

Cosmology From Home

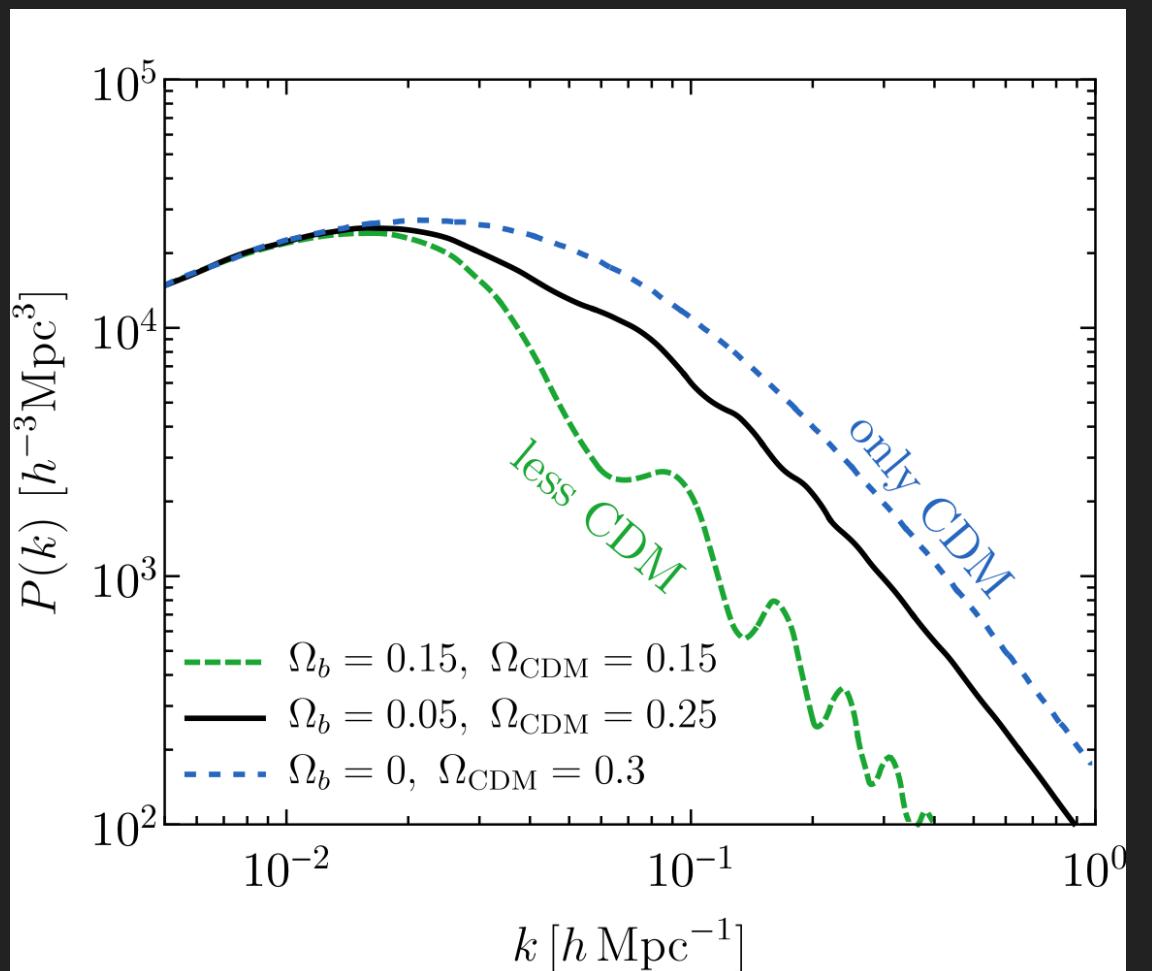
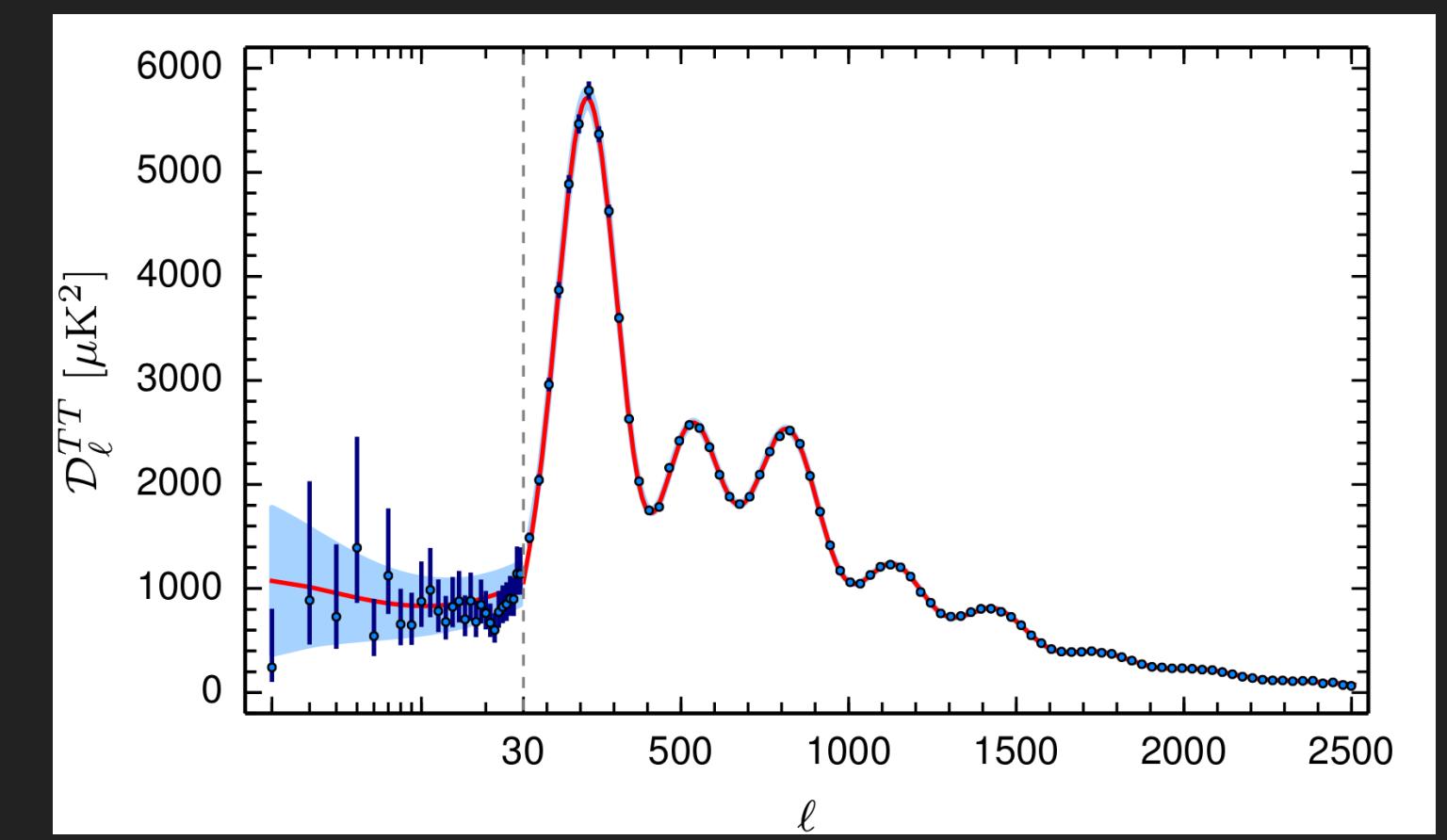
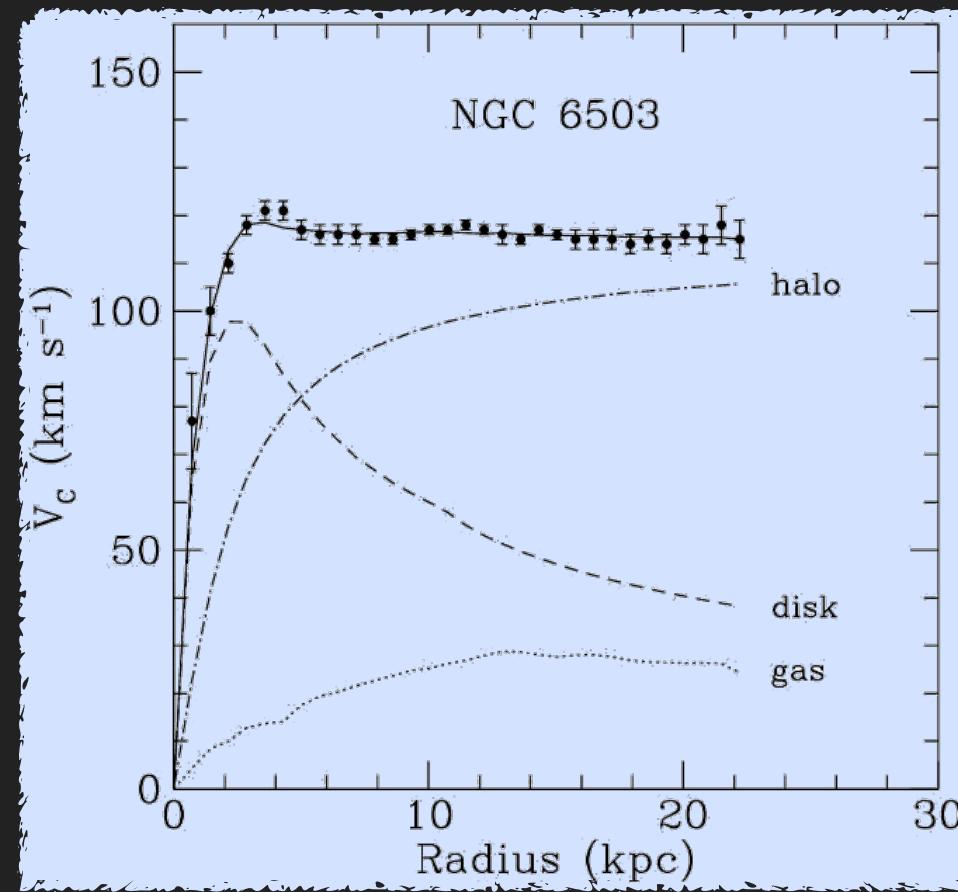
5-16 July 2021

DAVIDE RACCO



Gravitational Production of Dark Sectors

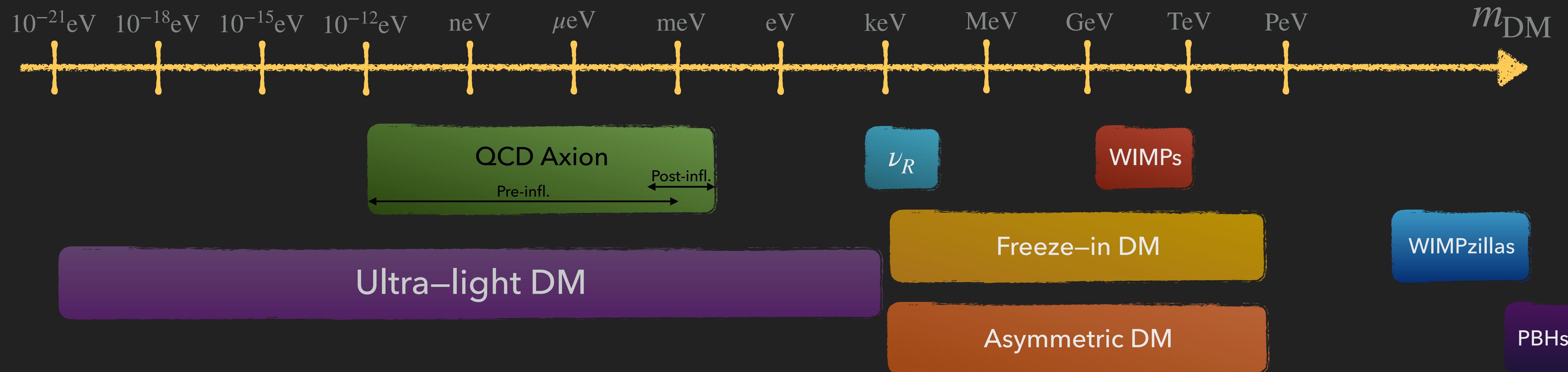
ar χ iv: 2107.? with Asimina Arvanitaki, Savas Dimopoulos,
Marios Galanis, Olivier Simon, Jed Thompson



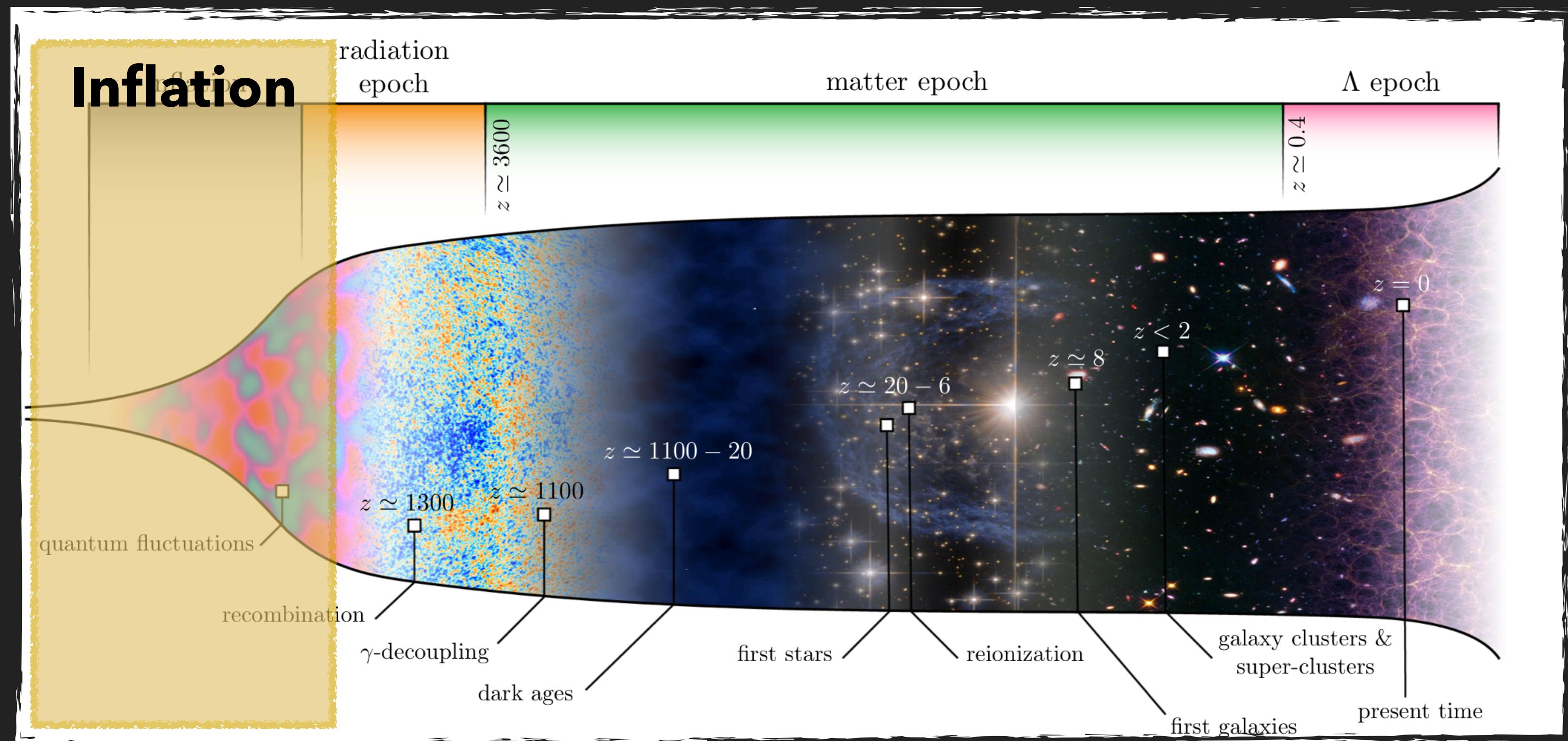
- ▶ All evidence for DM comes from *gravitational* interactions
- ▶ Searches for DM rely on other interactions with SM
- ▶ Production mechanisms can guide experimental searches

PRODUCTION MECHANISMS AS A GUIDE IN PARAMETER SPACE

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- ▶ Many production mechanisms rely on non-gravitational interactions



- ▶ Successful paradigm of Primordial Inflation
- ▶ Time-varying background, large $H \implies$ particle production
- ▶ Unavoidable contribution; could account for DM?

['39 Schrödinger; '69 Parker;
'77 Gibbons, Hawking;
'79 Birrell, Davies; '87 Ford; ...]

Time-varying bkg $\implies \frac{\dot{\omega}}{\omega^2} > 1$ non-adiabaticity \implies particle prod.

$\omega_k(t) \rightsquigarrow$ mass term, ...

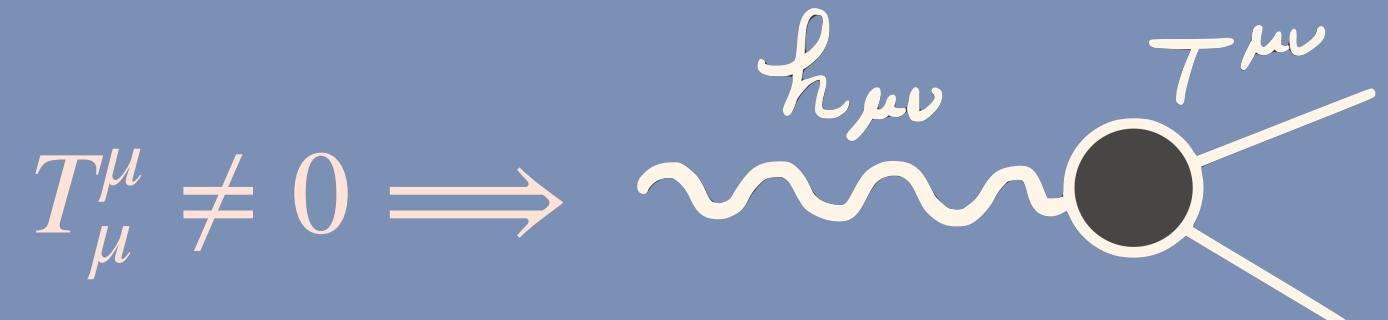
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Violation of scale invariance \Rightarrow time dep. in eq. of motion

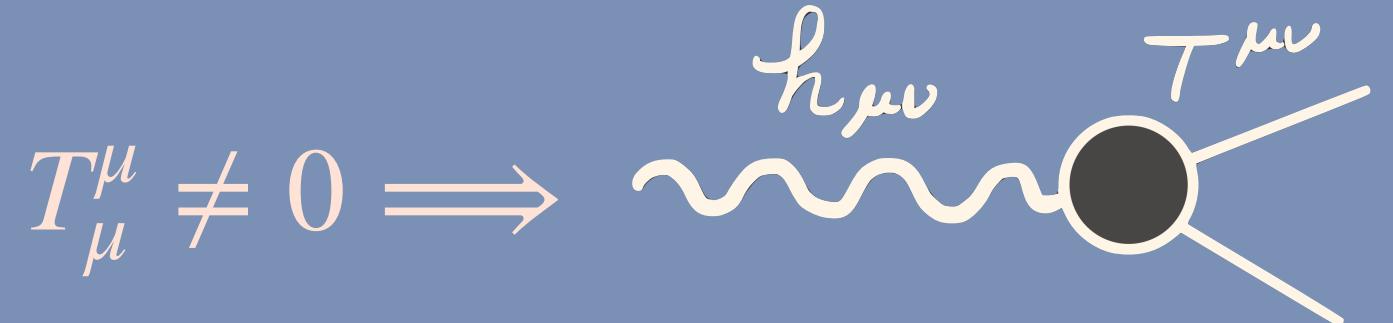


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De-Sitter “temperature” $T_{\text{dS}} \sim \frac{H_I}{2\pi} \Rightarrow$ “bath” of particles
(approximate analogy)

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	$\rho_{\text{exit}} \sim$
Scalar, Massive Vector	H_I^4
Massive Fermion	$m^2 H_I^2$



Single Species

Massive vector A'_L

[’15 Graham, Mardon, Rajendran]

Fermion ψ

[’98 Chung, Kolb, Riotto]



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Dark Sector

MASSIVE
DARK QED

ψ Dark Matter
 A'_L grav. prod.

[‘21 Arvanitaki, Dimopoulos, Galanis, DR, Simon, Thompson]

- ▶ A minimal complexity of the dark sector opens new benchmarks!

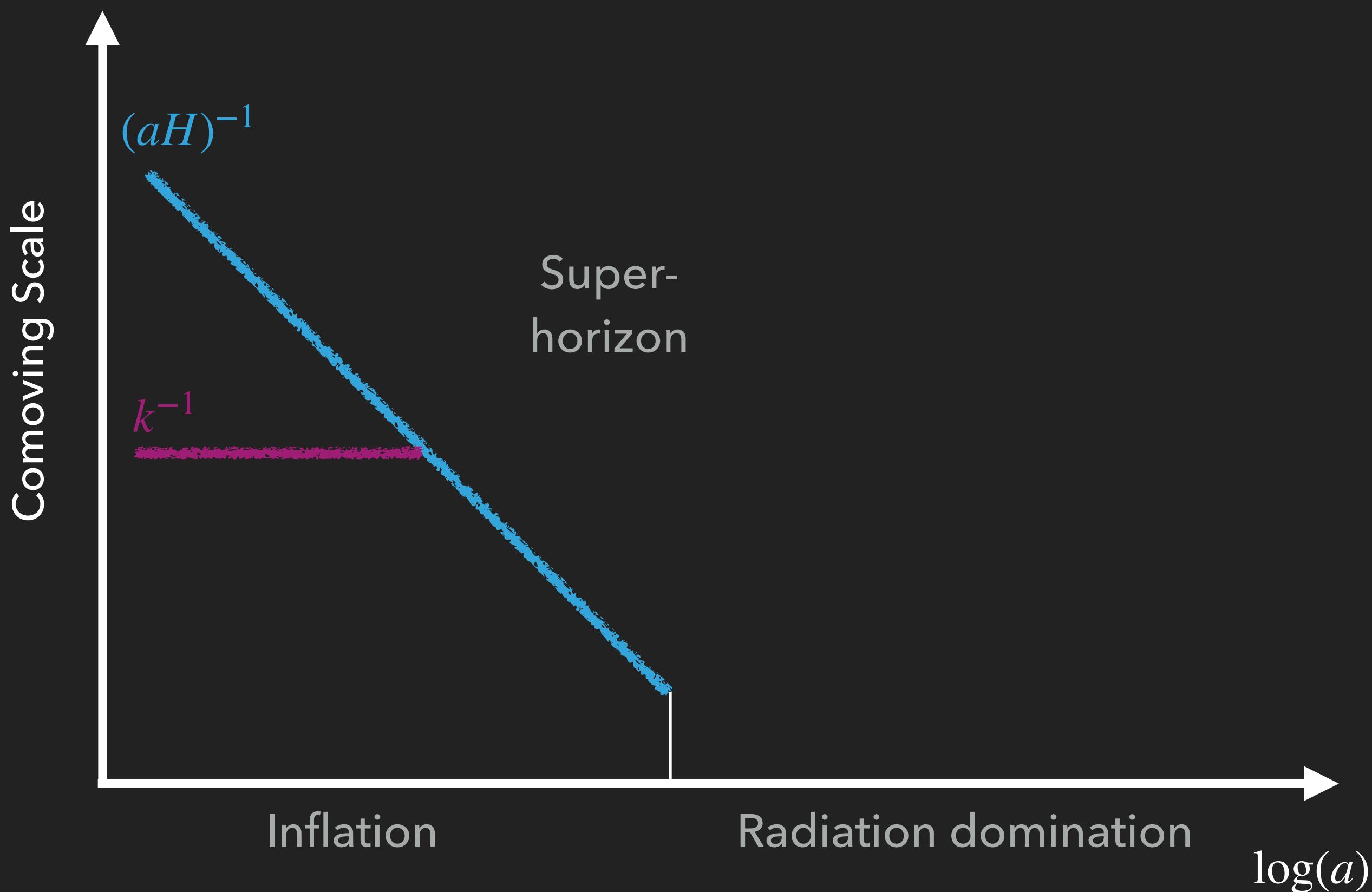
VECTOR DARK MATTER — LONGITUDINAL A'_L

[’15 Graham, Mardon, Rajendran]

VECTOR DARK MATTER — LONGITUDINAL A'_L

7

[’15 Graham, Mardon, Rajendran]

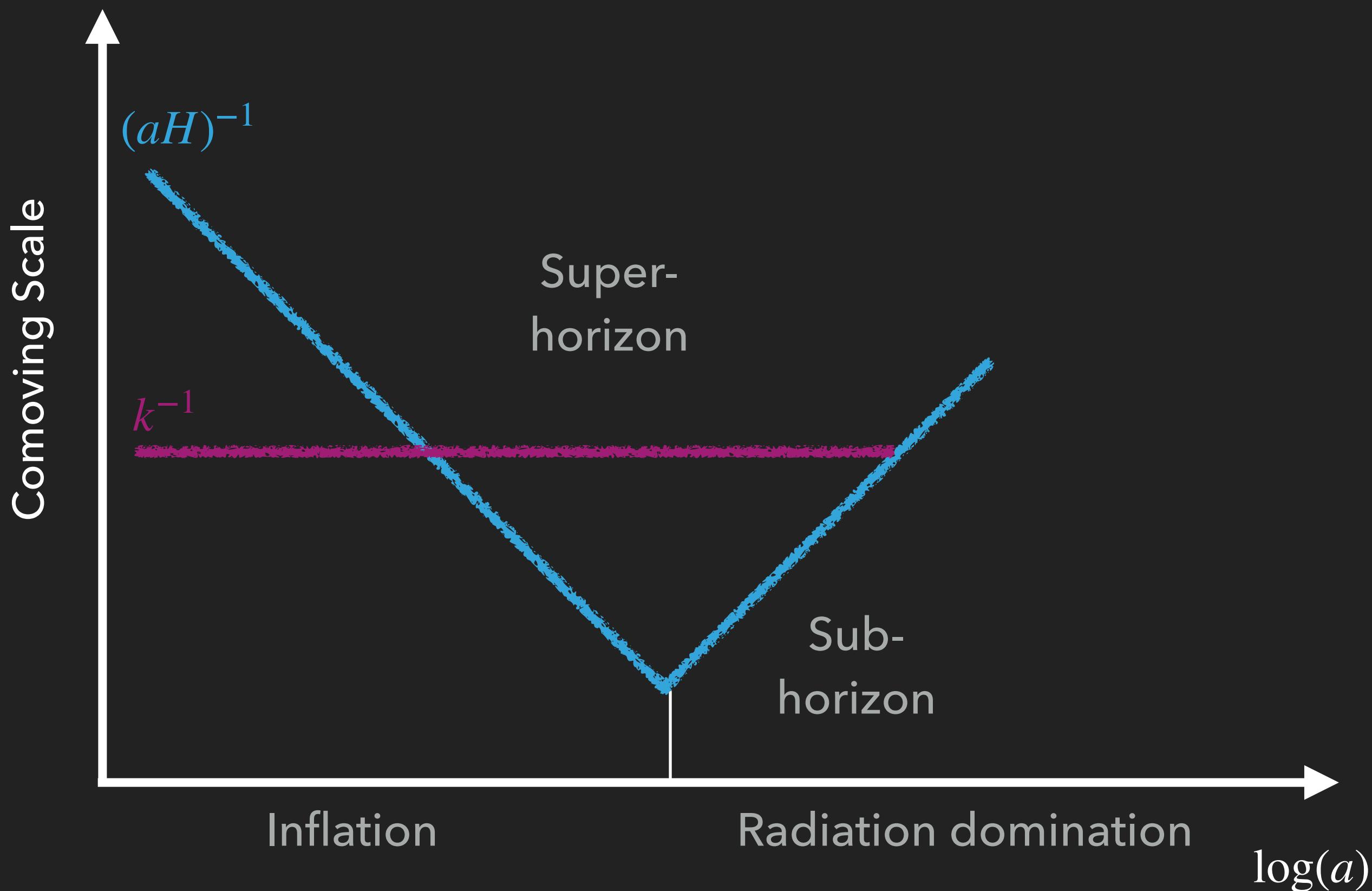


- $\rho_{k,\text{exit}} \sim H_I^4$, the mode $A'_{L,k}$ freezes

VECTOR DARK MATTER — LONGITUDINAL A'_L

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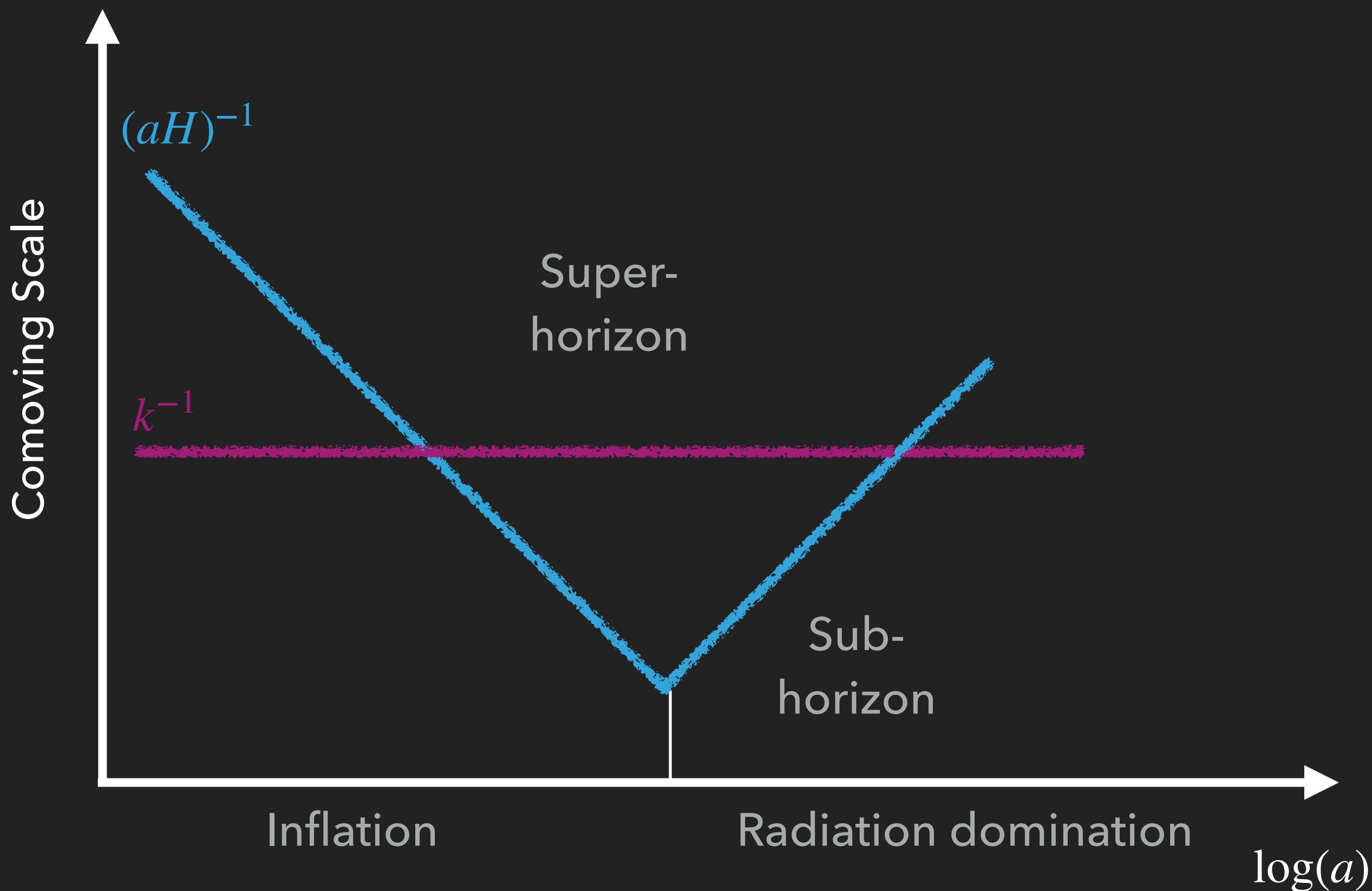


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- ▶ Super-horizon: $\rho_k \sim m_{A'} A'^2 \sim a^{-2}$

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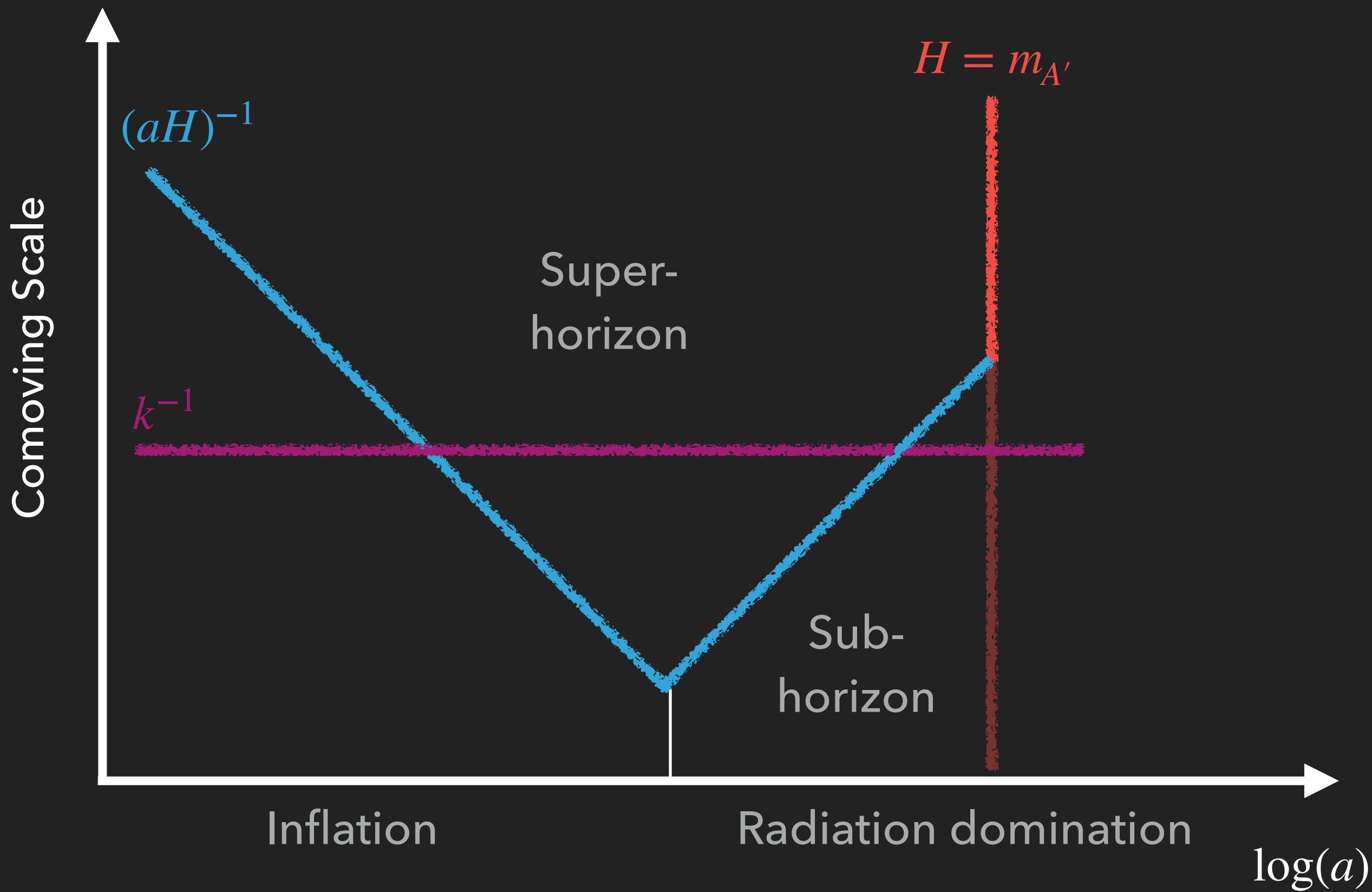


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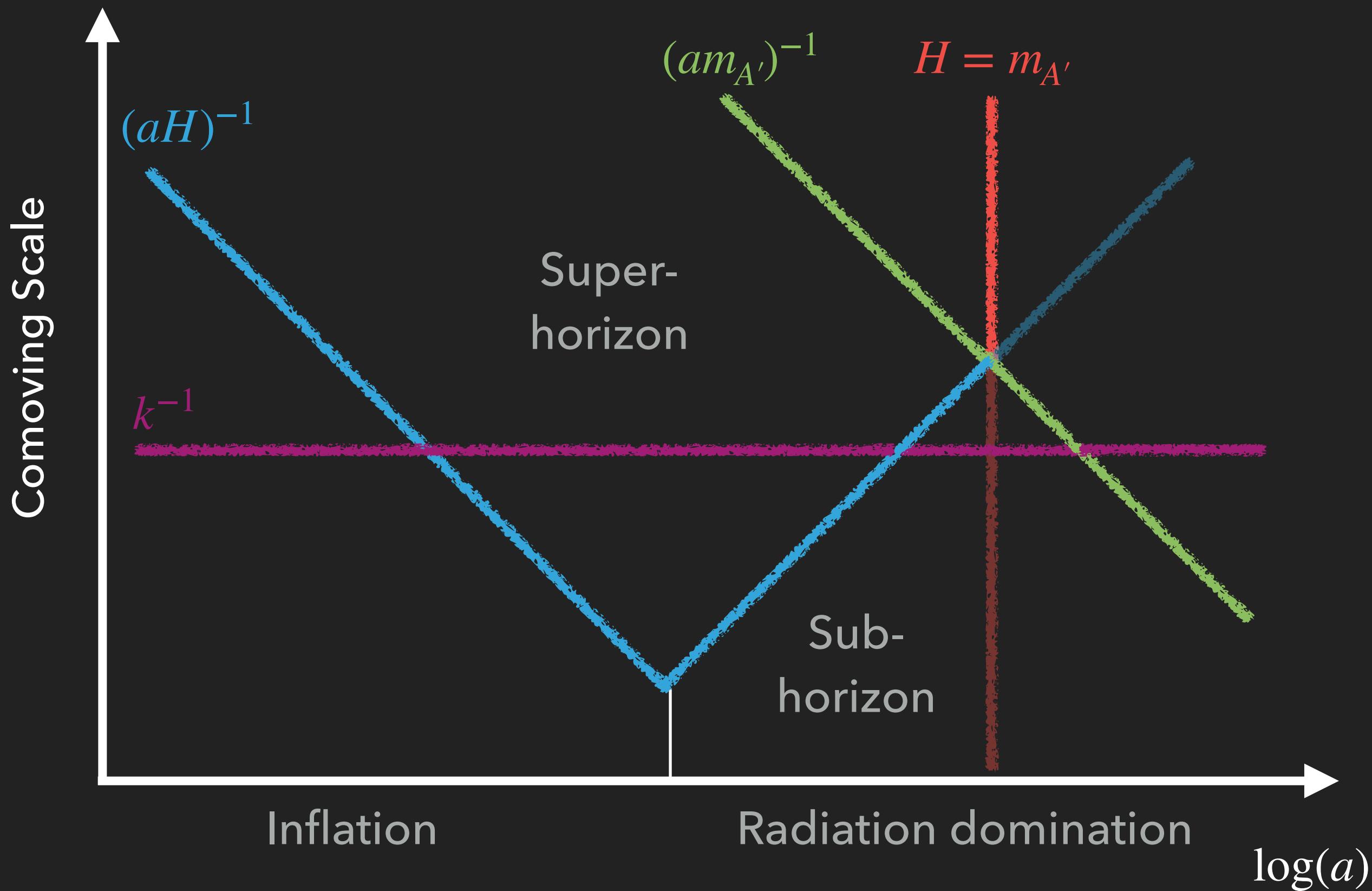


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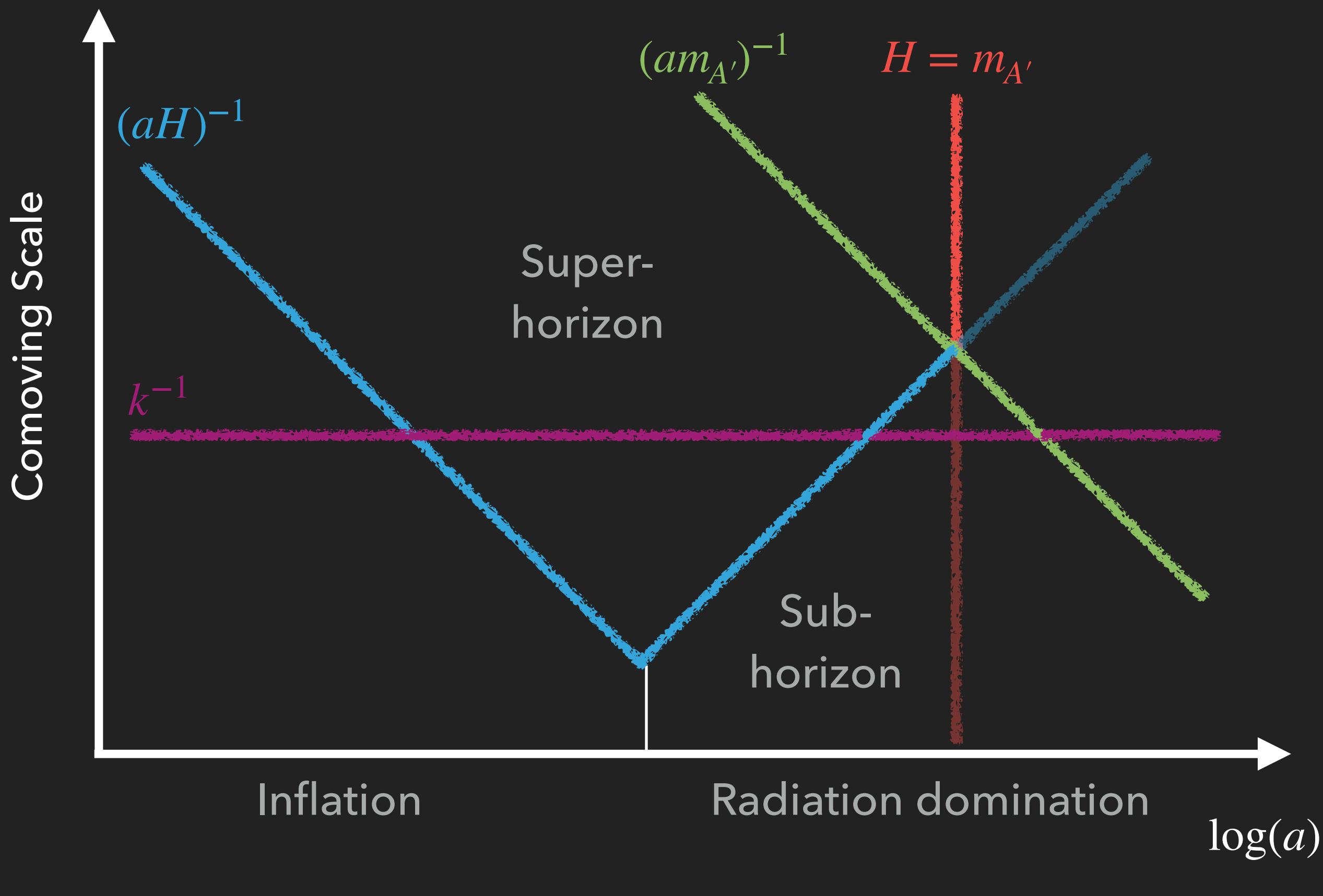


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$$\frac{\Omega_{A'}}{\Omega_{\text{DM}}} \sim \sqrt{\frac{m_{A'}}{5 \cdot 10^{-5} \text{ eV}}} \left(\frac{H_I}{6 \cdot 10^{13} \text{ GeV}} \right)^2$$

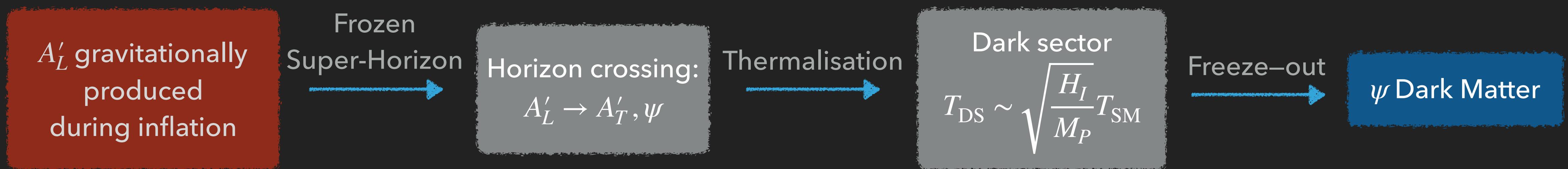
GRAVITATIONAL PRODUCTION IN A DARK SECTOR

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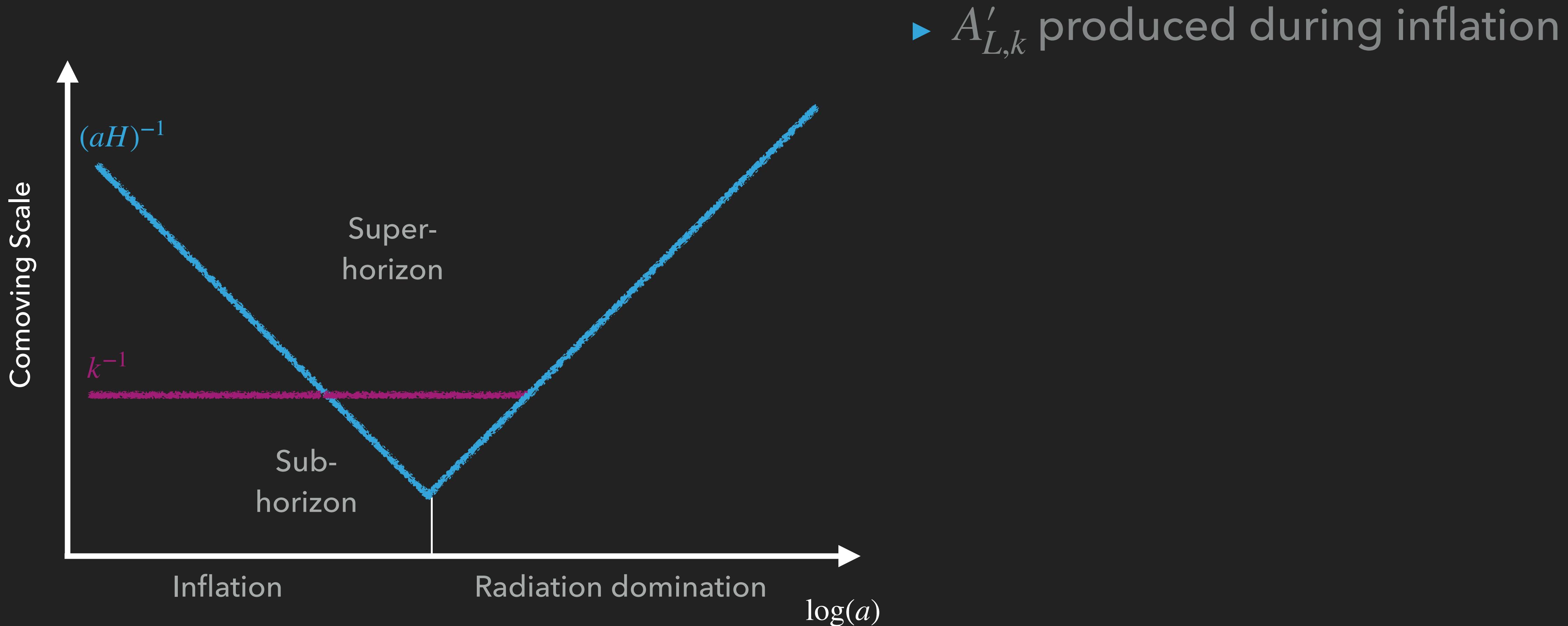
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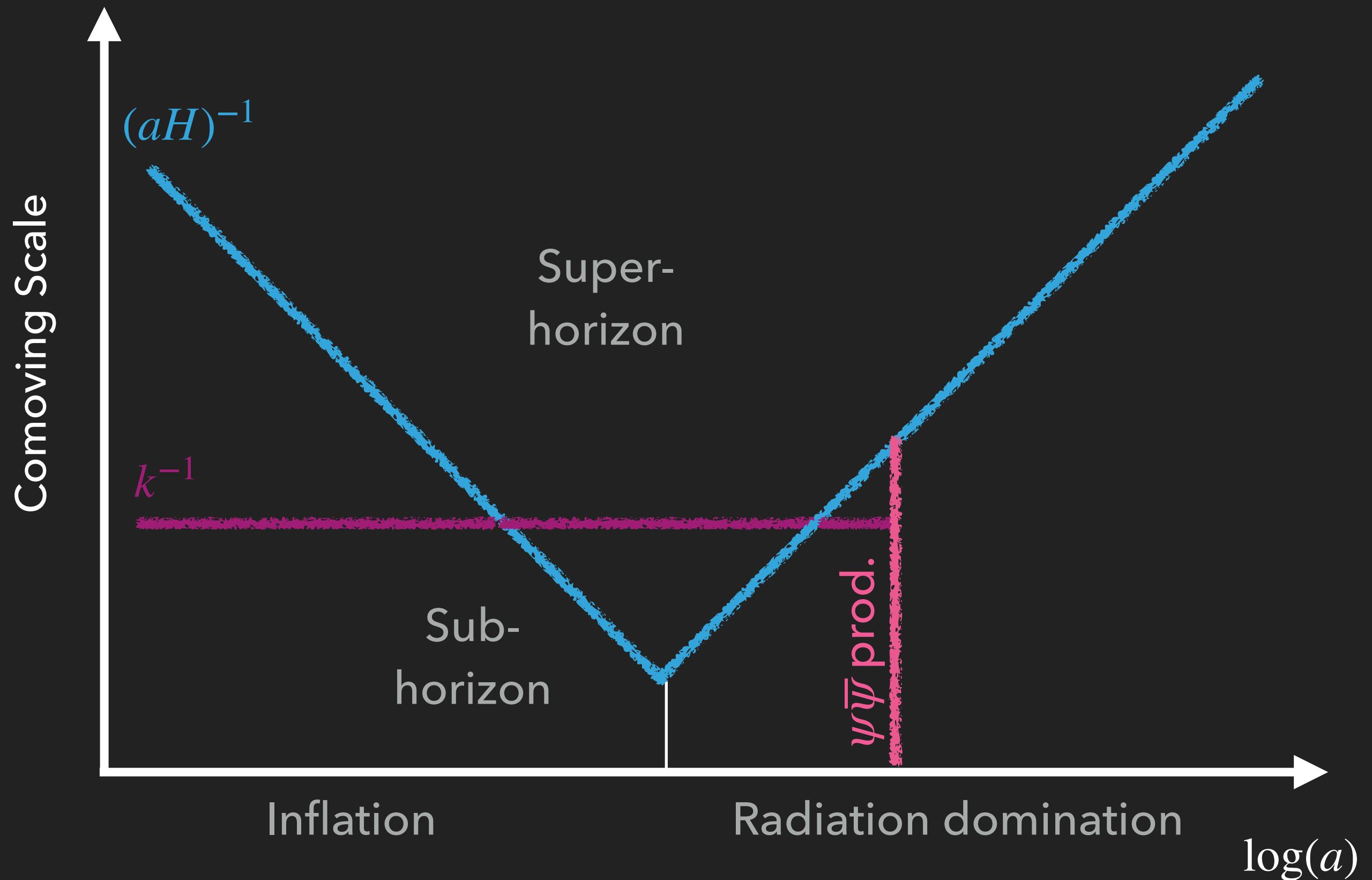


- ▶ In this talk, for illustration, $m_\psi \gg m_{A'}$

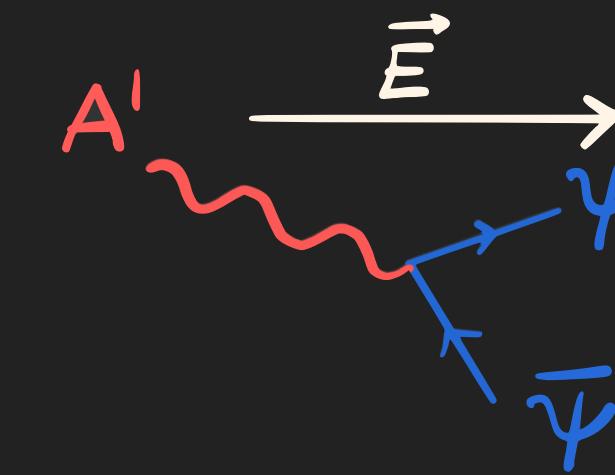


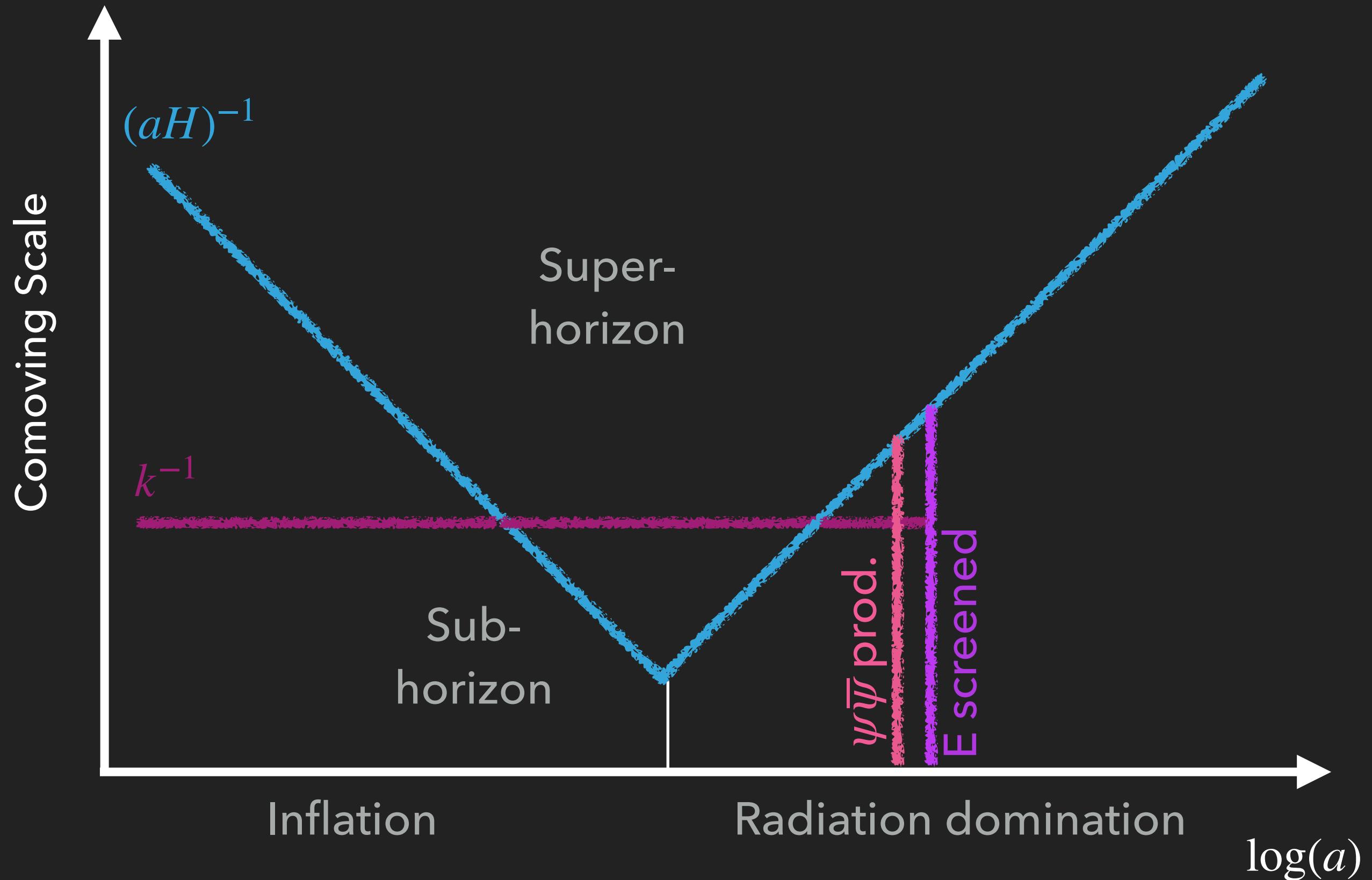
$$m_\psi \in [\text{GeV}, 10 \text{ TeV}] \cdot \left(\frac{6 \cdot 10^{13} \text{ GeV}}{H_I} \right)^{1/4}$$



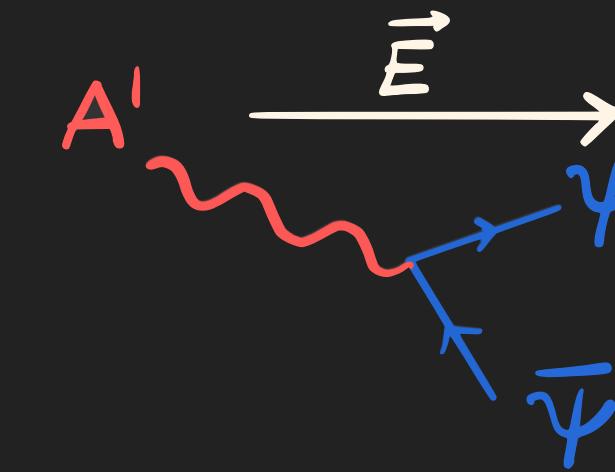


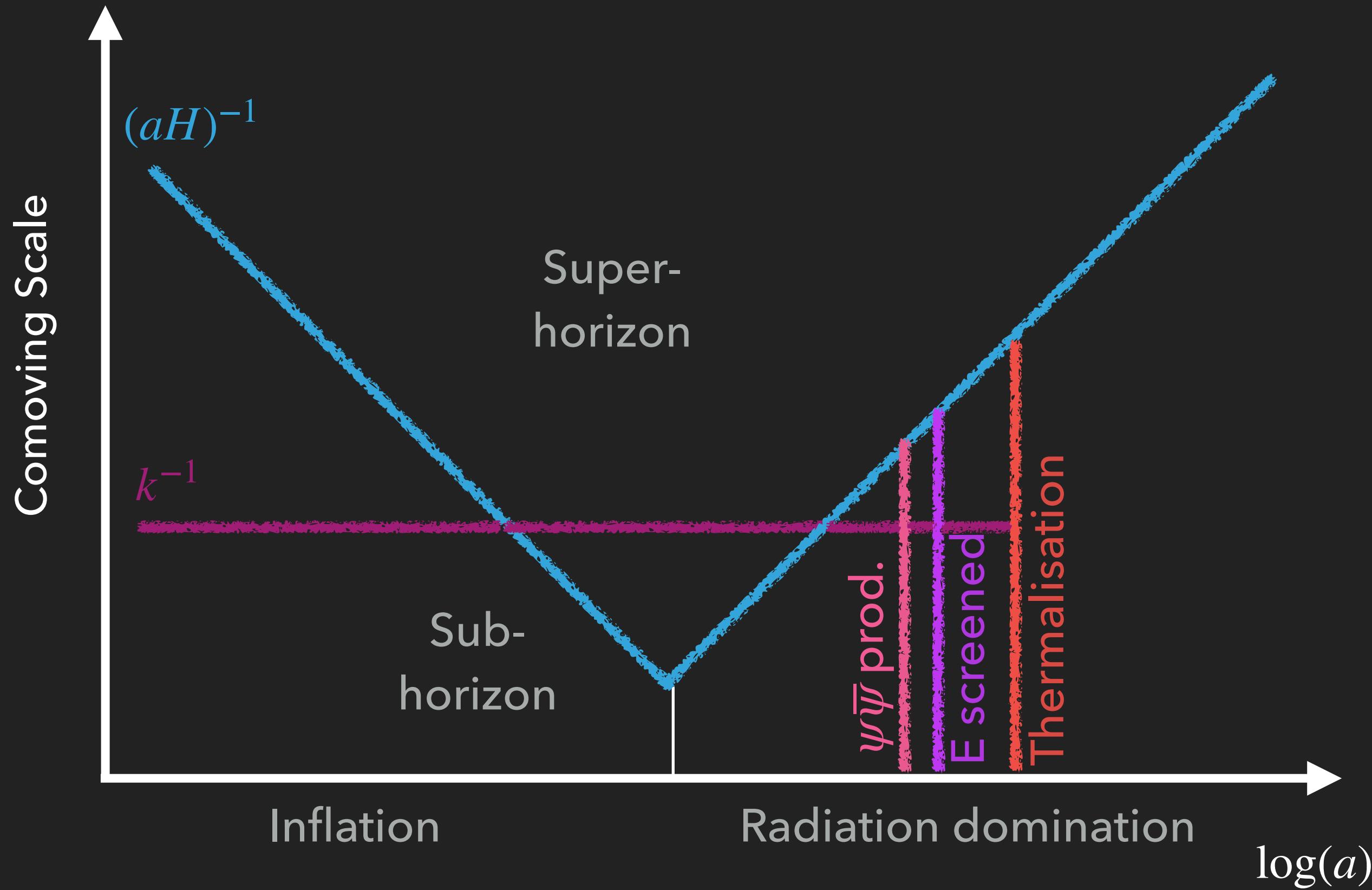
- ▶ $A'_{L,k}$ produced during inflation
- ▶ Hor. crossing: strong electric fields



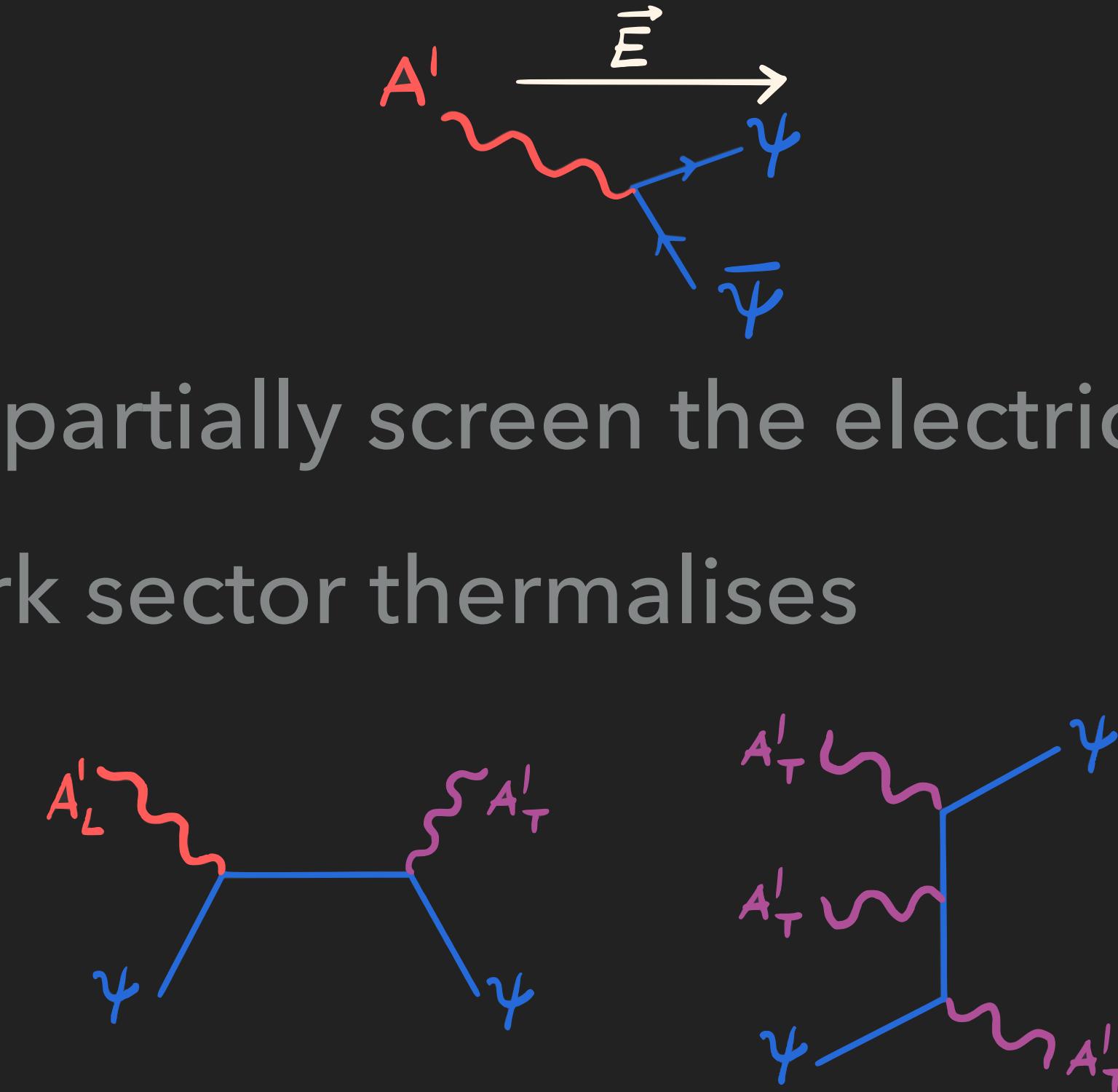


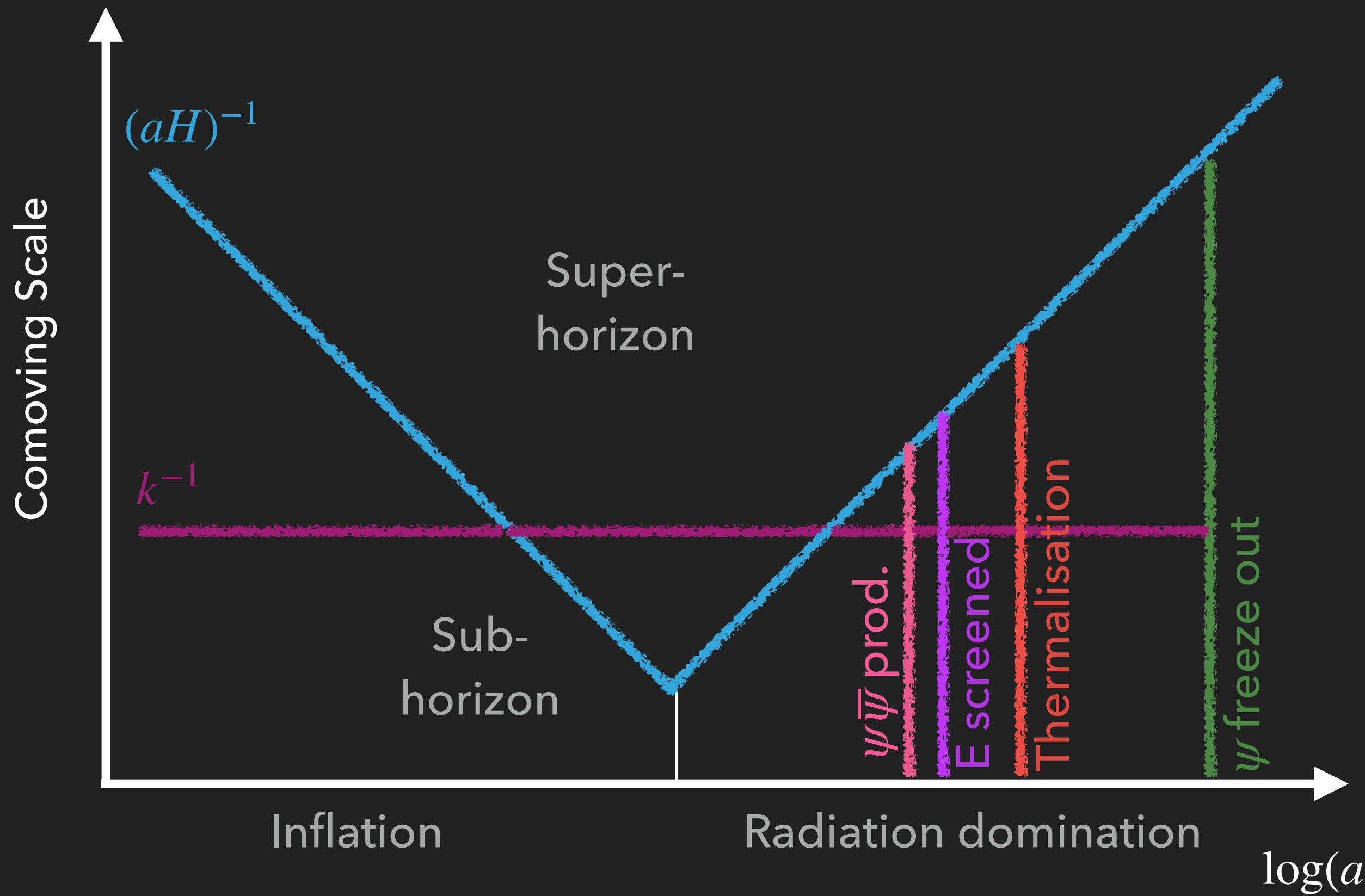
- ▶ $A'_{L,k}$ produced during inflation
- ▶ Hor. crossing: strong electric fields
- ▶ ψ 's partially screen the electric field



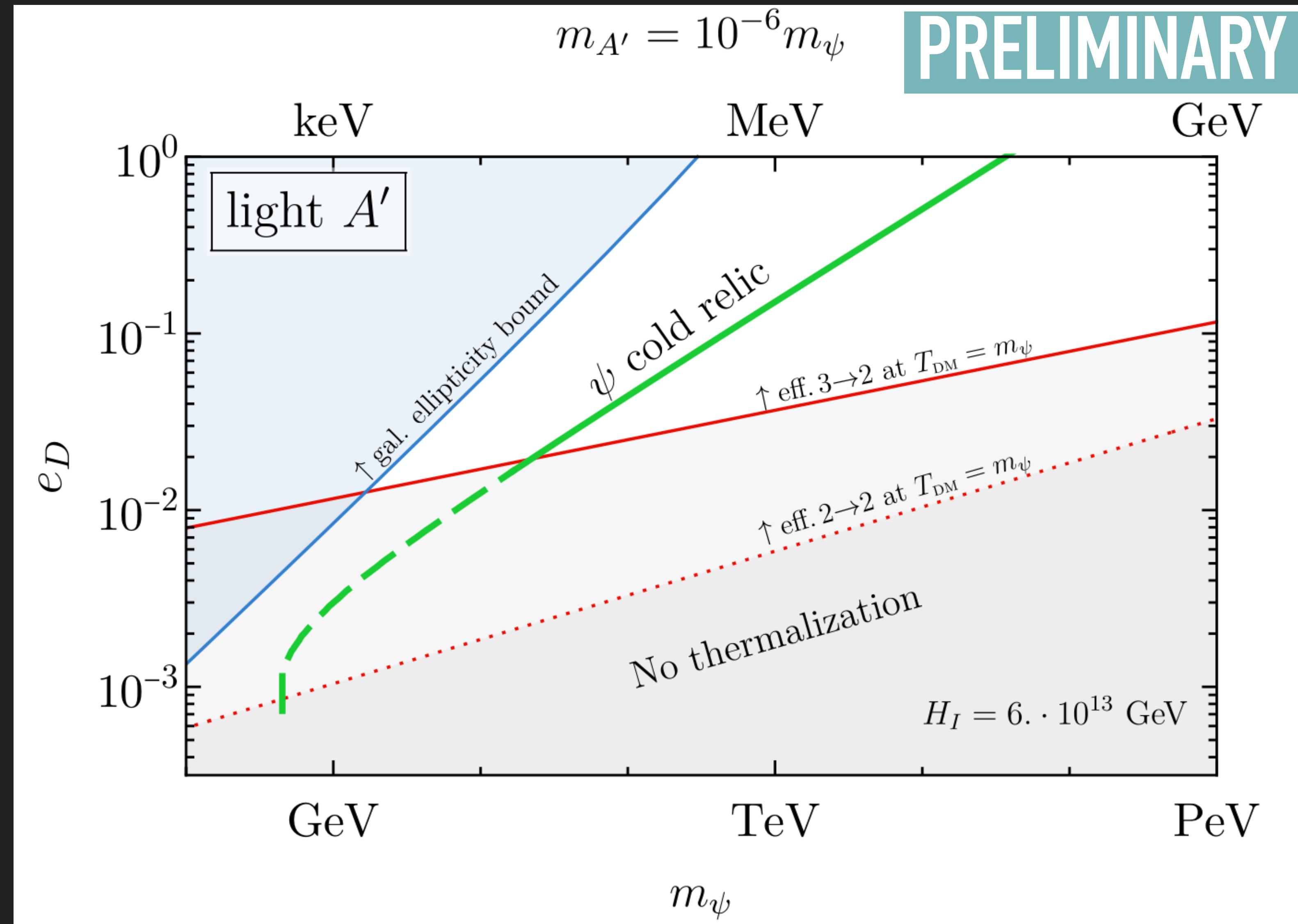


- ▶ $A'_{L,k}$ produced during inflation
- ▶ Hor. crossing: strong electric fields
- ▶ ψ 's partially screen the electric field
- ▶ Dark sector thermalises

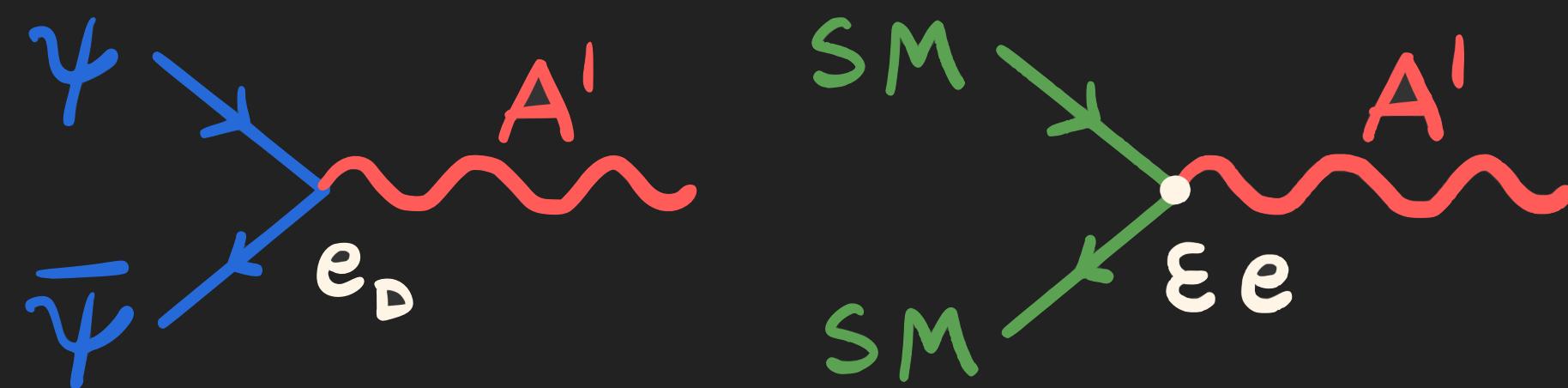




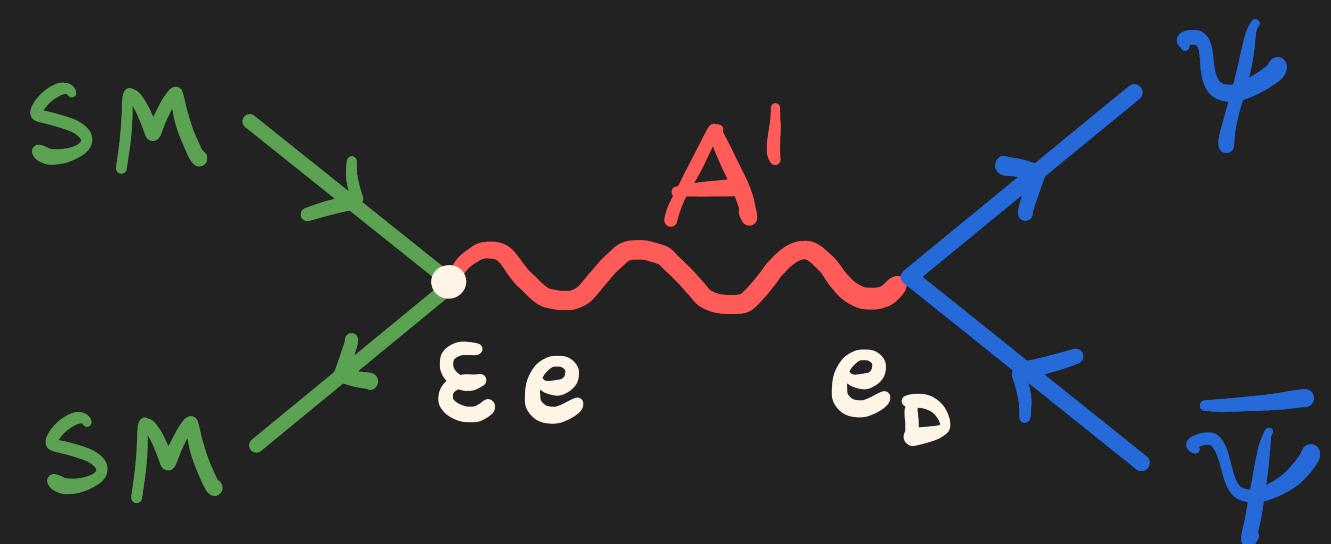
- ▶ $A'_{L,k}$ produced during inflation
 - ▶ Hor. crossing: strong electric fields
 - ▶ ψ 's partially screen the electric field
 - ▶ Dark sector thermalises
 - ▶ ψ 's freeze out → Dark Matter
-



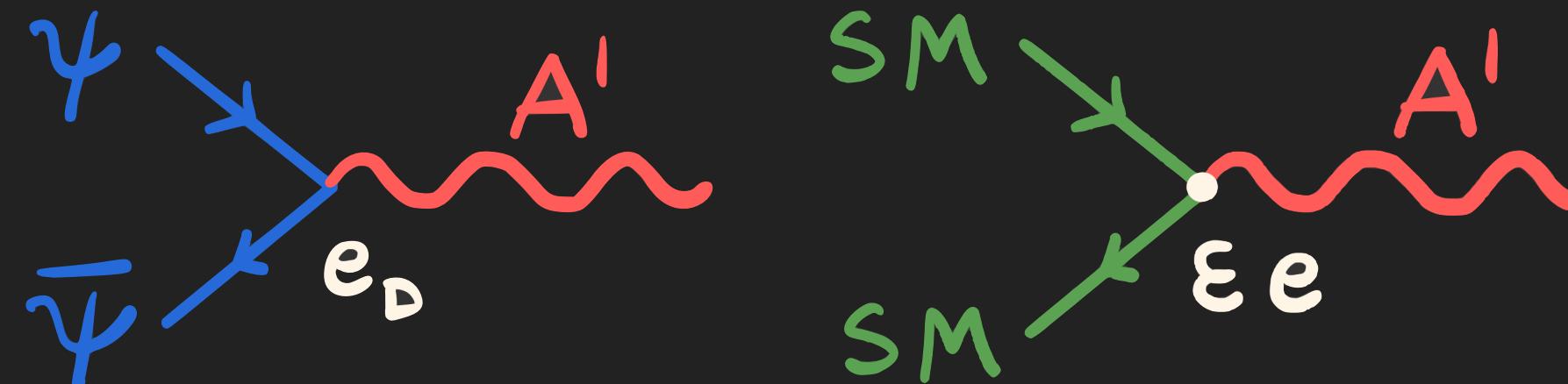
- $\varepsilon F'_{\mu\nu} F^{\mu\nu}$ is generically present



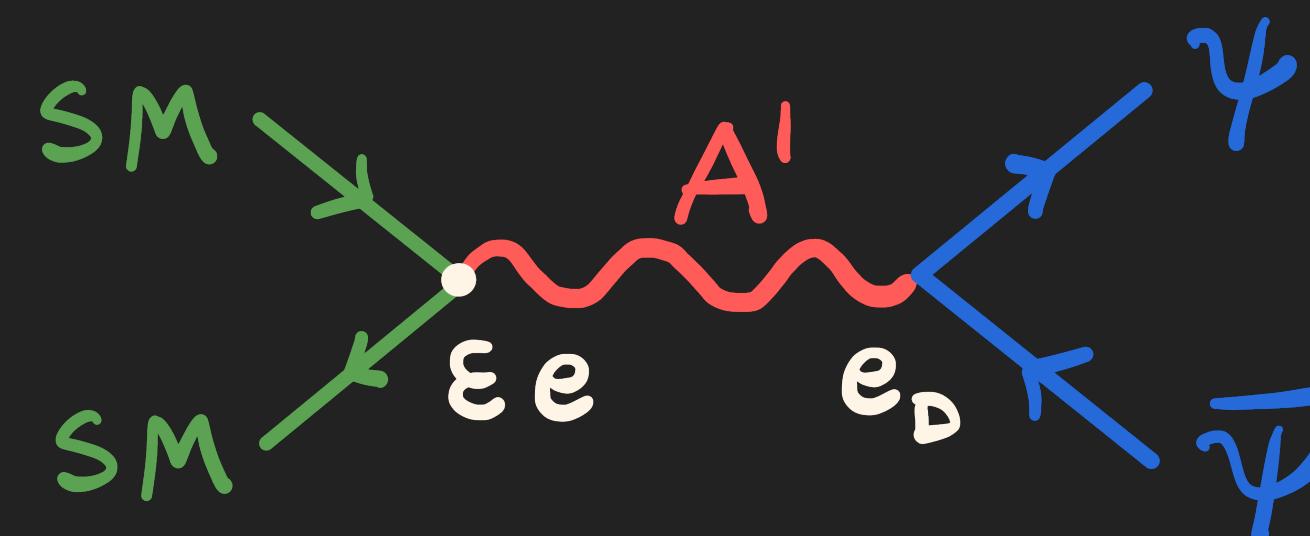
- Handle for DM detection
- Production via **freeze-in**:



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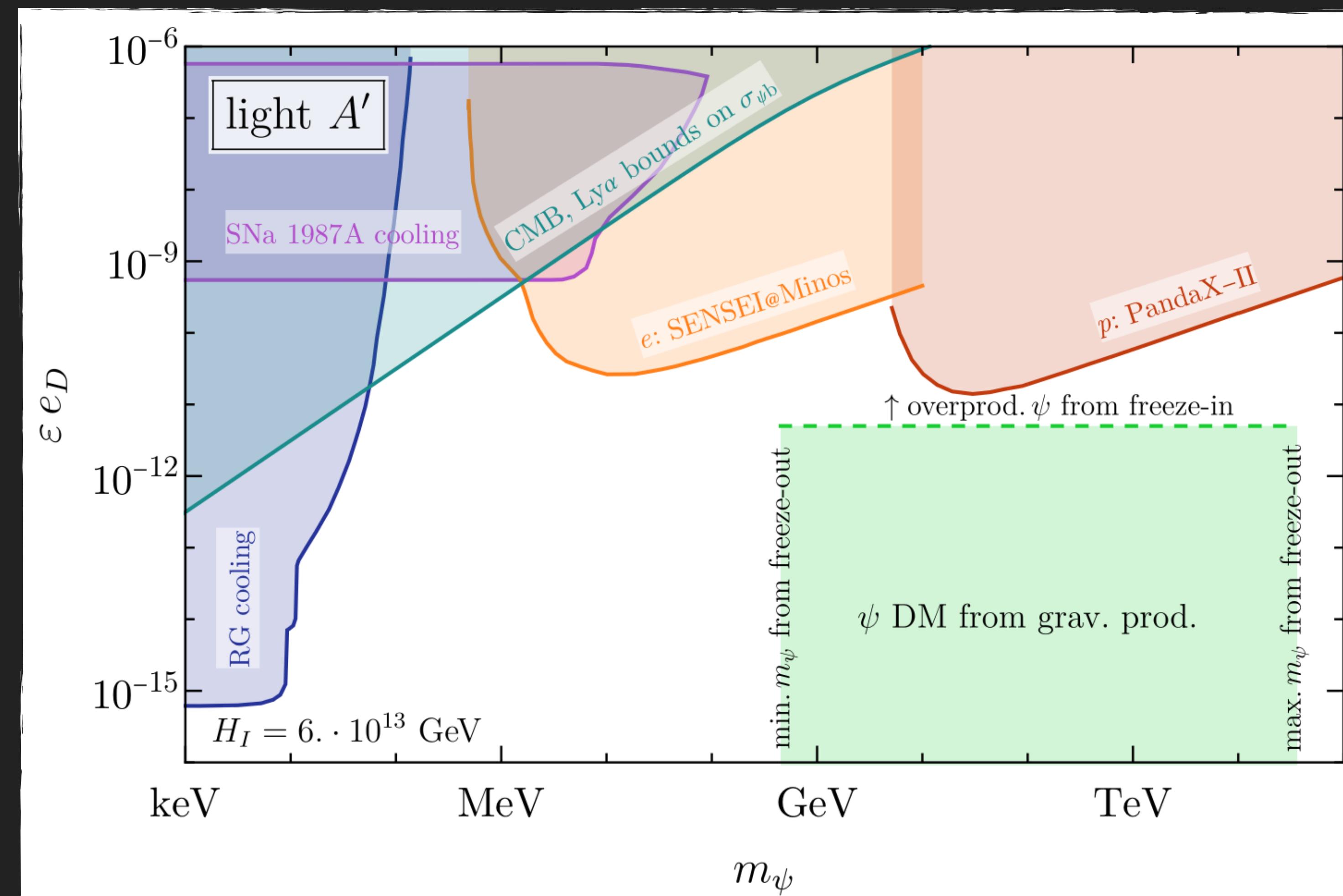


- Handle for DM detection
- Production via **freeze-in**:



- Grav. prod. in massive QED complements freeze-in

PRELIMINARY



- ▶ DM production mechanisms: benchmark for detection
- ▶ Gravity + inflation \implies unavoidable gravitational production

$$T_{\text{DS}} \sim \sqrt{\frac{H_I}{M_P}} T_{\text{SM}}$$

- ▶ DM production mechanisms: benchmark for detection
- ▶ Gravity + inflation \implies unavoidable gravitational production
- ▶ Minimal structure in dark sector opens up new benchmarks for detection

$$T_{\text{DS}} \sim \sqrt{\frac{H_I}{M_P}} T_{\text{SM}}$$

