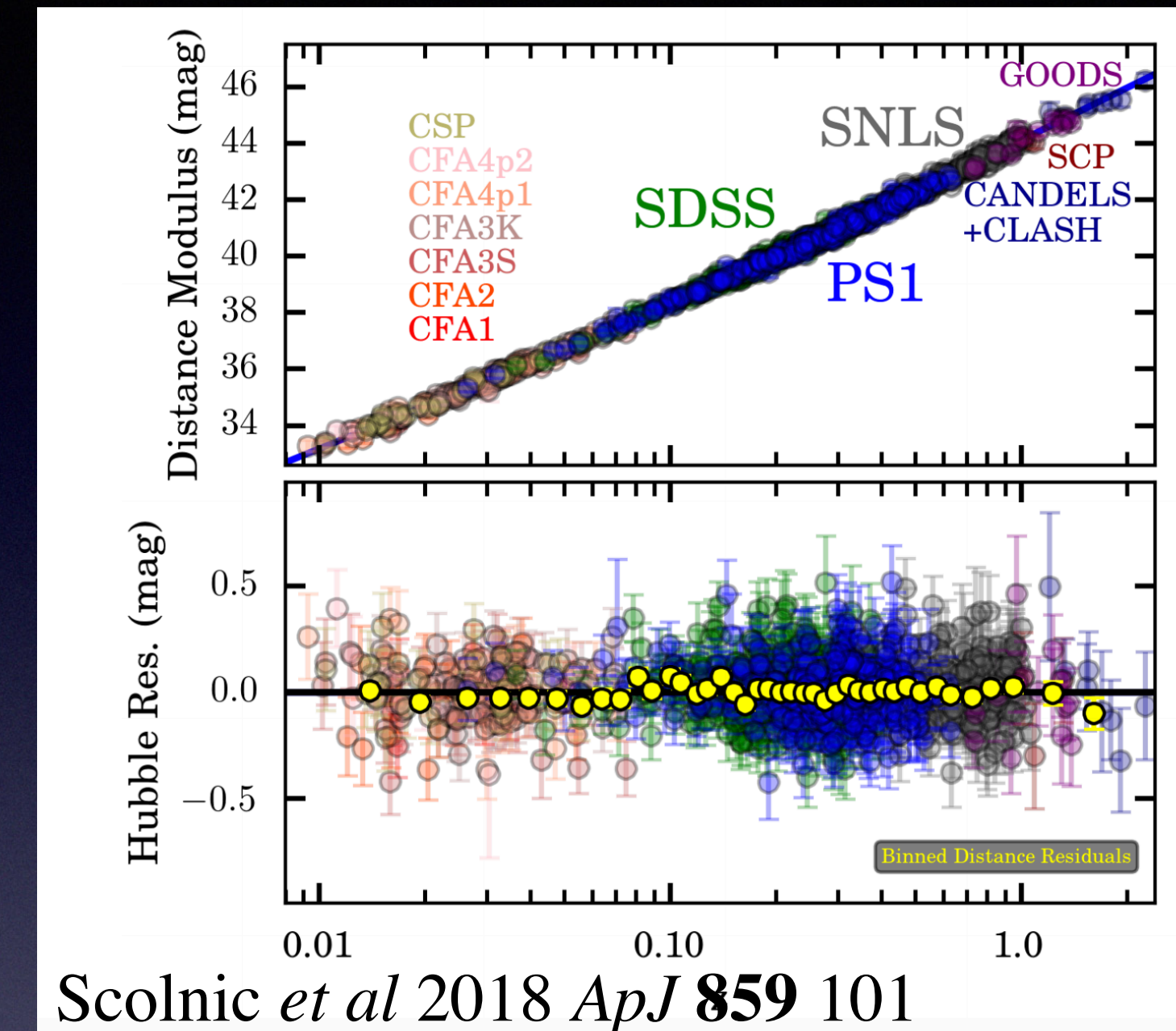
# H0 Tension



- Inferences from the CMB predict  $H(z=0) = 67.36 \pm 0.54$  km/s/Mpc
- Measuring  $H_0$  directly gives  $73.04 \pm 1.04$  km/s/Mpc
- Difference is now at  $>5\text{-}\sigma$ .
- No obvious systematics
- Potentially a challenge for LCDM

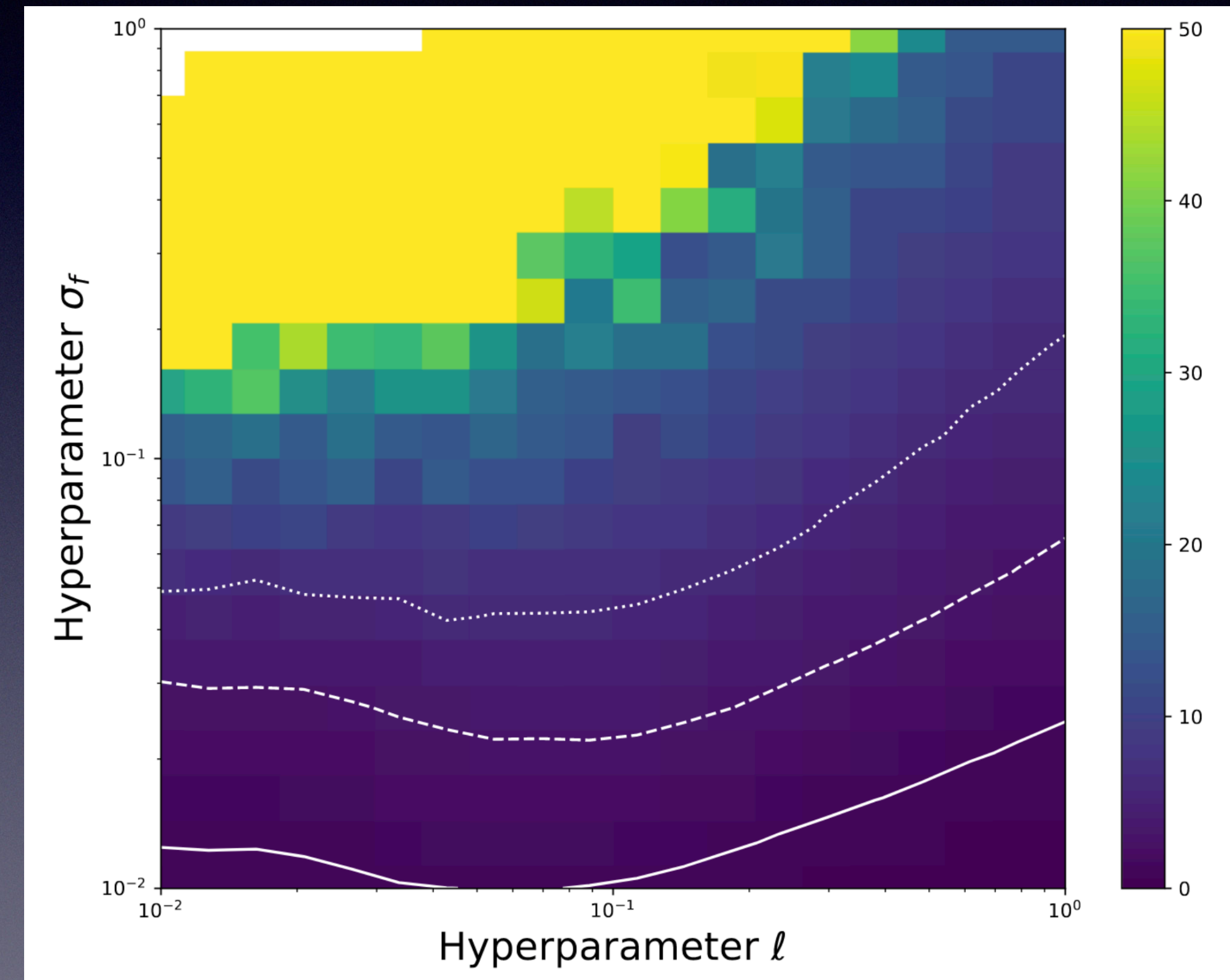
# Guardrails

- BAO measure both  $DA(z)$  and  $H(z)$
- 5 tracers in 7 redshift bins  $z \sim 0.1$  to 2.3
- The curves are predictions from just the Planck data (not fits to the eBOSS data)
- SN measure luminosity distances  $DL(z)$
- 1048 SN from  $z \sim 0.01$  to 2.3
- Both datasets are unanchored and thus cannot tell which value of  $H_0$  is correct
- Can only constrain a mutual scale  $H_0 r_d$
- They can constrain the possible expansion histories that map between  $z=0$  and  $z=z^*$



# Guardrails: important datasets to understand potential solutions

- Joint BAO+SN datasets are consistent with  $\Lambda$ CDM
- Posterior of hyperparameters of GP regression
- $\sigma_f$  controls how different GP reconstruction is from  $\Lambda$ CDM
- If  $\sigma_f$  is consistent with 0  $\rightarrow$   $\Lambda$ CDM is correct



# Case for low-z solutions

- CMB -> Cepheids projection over 3 orders of magnitude in scale factor
- Natural to expect adding new physics between the CMB and today would solve the H0 tension
- The physics at the CMB is non-trivial
- Such solutions inherit the high-redshift successes of LCDM
- CMB does not measure H0 only predicts it
- The CMB constrains H0 via the constraint on  $\theta_s = r_s(z_*)/D_A(z_*)$
- Geometric degeneracy -> there exists  $w(z)$  such that the CMB is well fit and predicts any\* value of H0

# Throwing everything at the wall

- The strategy is to throw whatever extensions to LCDM we can think of at the datasets and see if anything sticks

- Curved CPL -  $w(z) = w_0 + w_a \frac{z}{1+z}$

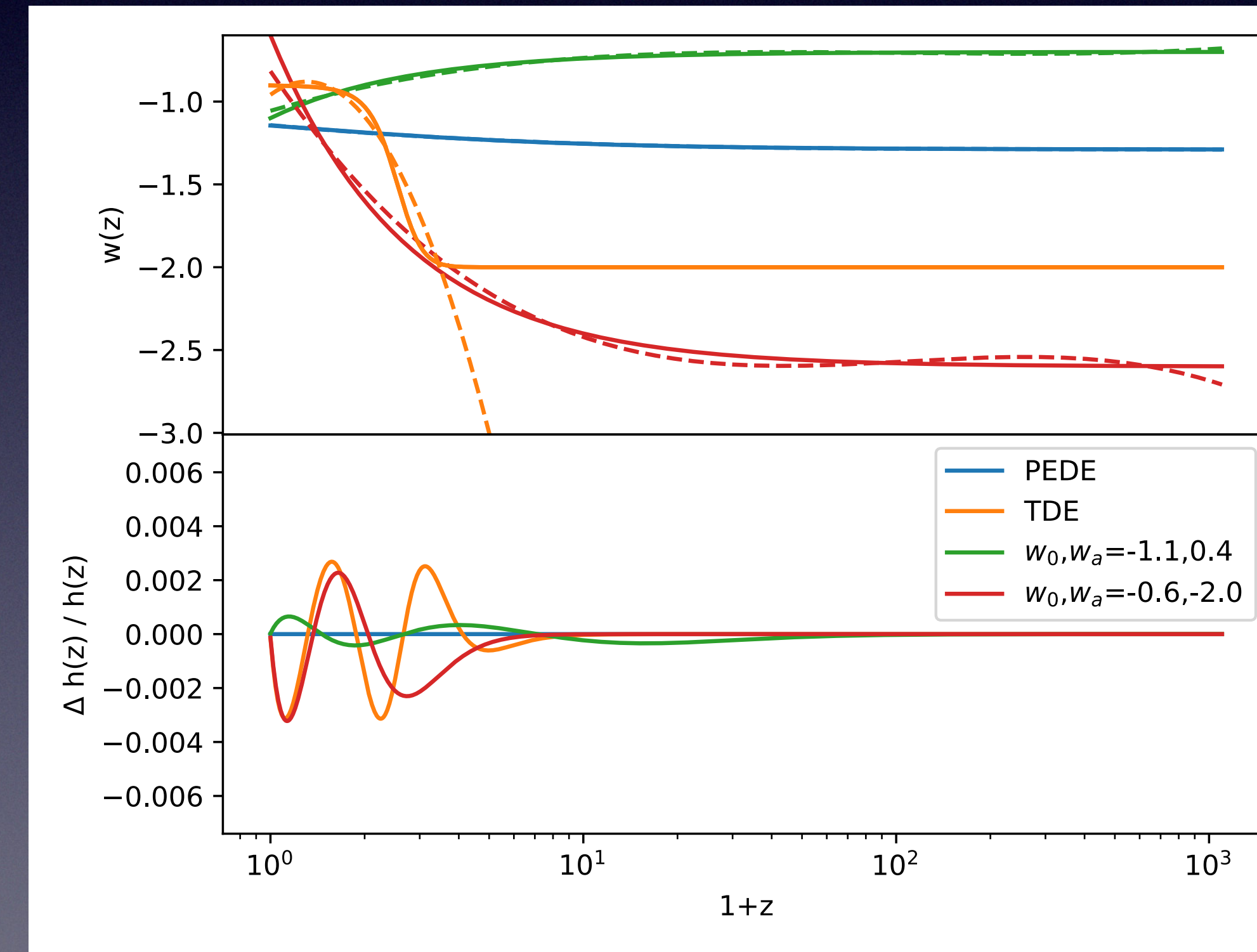
- Chebyshev polynomials -  $w(z) = - \sum_1^4 c_i T_i(x)$ ,  $x = \log(1+z)/\log(1+z_*)$

- GP regression
- If these very broad cases cannot resolve the H0 tension, then we must conclude low-z physics as a whole cannot solve the H0 tension



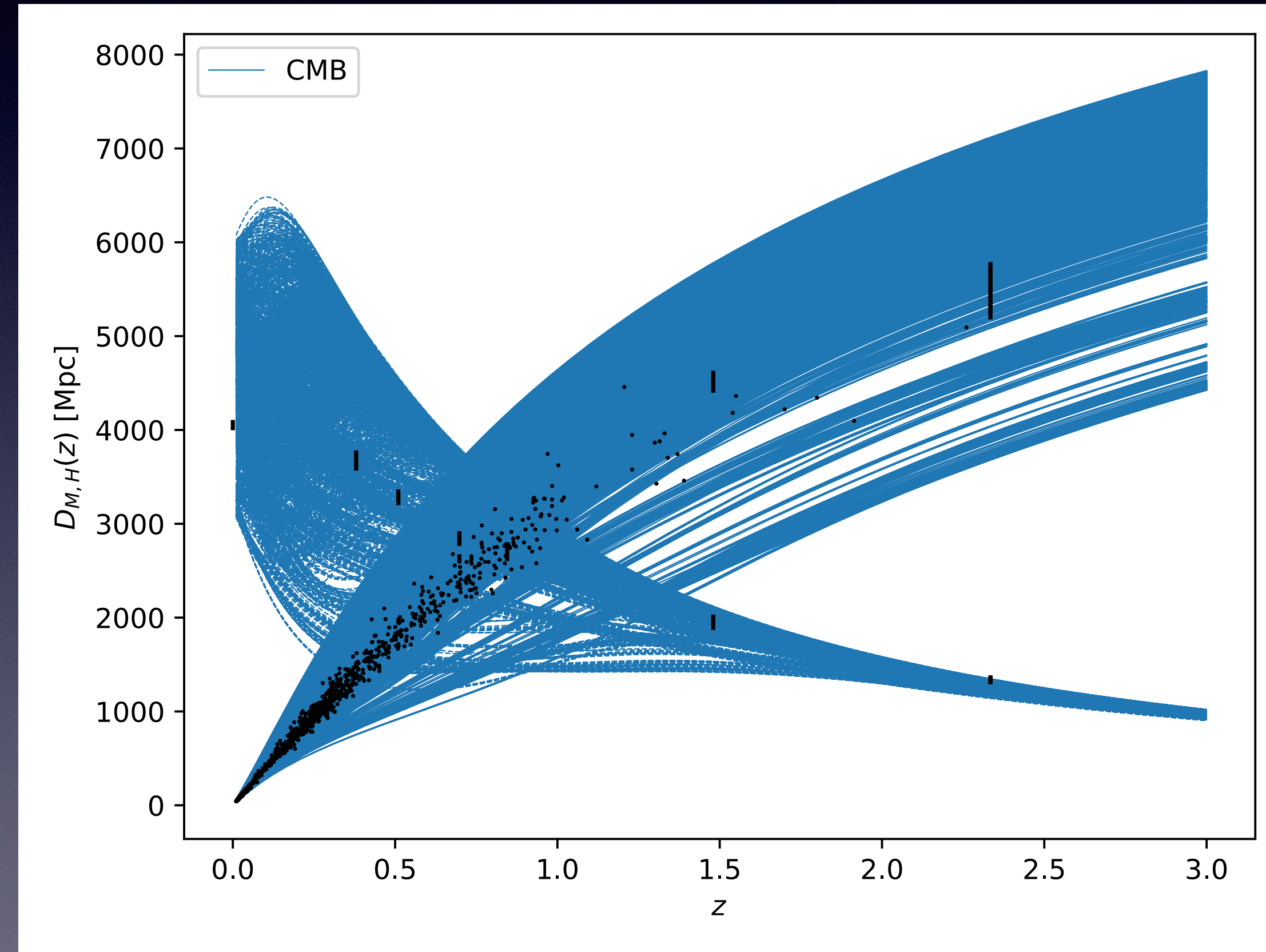
# Matches Example Models

- Chebyshev parametrization is flexible enough to approximate a variety of evolving dark energy models.
- Two such models TDE model and the PEDE model
- PEDE: slowly varying, purely phantom ( $w < -1$ )
- TDE: quickly evolving, transitions between phantom and quintessent ( $w > -1$ )
- PEDE model equation of state can be matched exactly
- TDE equation of state is a less exact match. However, the corresponding  $H(z)$  and  $DM(z)$  values are all within  $<0.5\%$



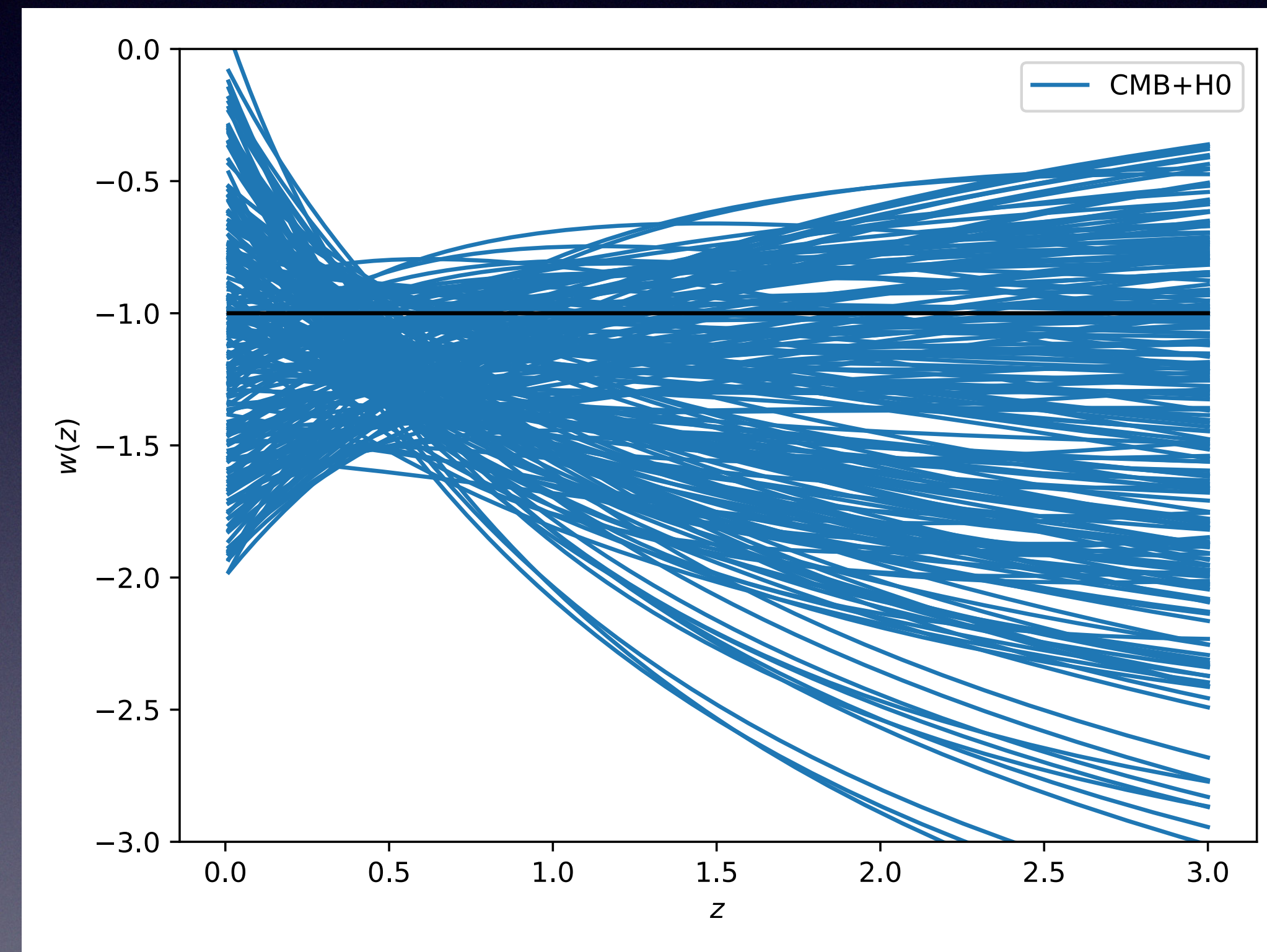
# More Flexible than Data

- Test whether Chebyshev parametrization can bracket the data.
- Whatever cosmological functions ( $H(z)$ ,  $DM(z)$ ) still allowed by data find a sufficiently close match somewhere in the Chebyshev parametrization.
- Calculate posterior predictive distribution of  $DH(z)$  and  $DM(z)$  from CMB data.
- Distribution spans the data  $\rightarrow$  model flexible enough to contain a low-redshift solution to the  $H_0$  tension should one exist.



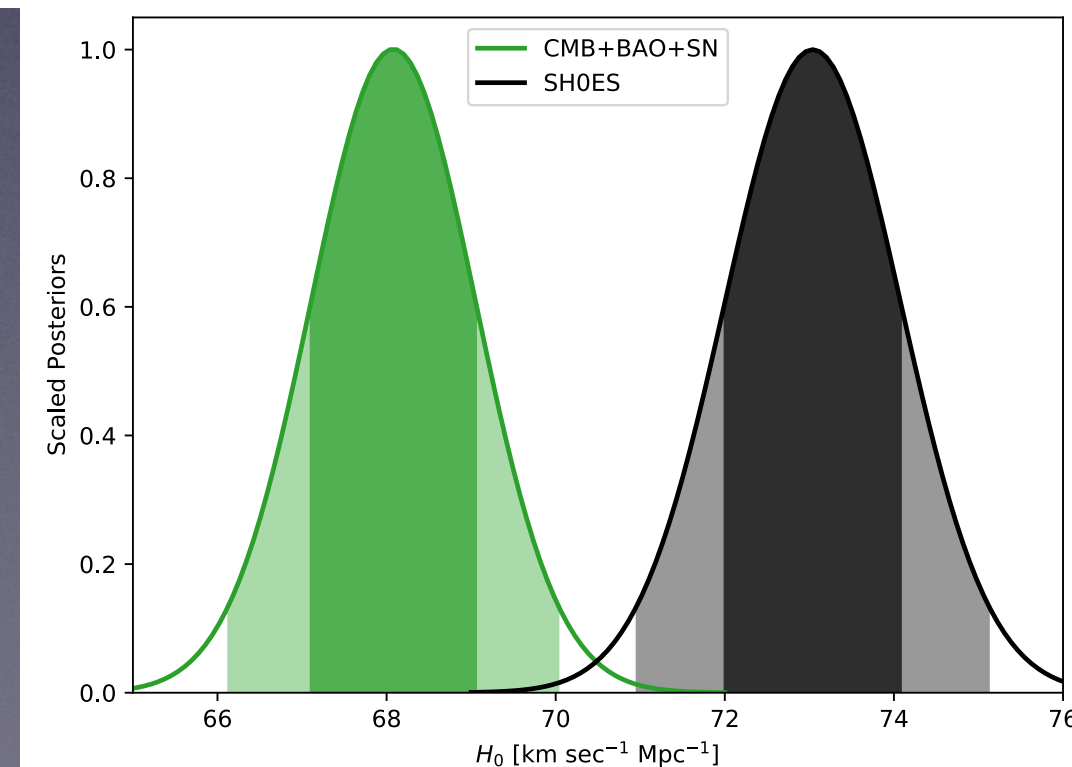
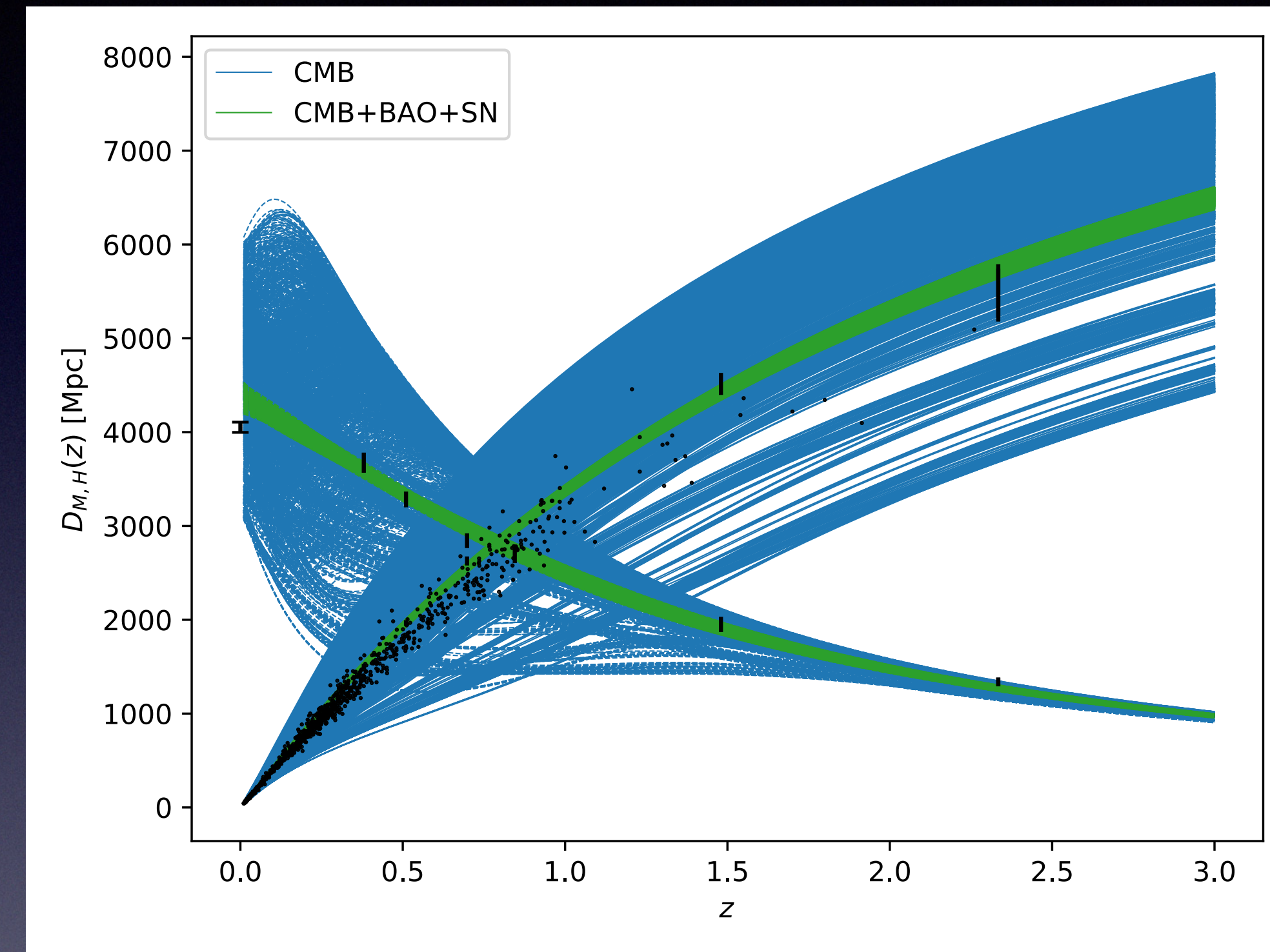
# Example $w(z)$ that match CMB+H0

- PPD of  $w(z)$  from CMB+H0 dataset
- Variety of  $w(z)$  functions that can achieve a H0 value consistent with the SH0ES constraint
- Most examples have a phantom crossing



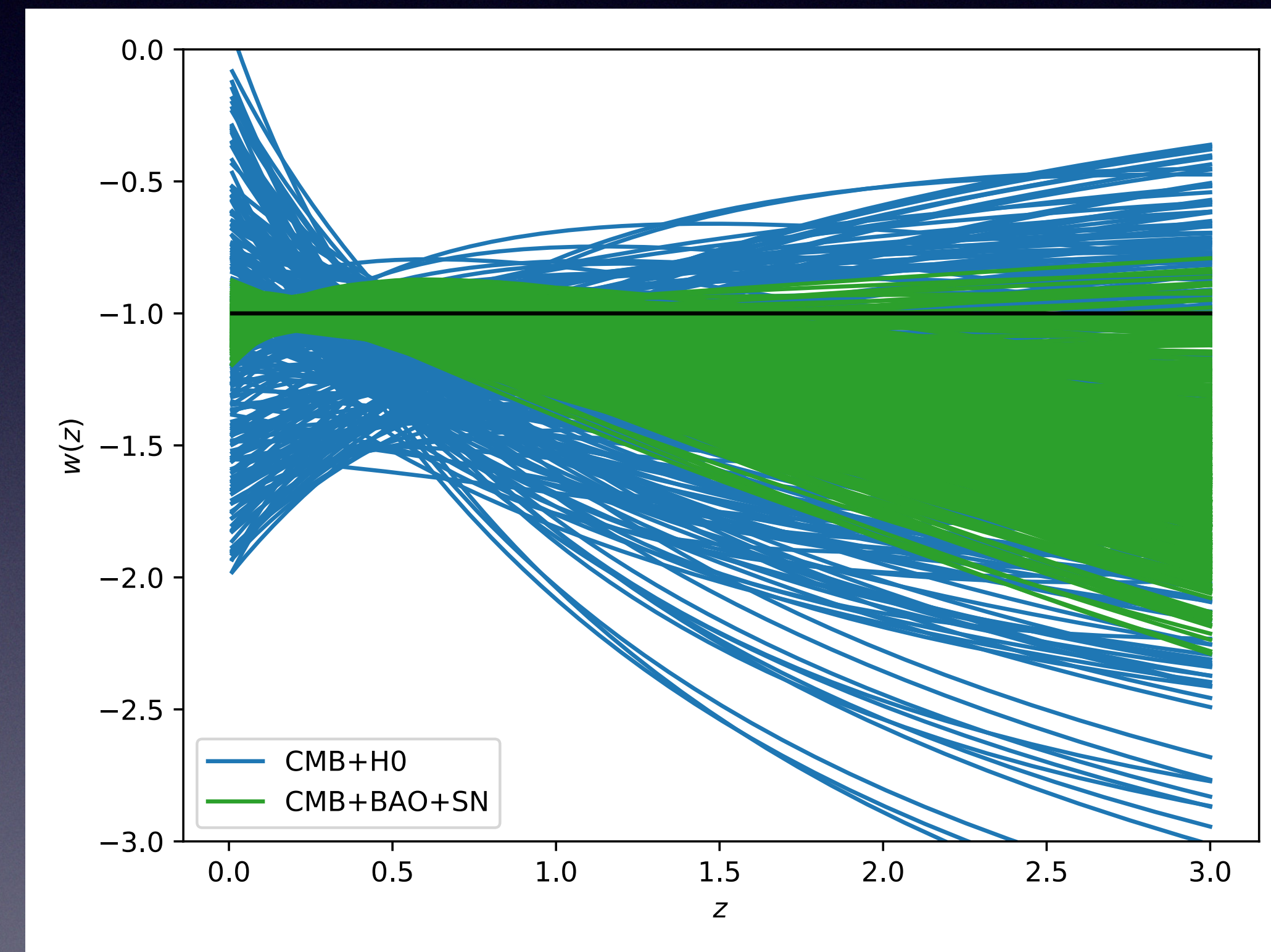
# CMB+SN+H0 constraints

- Test whether solution actually exists.
- Constrain using CMB+BAO+SN datasets
- SH0ES constraint lies outside the PPD
- Find that  $H_0 = 68.08 \pm 0.97$  km/sec/Mpc
- Relaxes tension but does not offer a satisfying solution
- Chebyeshev parametrization does not solve the  $H_0$  tension -> no instance of new physics that only plays a role at low redshift would solve the  $H_0$  tension



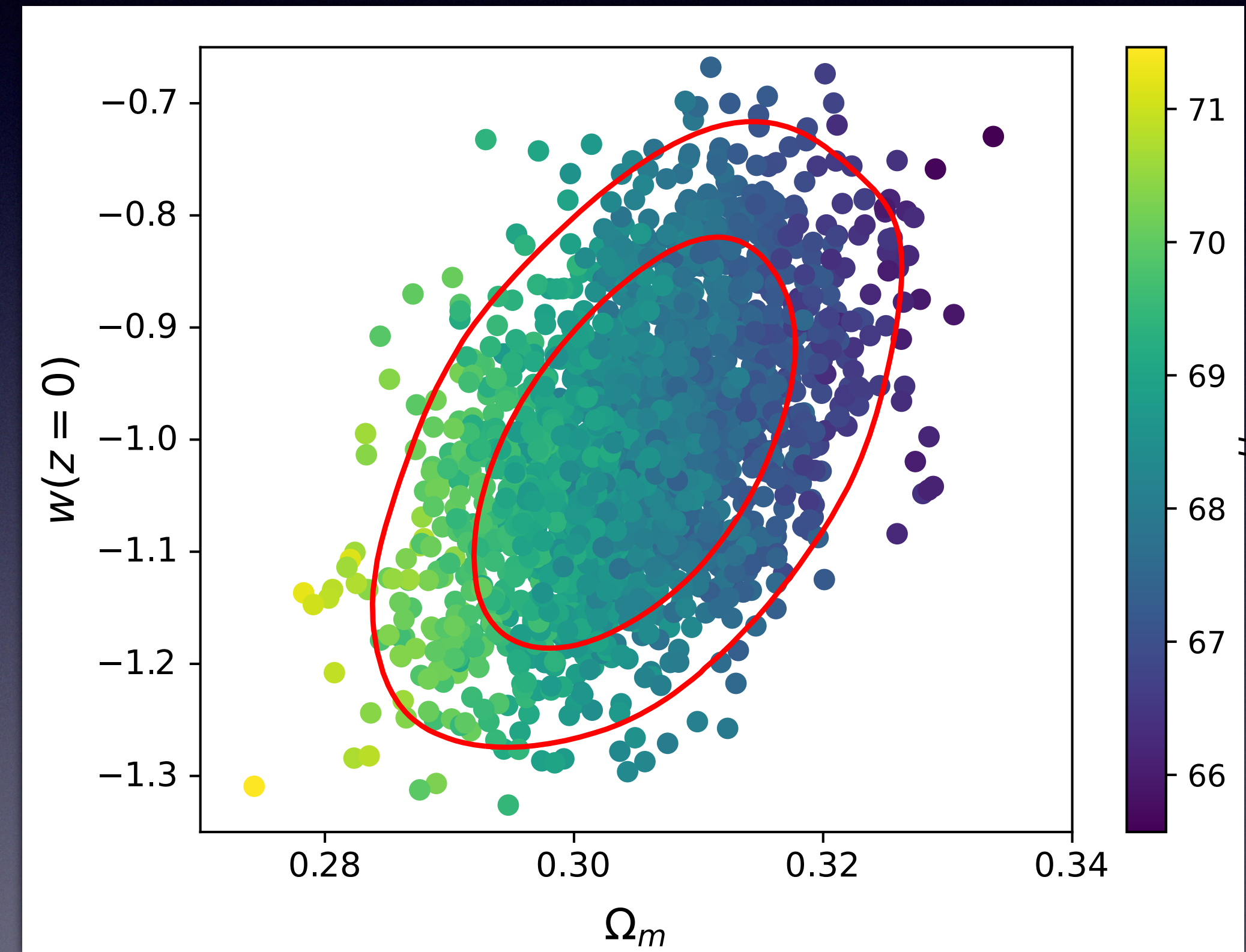
# CMB+SN+H0 in terms of $w(z)$

- PPD for  $w(z)$  using CMB+BAO+SN
- Curves converge around  $w(z)=-1$
- CMB+BAO+SN dataset shows no preference for any deviation from  $\Lambda$ CDM.
- A lot of flexibility still allowed in the phantom regime especially above  $z>1$
- Data become less constraining above  $z>1$
- Dark energy is less dominant above  $z>1$ , and so  $w(z)$  is less relevant for the fit
- For same  $w(z=0)$ ,  $w(z=2)$  can vary from -1 to -2 with only small change in fit



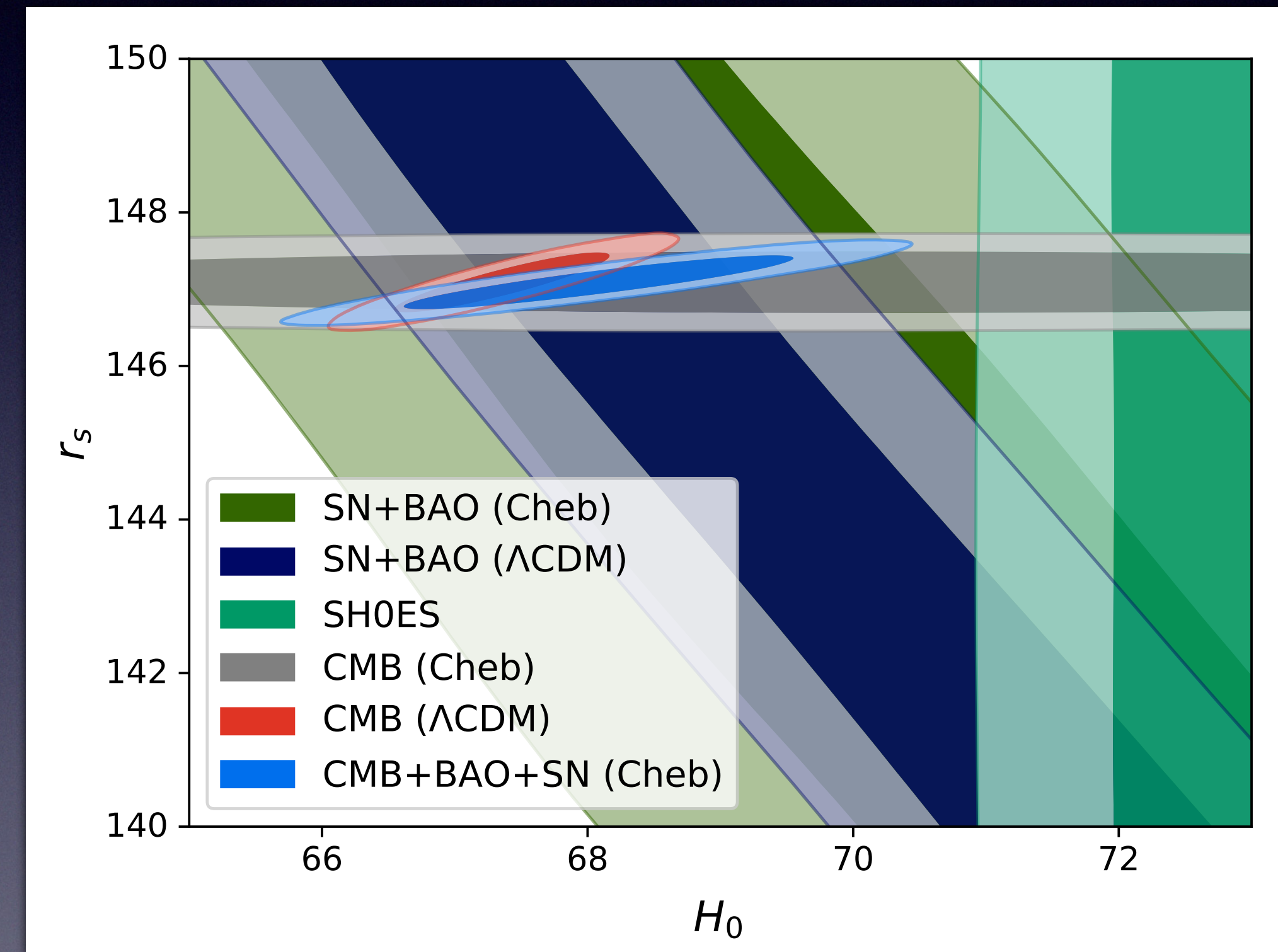
# Correlations

- The extended parameters of the Chebyeshev model are correlated with the standard LCDM model
- posterior for the Chebyeshev model using the joint CMB+BAO+SN dataset.
- $w(z=0)$  is most stringently constrained
- High  $H_0$  value requires a low  $\Omega_m$  value to satisfy the constraint on  $\Omega_m h^2$  from the CMB
- Low  $w(z=0)$  value and a low  $\Omega_m$  value make a poor fit to the SN data which want  $w(z=0)=-1$  and  $\Omega_m \sim 0.3$



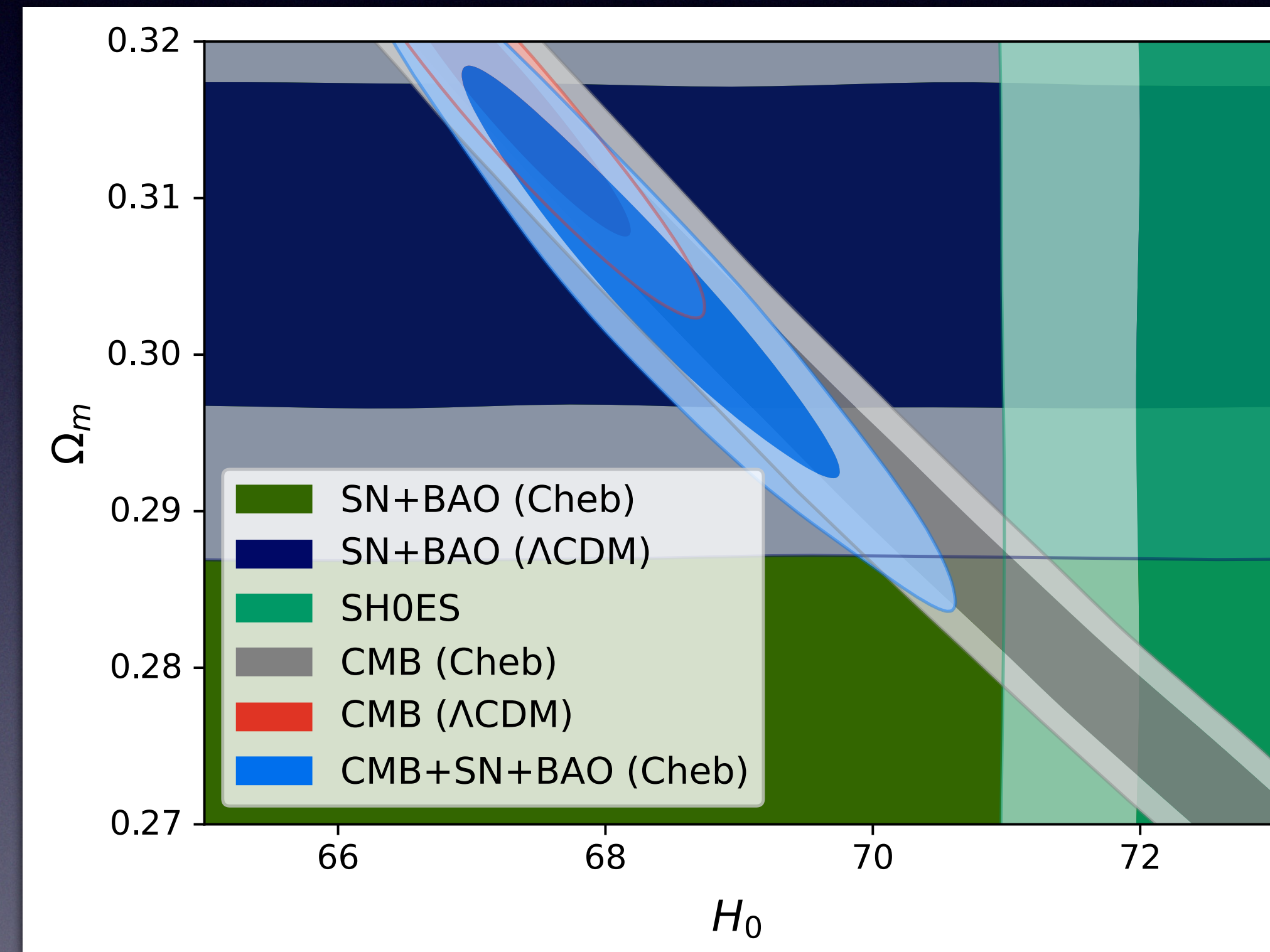
# Tension Triangles: $H_0$ - $r_s$

- Constraints for the Chebyeshev model using the CMB (grey), the BAO+SN (olive), and CMB+BAO+SN (blue) and for the  $\Lambda$ CDM model using the CMB (red) and BAO+SN (navy).
- The beyond- $\Lambda$ CDM parameters that expand the Planck posterior towards SH0ES constraint are different from the ones that expand the BAO+SN posterior.
- “tension triangle” - constraints never overlapping at any one point
- Need to modify  $r_s$  as part of solving the  $H_0$  tension



# Tension Triangles: $H_0$ - $\Omega_m$

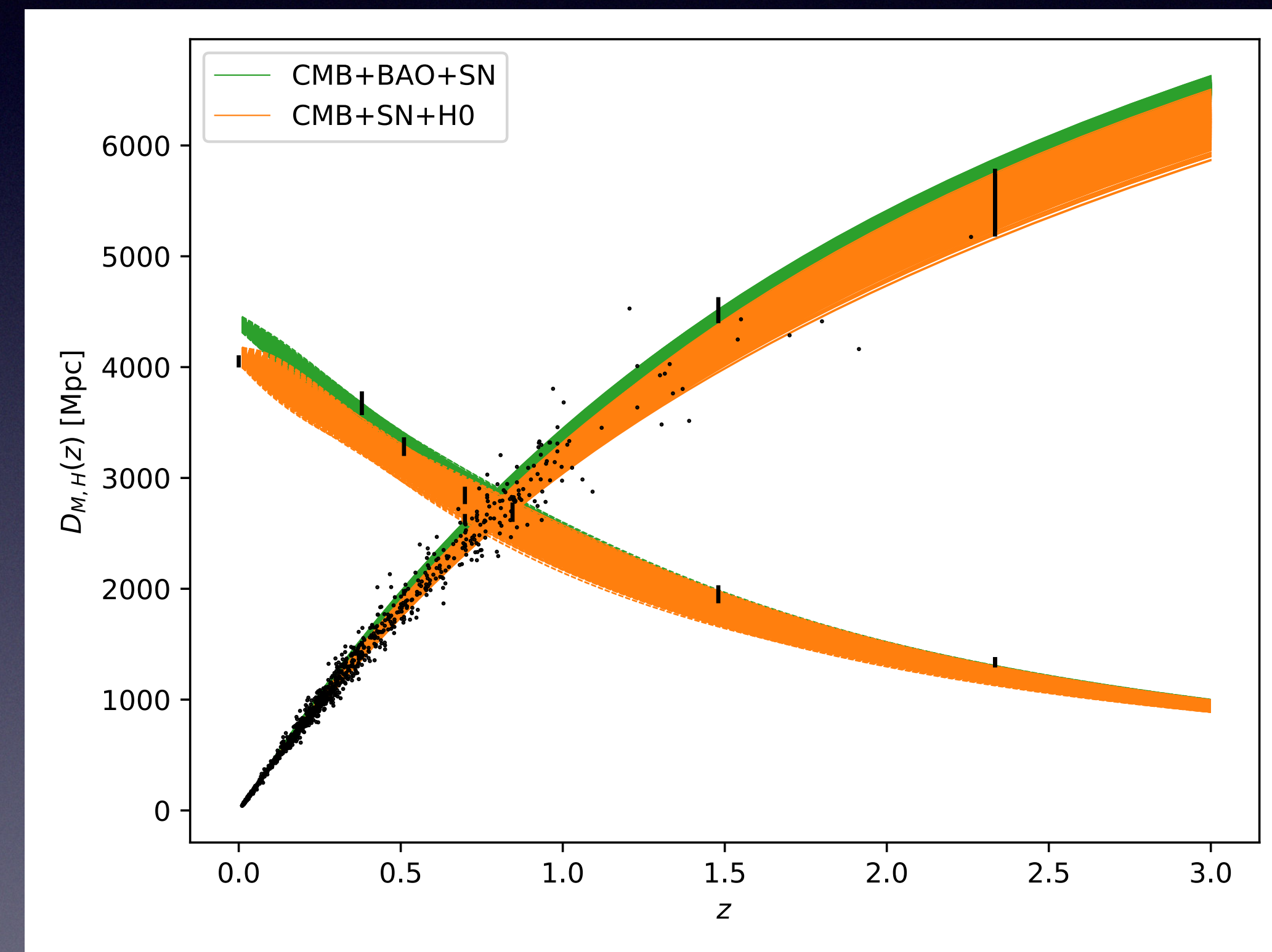
- Tension triangle also in the parameters  $H_0$  and  $\Omega_m$ .
- Reason why simply modifying  $r_s$  cannot fully resolve the  $H_0$  tension
- $\Omega_m h^2$  measured by CMB independently of low-redshift physics.
- Why Chebyshev constraint from the CMB lies along the line of  $\Omega_m h^2 \sim 0.14$
- Chebyshev parametrization breaks degeneracy between  $\Omega_m h^2$  and  $H_0$  in LCDM





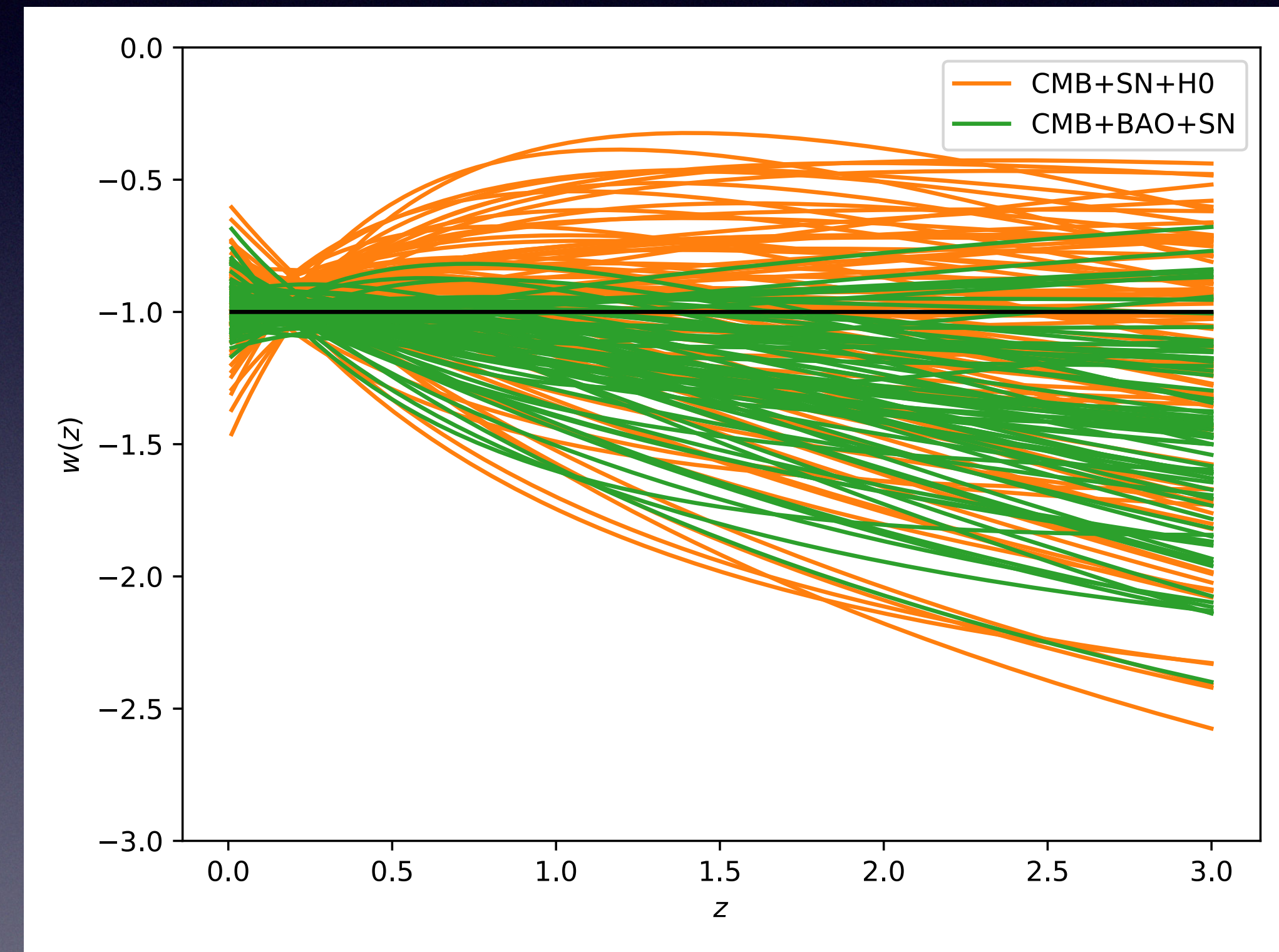
# Results w/o BAO

- W/o BAO, the Chebyeshev parametrization has no problem fitting the  $H_0$  constraint



# Results w/o BAO

- W/o BAO constraint, preferred  $w(z)$  all have some sort of evolution
- They all have some sort of phantom crossing
- Highlights the BAO rule out low- $z$  solution



# Conclusions

- Even though it is very flexible, the Chebyshev parameterization, cannot adequately explain the  $H_0$  tension
- Thus, there is no satisfactory low-redshift solution to the  $H_0$  tension
- The BAO constraint is the last nail in the coffin for this class of models
- The community should look for high-redshift modifications to  $\Lambda$ CDM