

Precision cosmology with large-scale structure

Misha Ivanov (NYU)



O. Philcox

1907.06666,
1909.05277,
1912.08208,
2002.04035,
2003.08277,
2004.10607,
2006.11235, ++



A. Chudaykin



M. Simonovic



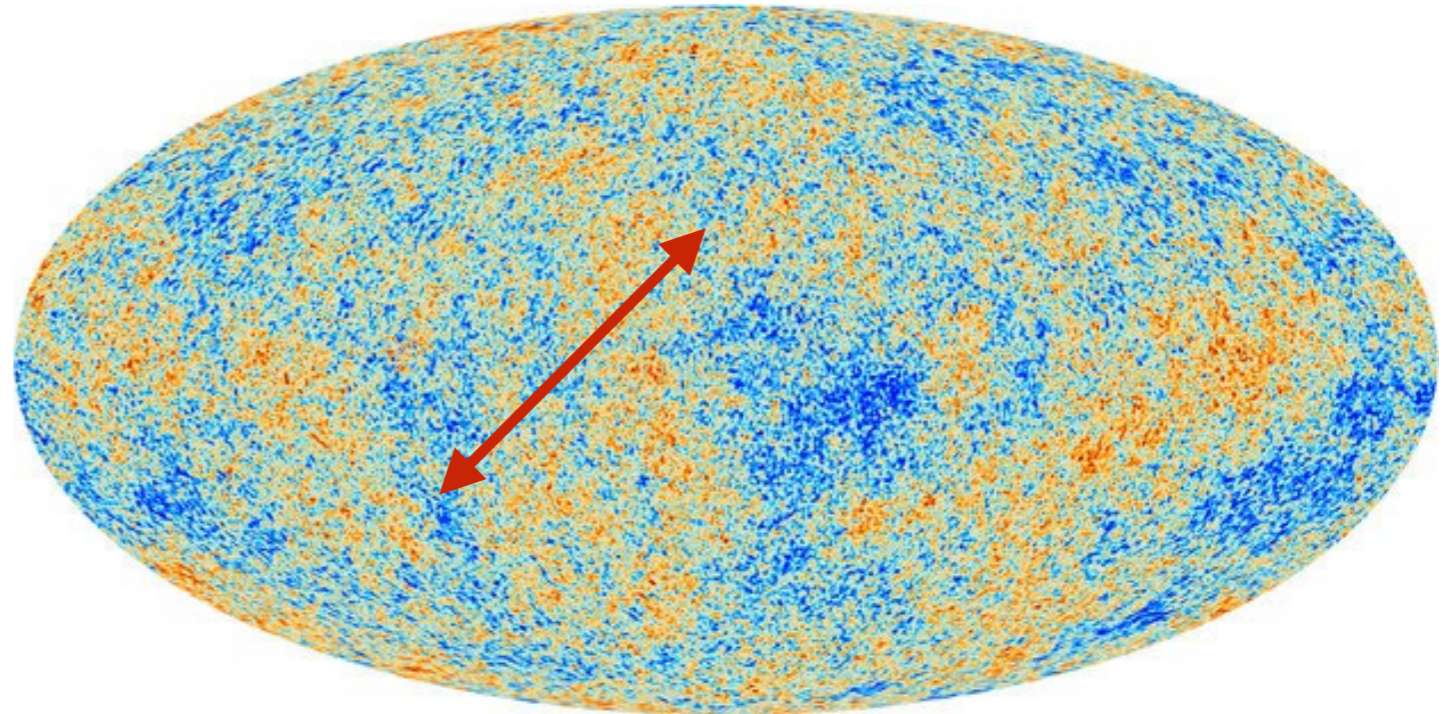
M. Zaldarriaga

+ J. Wadekar, R. Scoccimarro,
+ C. Hill, E. McDonough, M. Toomey, S. Alexander,
+ M. Takada, T. Nischimichi, L. Senatore,
P. Zhang, G. d'Amico

Main goals

$$\mathcal{D}_\ell \sim \left(\frac{\delta T}{T} \right)^2$$

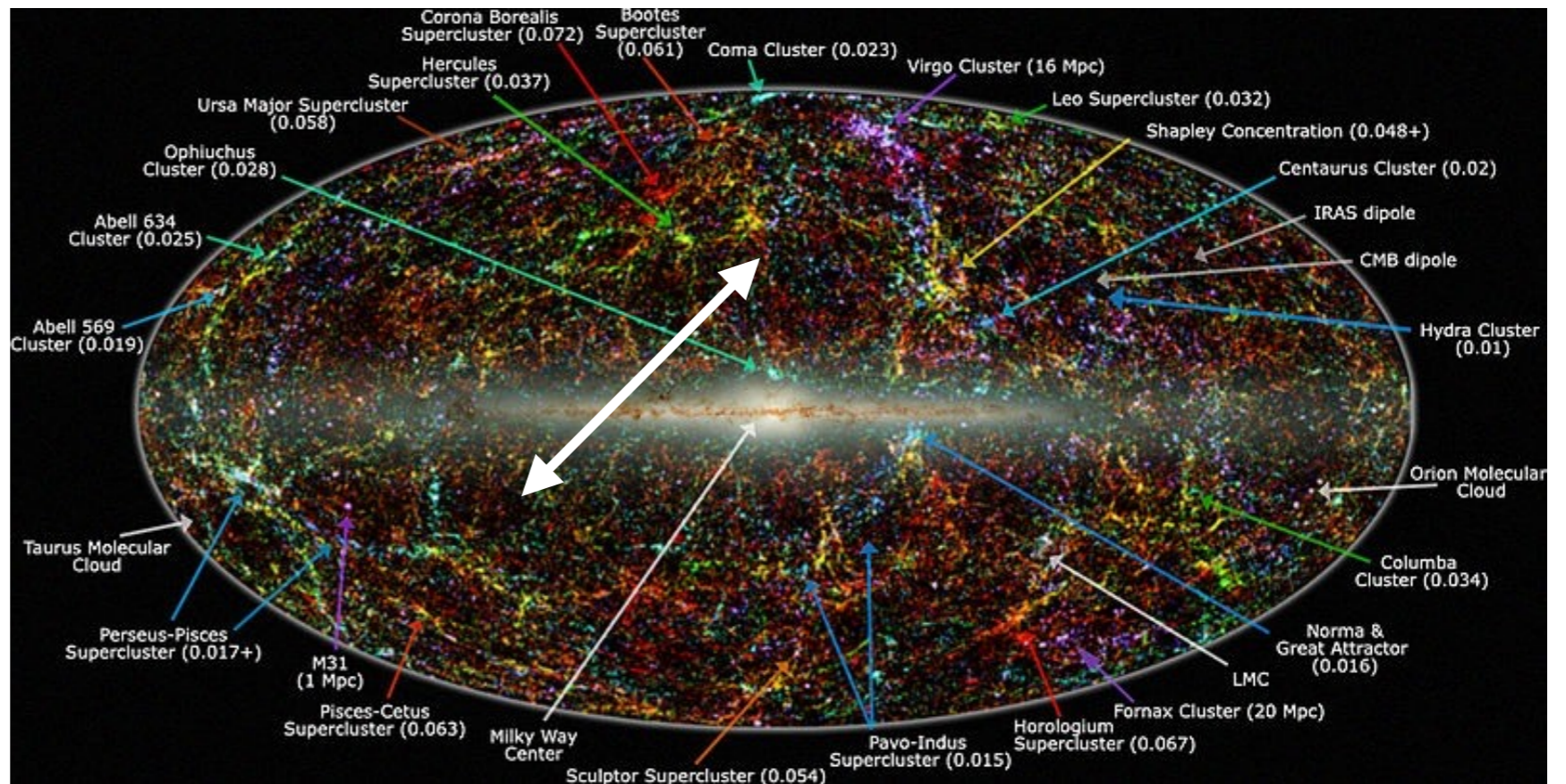
$$\ell \sim \frac{1}{\theta}$$



$$P(k) \sim \left(\frac{\delta\rho}{\rho} \right)^2$$

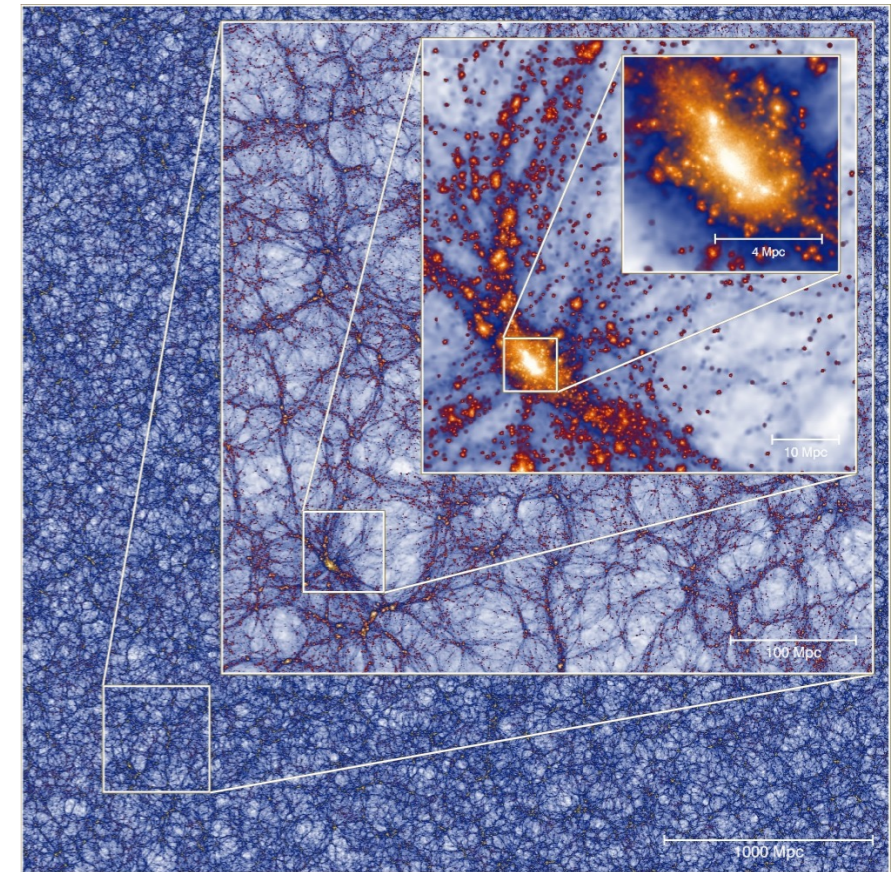
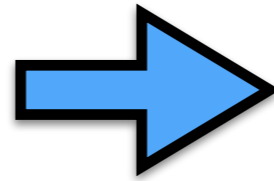
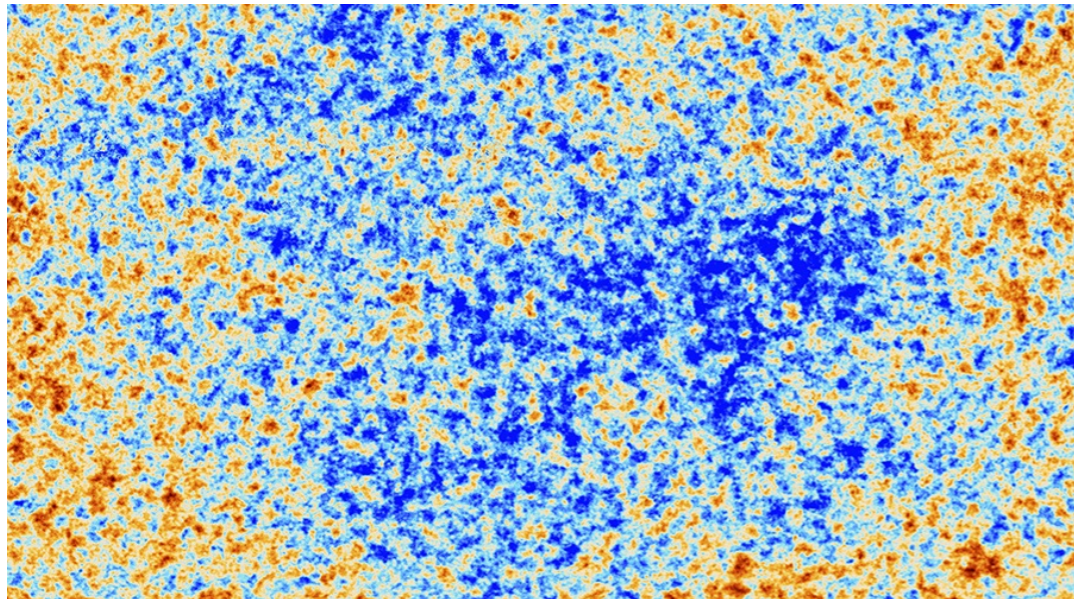
$$\delta \equiv \frac{\delta\rho}{\rho}$$

$$k = \frac{2\pi}{\lambda}$$



Non-Linearities come into play

2



Baumann, Nicolis, Senatore, Zaldarriaga 2012: effective field theory approach

$$\delta_{\text{NL}} = \delta_L + F_2 \delta_L^2 + \dots + \gamma \nabla^2 \delta_L + \dots$$

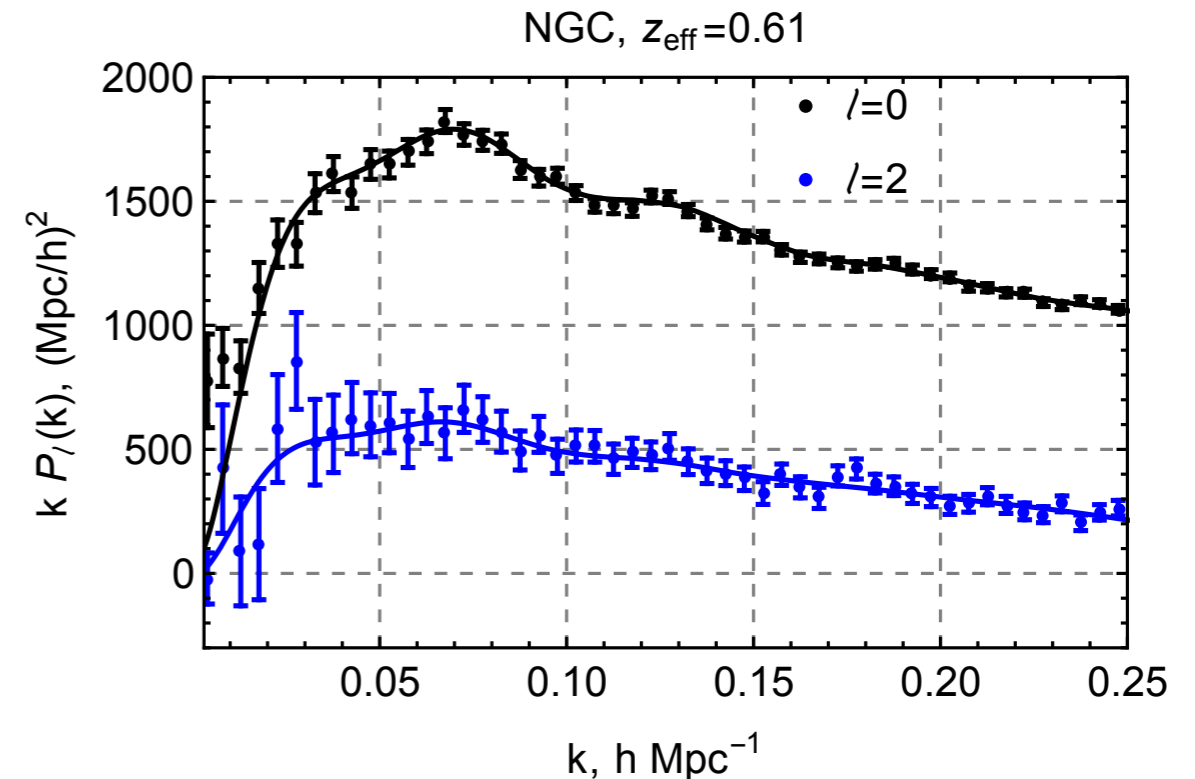
“counterterms”

should be treated as nuisance parameters

Our pipeline in a nutshell

3

I. Consistently recompute power spectrum as we vary cosmology (CMB style) using the full non-linear model



II. MCMC analysis thanks to FFTLog

III. CLASS-PT + Montepython

- 1) User friendly & works out-of-the box
- 2) Easy scales with # of parameters
- 3) No hard coding !

McEwen, Fang, Hirata, Blazek (2016)

Schmittfull, Vlah, McDonald (2016)

Simonovic, Zaldarriaga et al. (2017)

2004.10607

<https://github.com/Michalychforever/CLASS-PT>

Applications of our pipeline

4

high-res. N-body
mocks

BOSS data

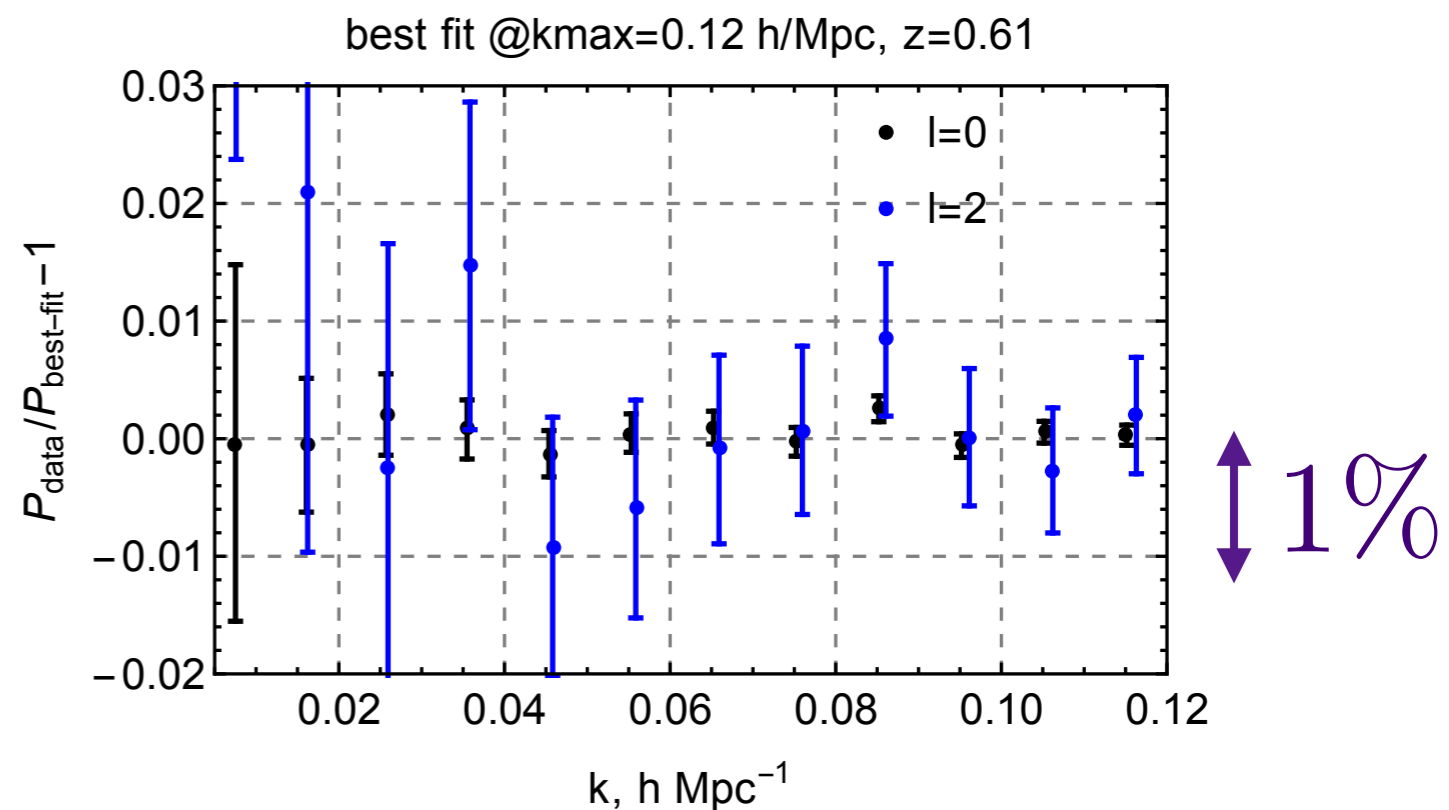
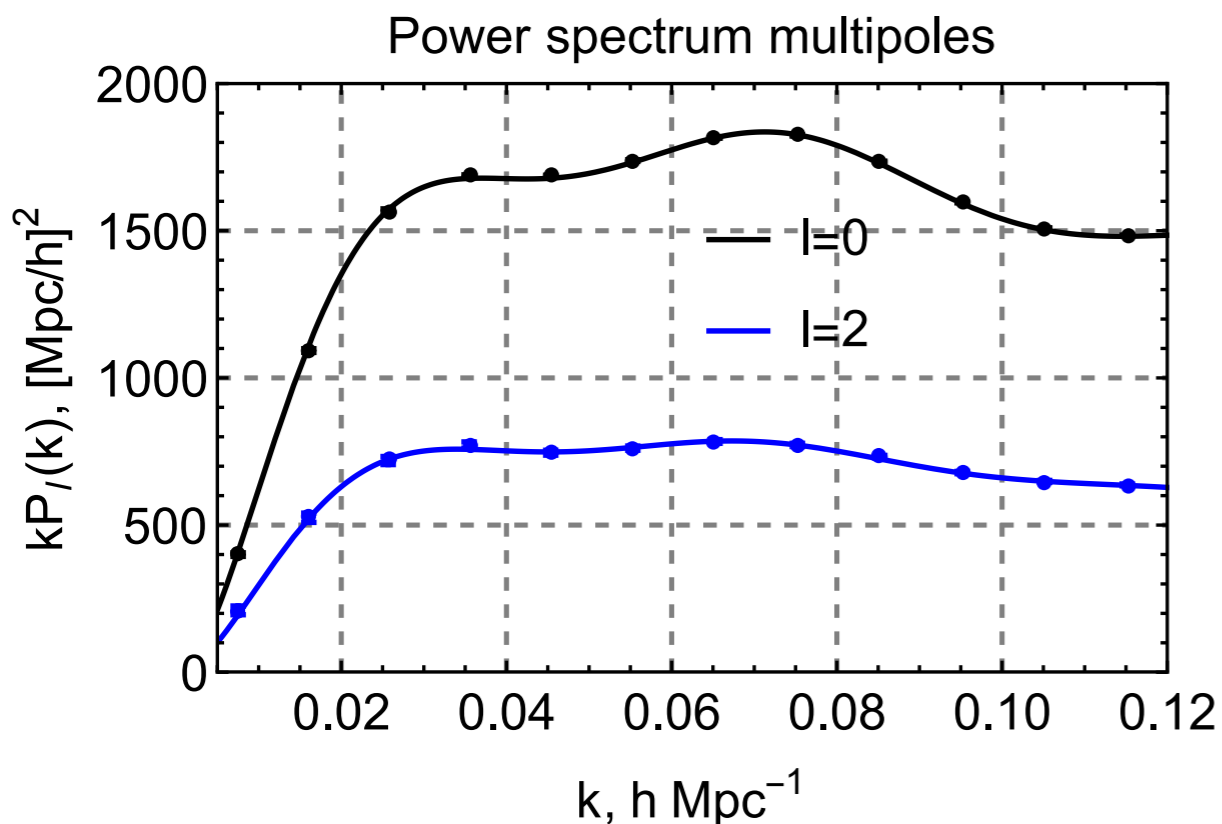
forecast for
DESI/Euclid

Results

Large N-body sims $\sim 600 (\text{Gpc}/h)^3 = 100\times \text{BOSS} = 10\times \text{DESI}$

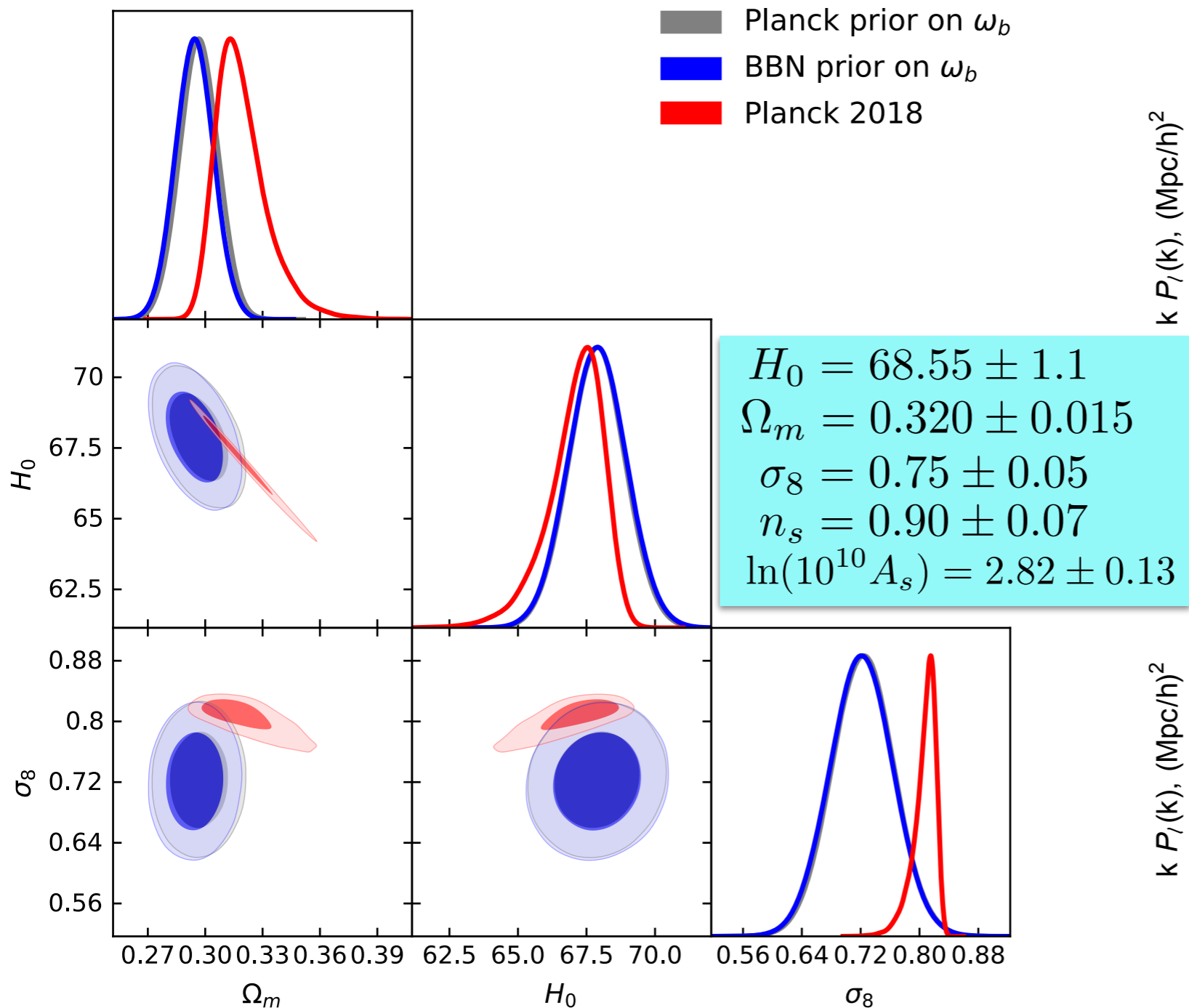
<http://www-utap.phys.s.u-tokyo.ac.jp/~nishimichi/data/PTchallenge/>

w/ M. Takada, T. Nishimichi

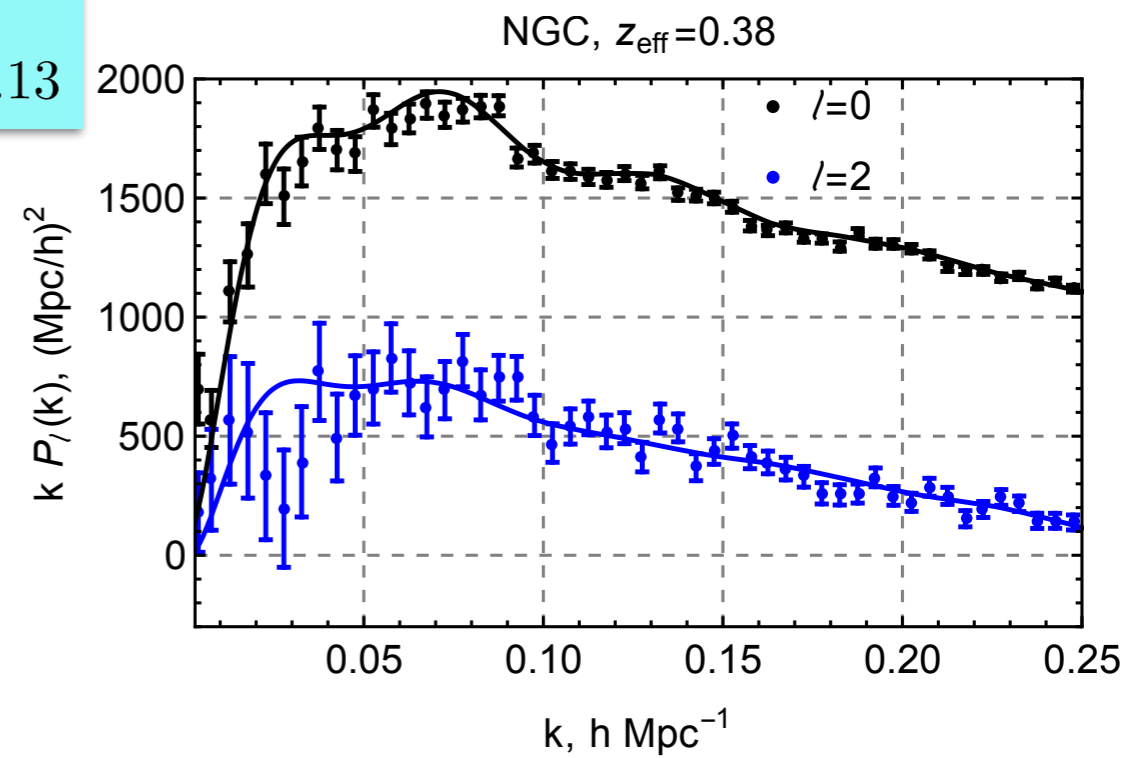
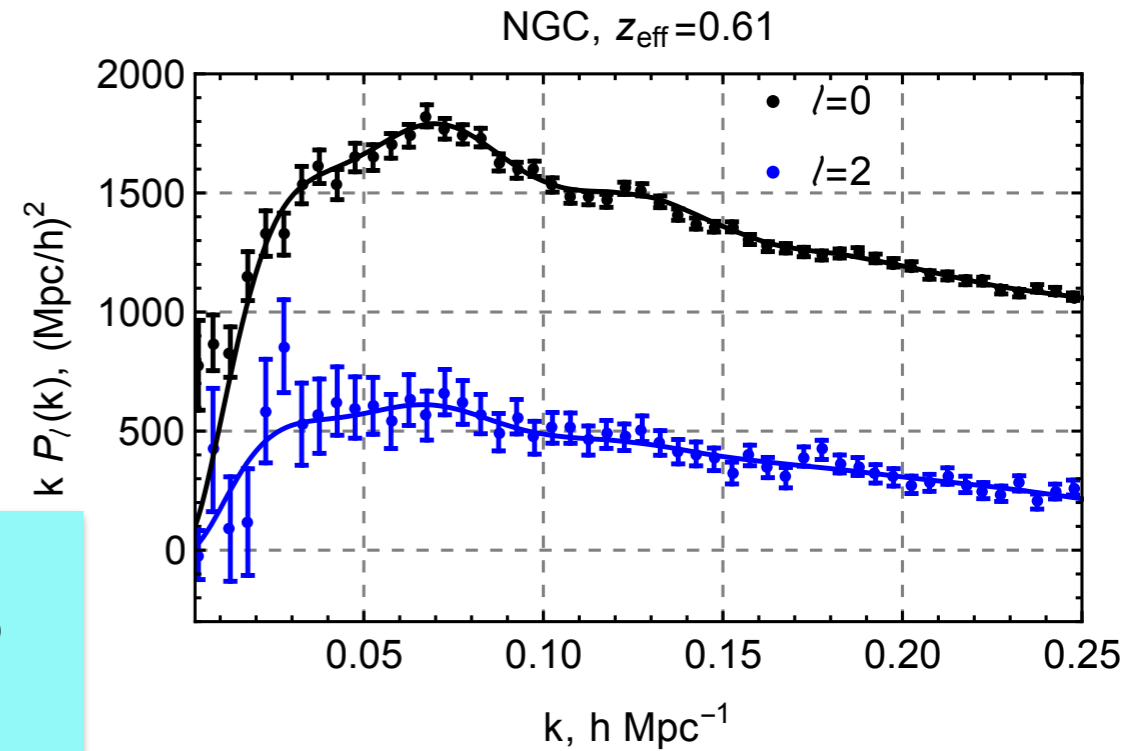


True cosmology recovered with $\sim 0.1\%$ accuracy

Reanalysis of the BOSS data (LCDM)



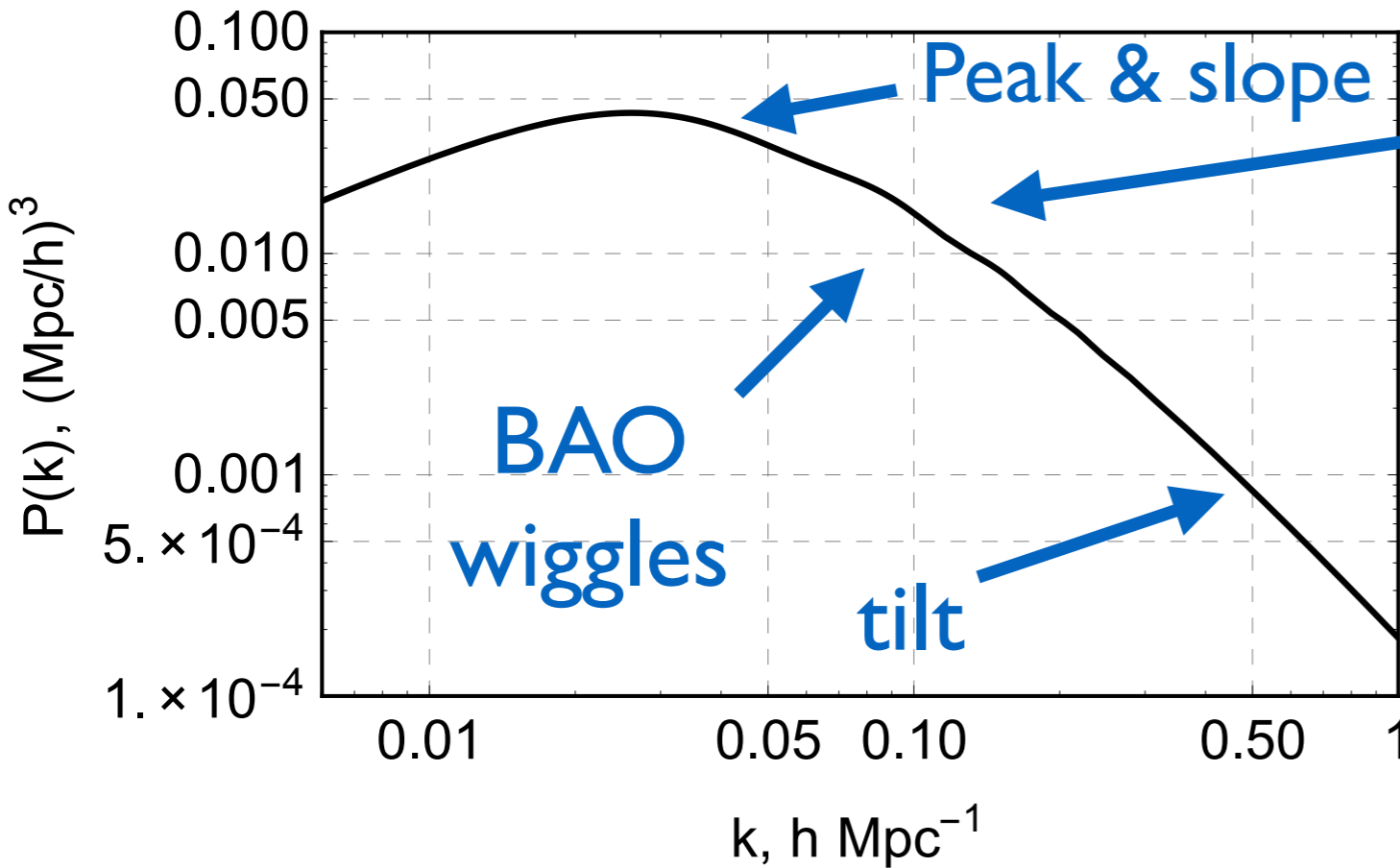
$z_{\text{eff}} = 0.38, 0.61$ (SGC + NGC)



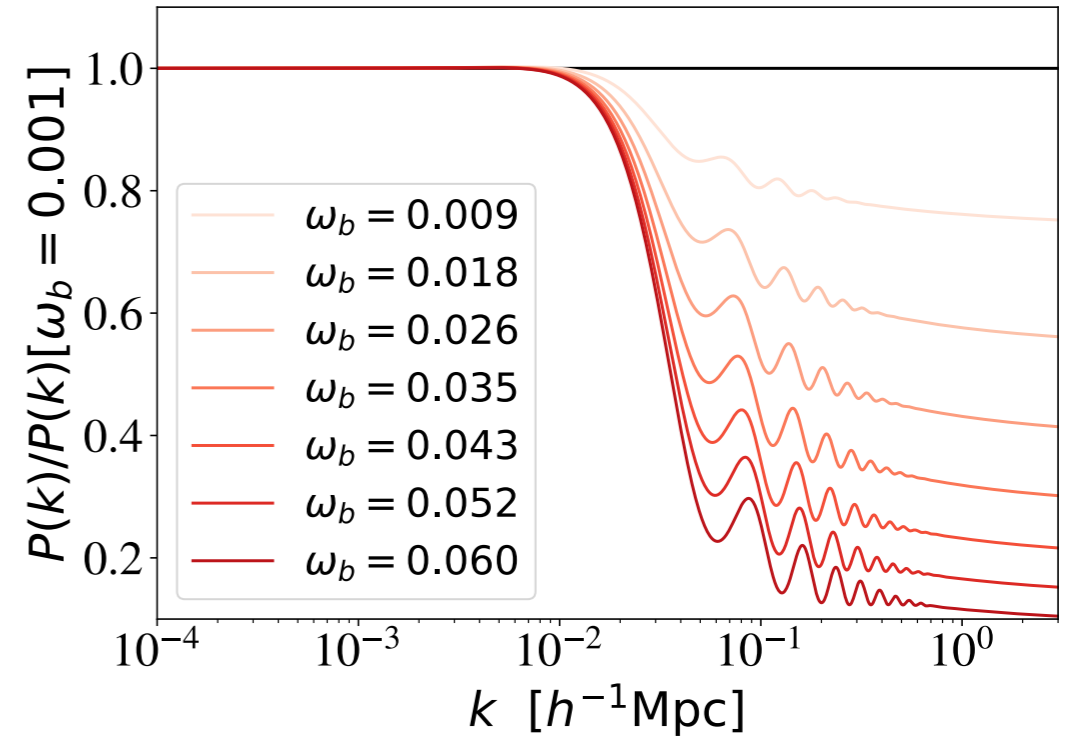
Nuisance params: $b_1, b_2, b_{\mathcal{G}_2}, P_{\text{shot}} + c_{\nabla^2 \delta}^{(0)}, c_{\nabla_z^2 \delta}^{(2)}, c_{\nabla_z^4 \delta}^{(0)+(2)}$

BBN prior on ob!

DM power spectrum, $z=1000$



baryonic step



Shape $(\omega_b, \omega_{cdm}, n_s)$



AP effect $D_A, H \rightarrow$ nothing



Distance $D_V \rightarrow H_0$

see Oliver Philcox's talk

Easy to include
beyond-SM !



Amplitude $f\sigma_8 \rightarrow \sigma_8$

Combining with Planck: EDE

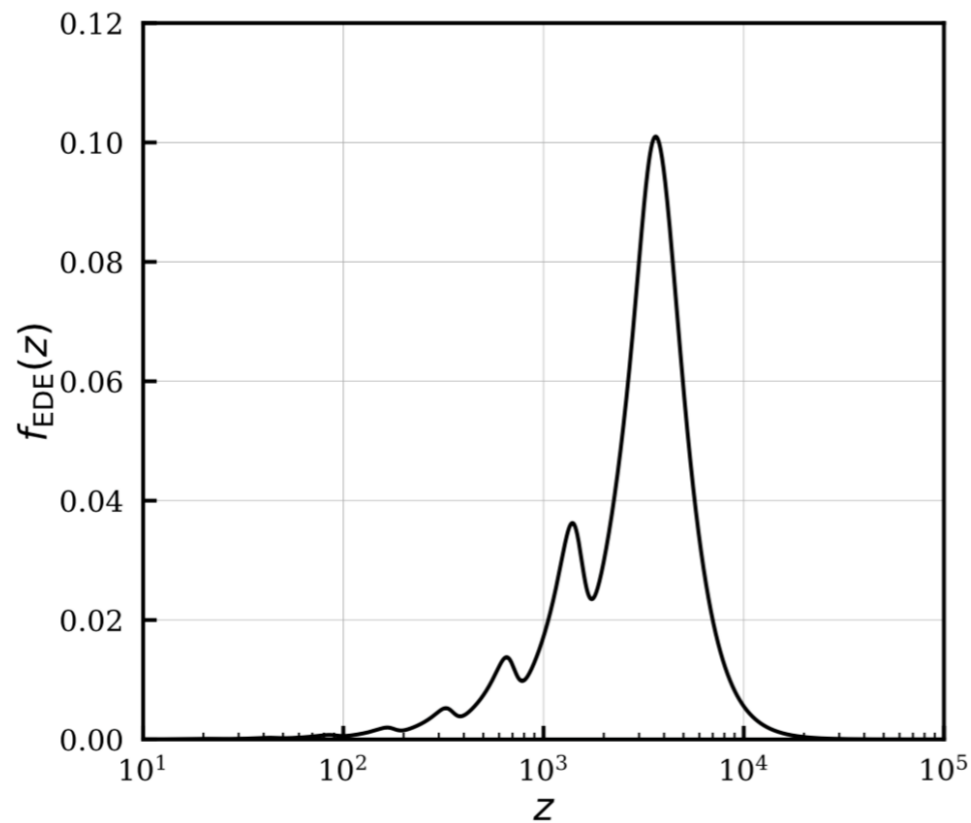
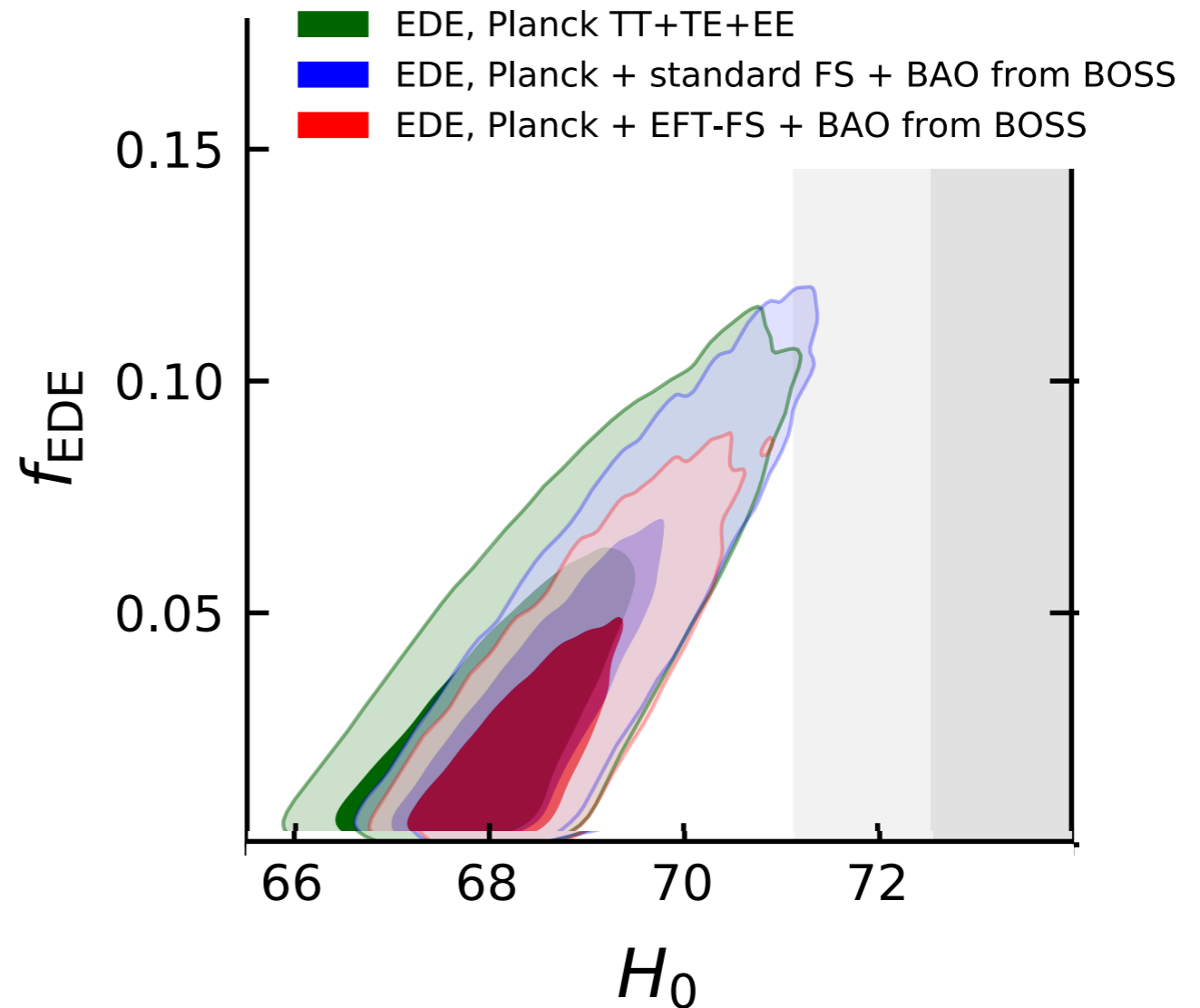


FIG. 1. Fraction of the cosmic energy density in the EDE field as a function of redshift, for the parameters in Eq. (7).

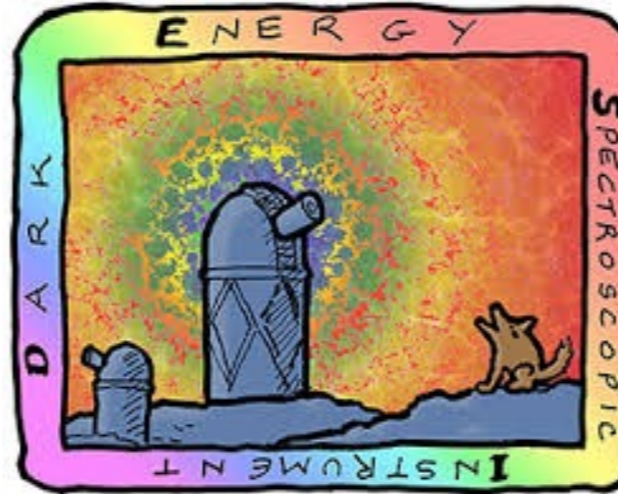


$$V = V_0 (1 - \cos(\phi/f))^n, \quad V_0 \equiv m^2 f^2.$$

2006.11235

H0-resolving
params. ruled out
by FS

The future



1907.06666 *w/ A. Chudaykin*

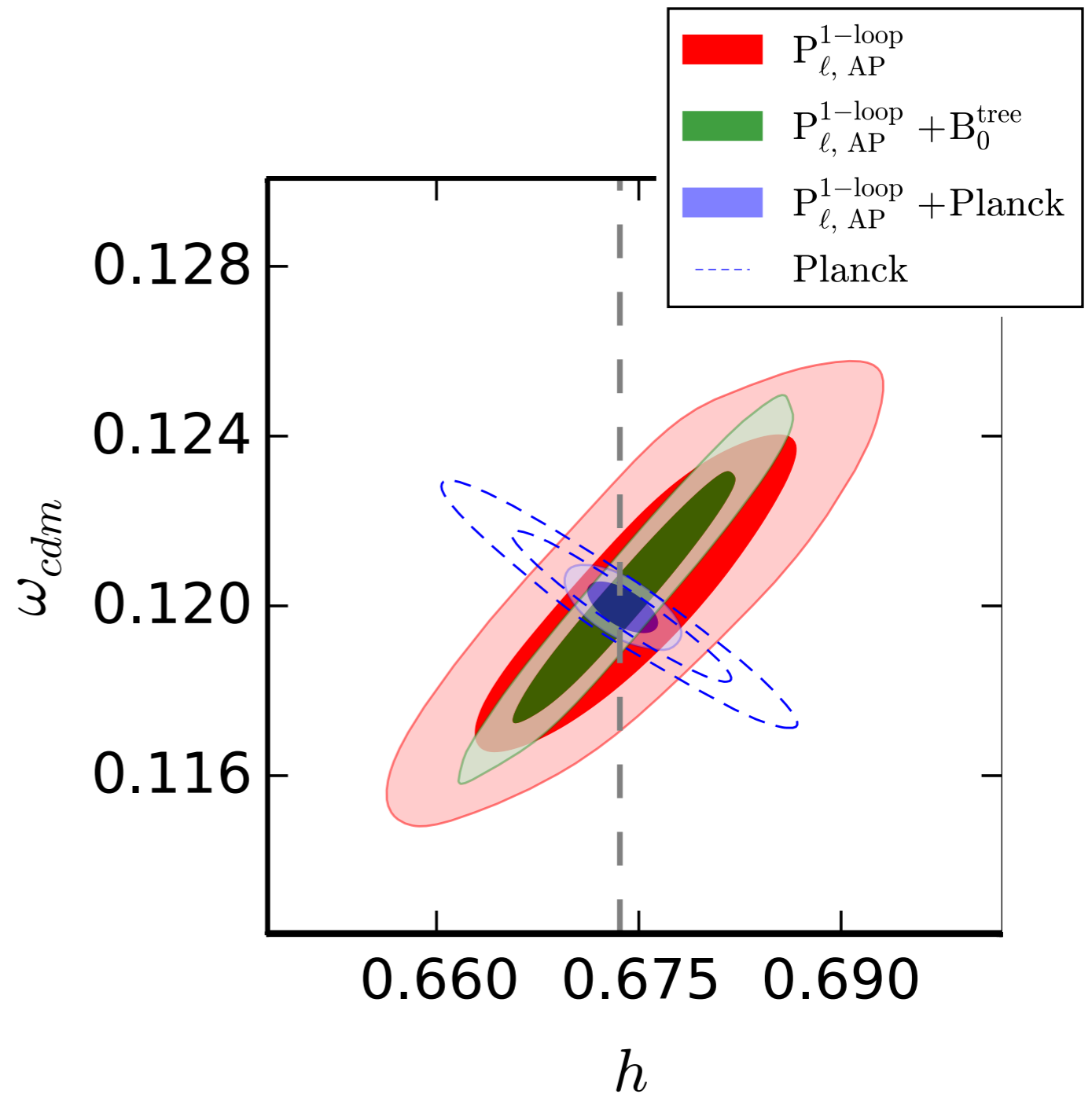
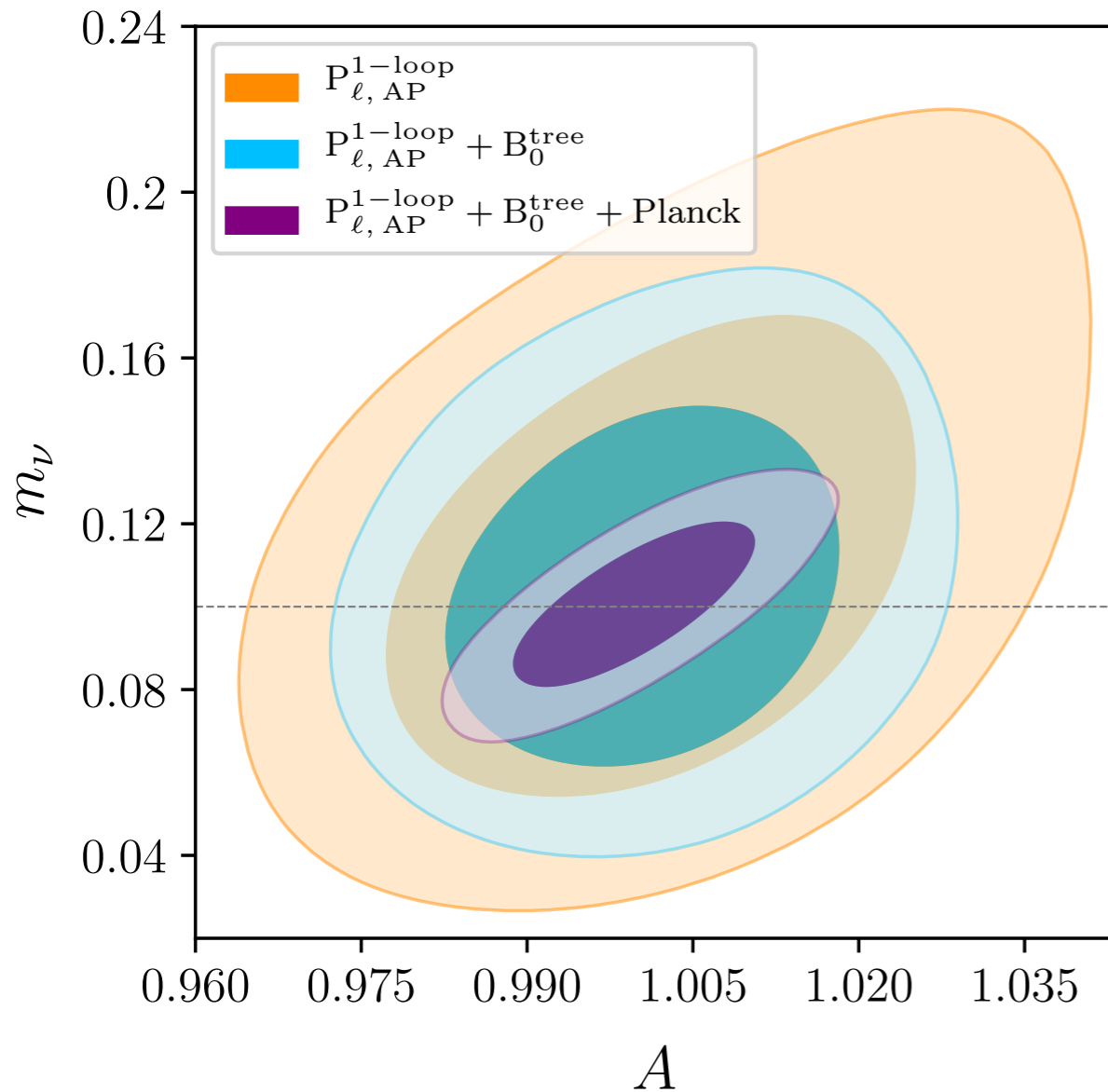
What if you gave me the data right now?

- ★ MCMC using the same pipeline w/ full non-linear model
- ★ Marginalize over all necessary nuisance params
- ★ Same data cuts as we use now

MCMC forecast for Euclid-like survey



$$\sigma(m_\nu) = 13 \text{ meV}$$





LSS (full-shape) is a powerful probe



PT is robust & precise, better than 0.1%



BOSS rivals Planck for H_0 and Ω_{m}



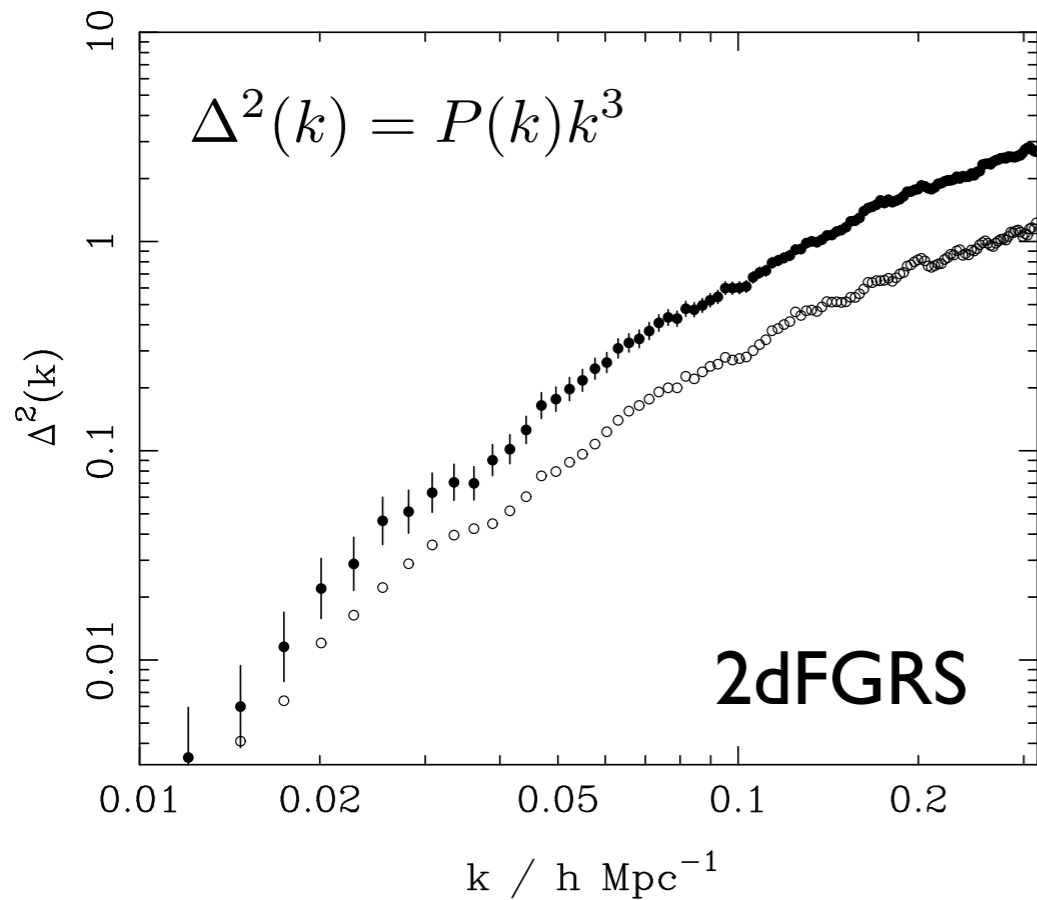
Cosmology similar or better than Planck with
DESI/Euclid



Detecting neutrino masses @5sigma

Ask me about the covariance matrices !

Thanks!

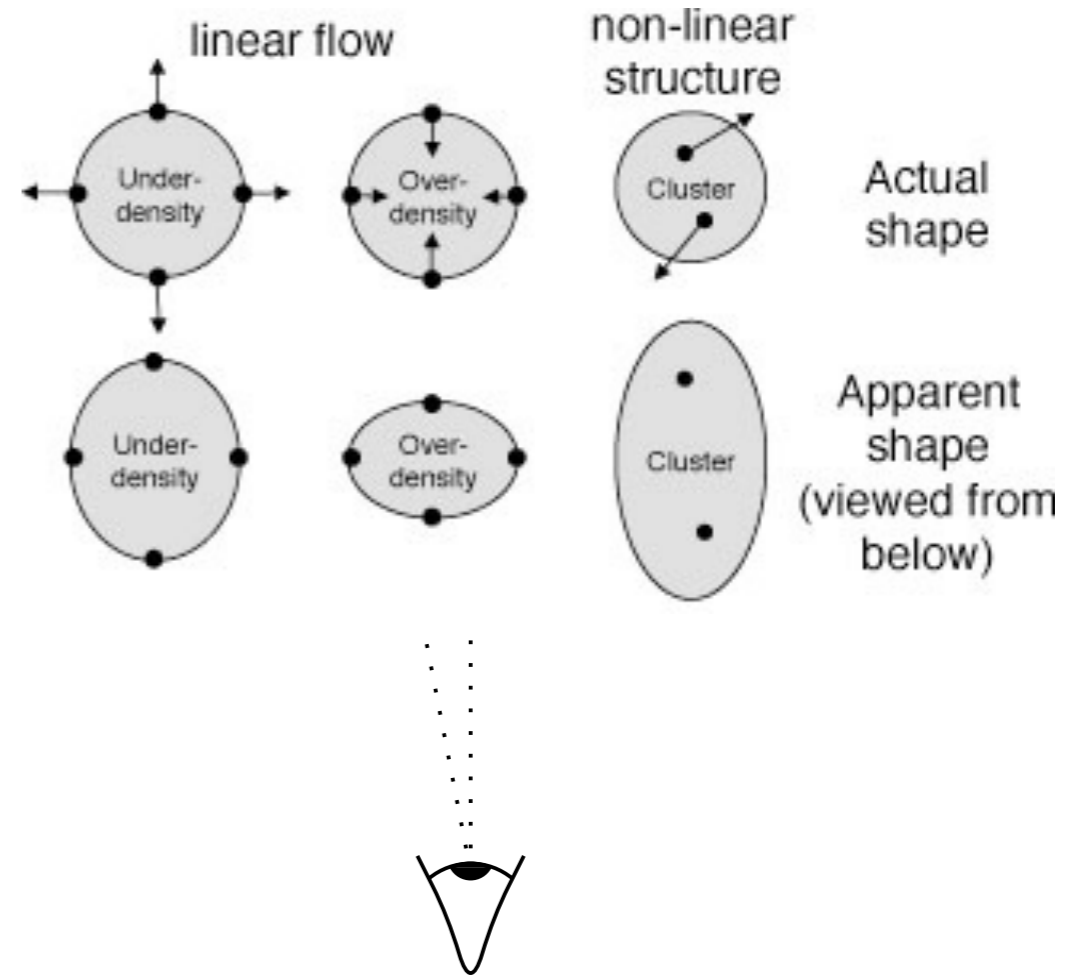


- Red galaxies
- blue galaxies

$$\delta_g = b_1 \delta_{dm}$$

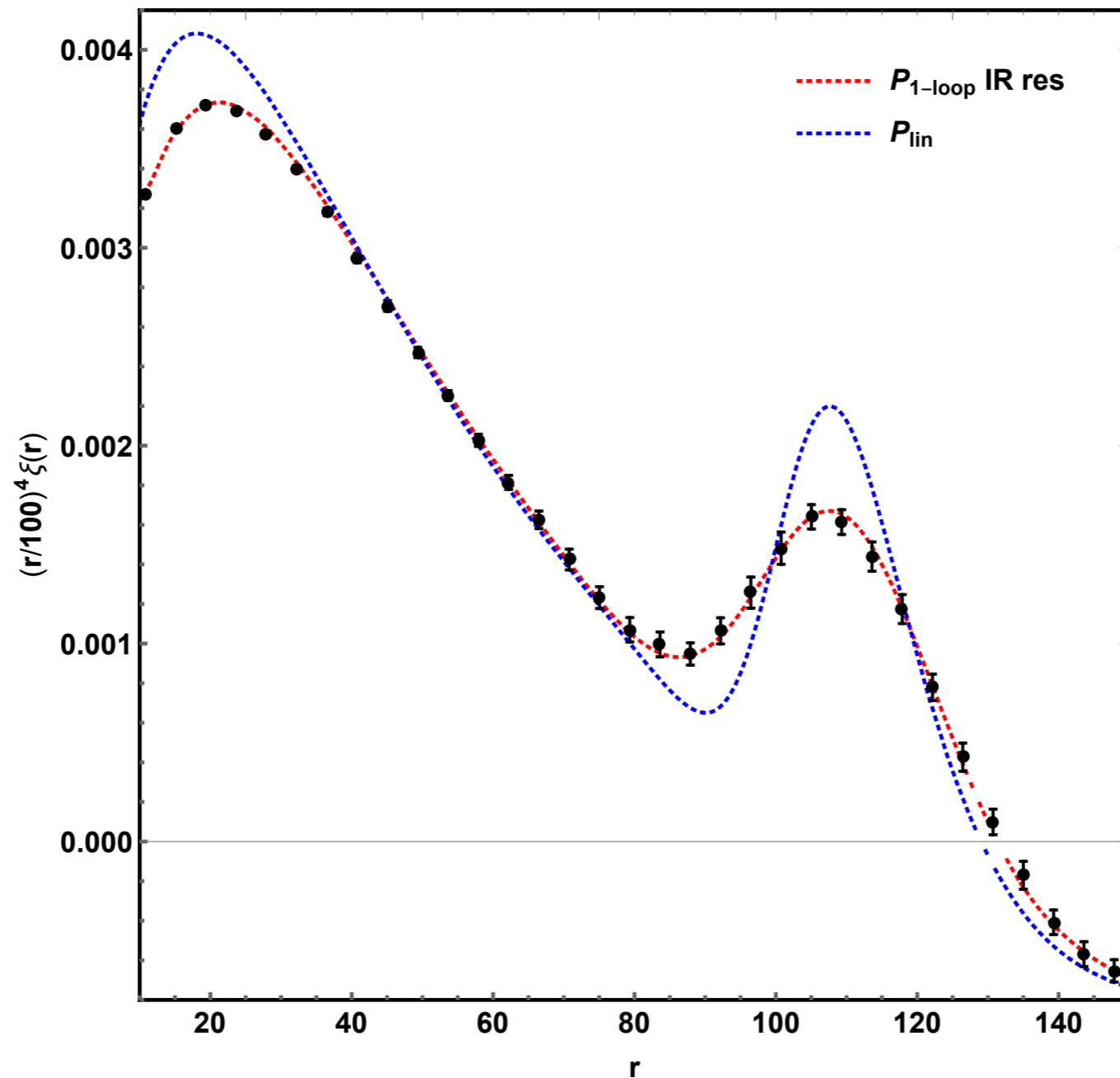
$$\delta_g = b_1 \delta_{dm} + \frac{b_2}{2} \delta_{dm}^2 + \frac{b_{\mathcal{G}_2}}{2} ((\partial_i \partial_j \Phi)^2 - (\Delta \Phi)^2) + \dots$$

$$v_{\text{obs}} = Hr + v_{\text{pec}}$$



$$P_L^r(k, \cos(\mathbf{k}, \mathbf{n})) = \left(b_1 + \frac{d \ln D_+}{d \ln a} \cos^2(\mathbf{k}, \mathbf{n}) \right)^2 P_L(k)$$

BAO and IR resummation



Measurements
by T. Baldauf

NO fitting parameters!

Same procedure for all tracers!

Crocce, Scoccimarro (2007)

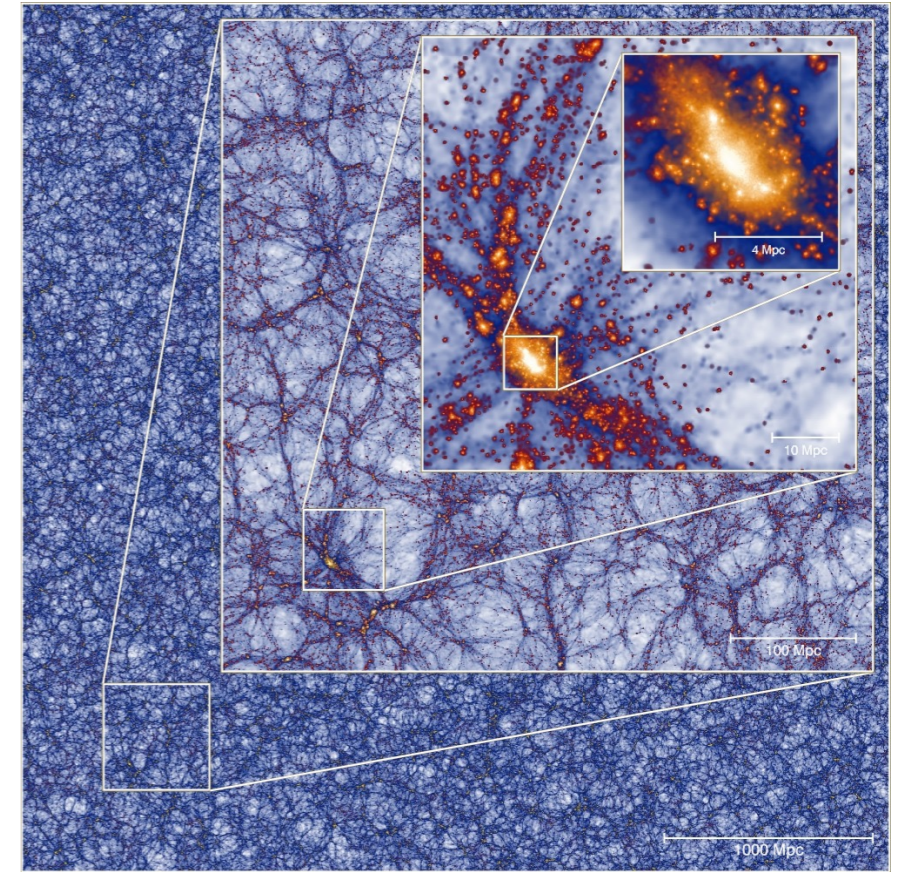
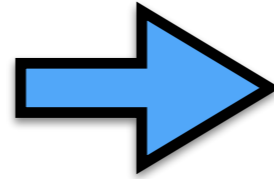
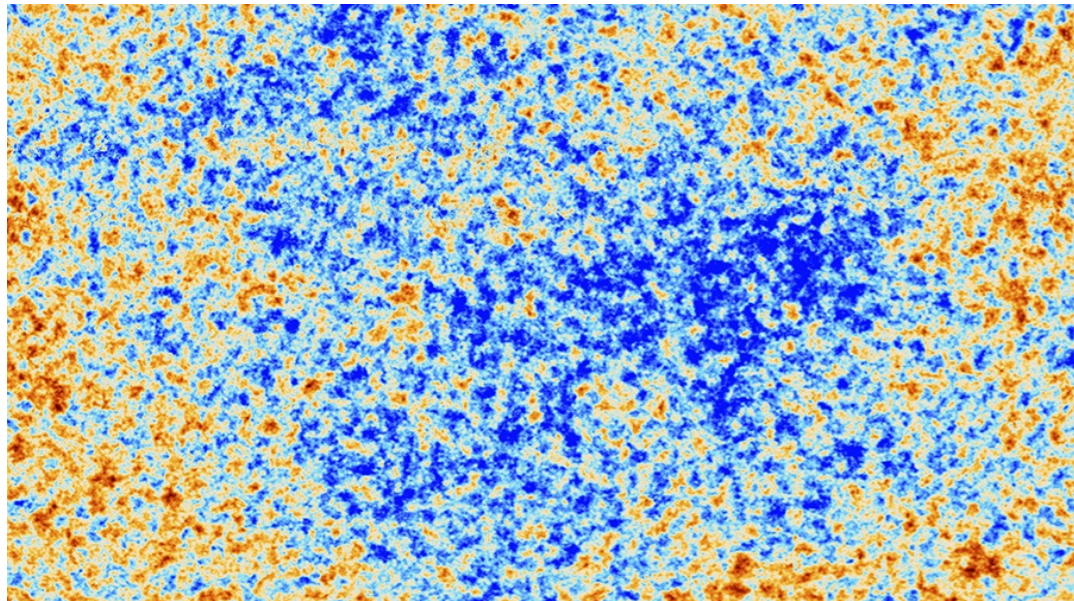
Senatore, Zaldarriaga (2014)

Baldauf, Mirbabayi, Simonovic, Zaldarriaga (2015)

Blas, Garny, MI, Sibiryakov (2016)

...

Non-Linearities come into play

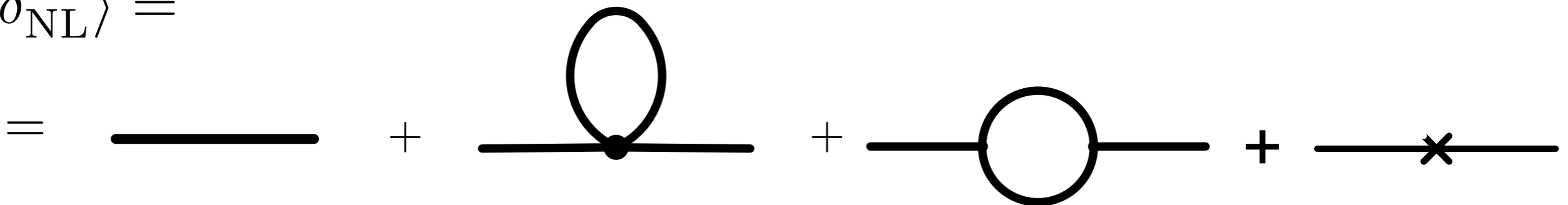


Baumann, Nicolis, Senatore, Zaldarriaga 2012: effective field theory approach

$$\delta_{\text{NL}} = \delta_L + F_2 \delta_L^2 + \dots + \gamma \nabla^2 \delta_L + \dots$$

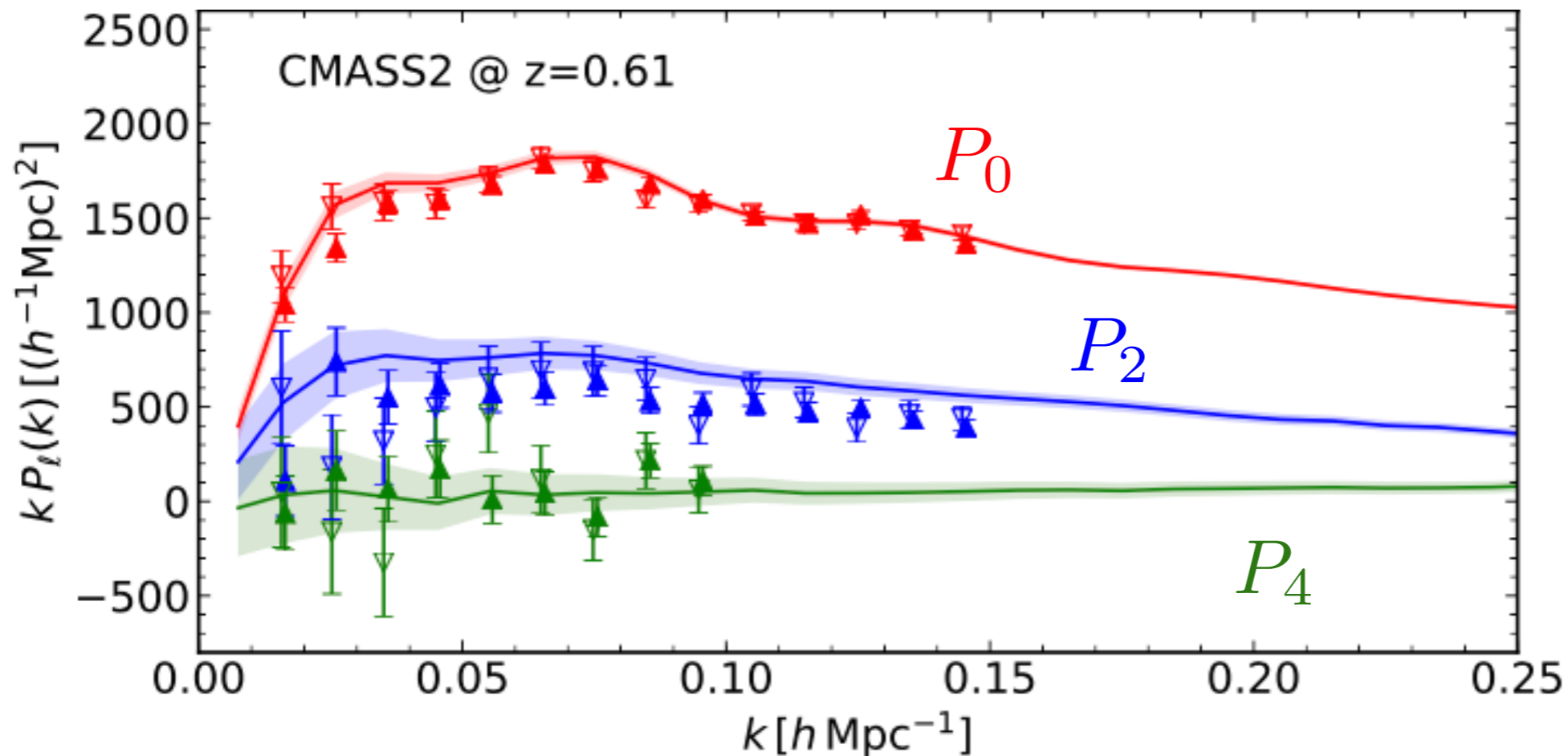
“counterterms”

$$\langle \delta_{\text{NL}}^2 \rangle =$$



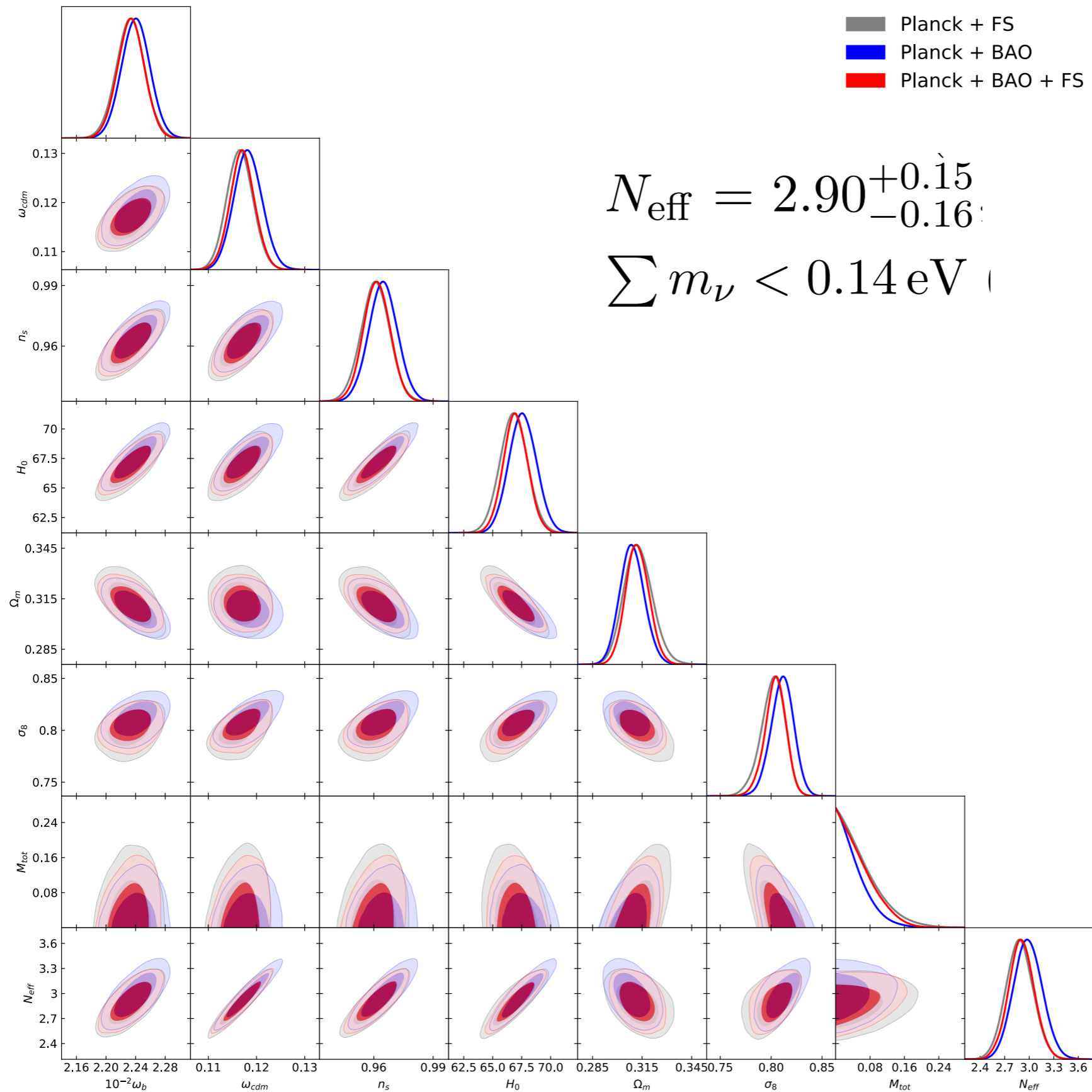
Blinded challenge

- ★ Large N-body sims $\sim 600 \text{ (Gpc}/h)^3$
= 100x BOSS = 10x DESI
- ★ BOSS-like galaxies
- ★ 3 unknown parameters: (Ω_m, H_0, A_s)
- ★ Given: redshift space $P(k)$

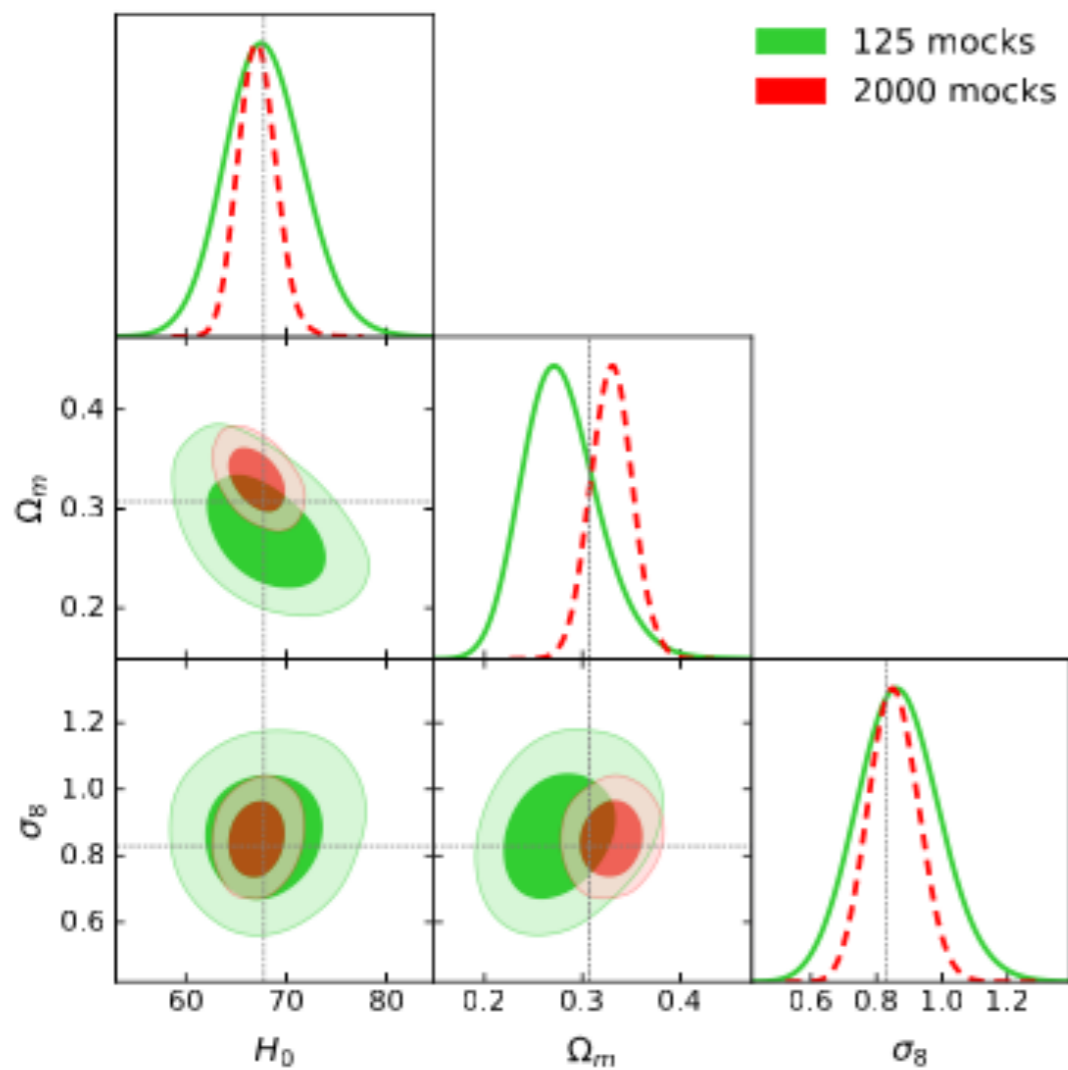


2003.08277

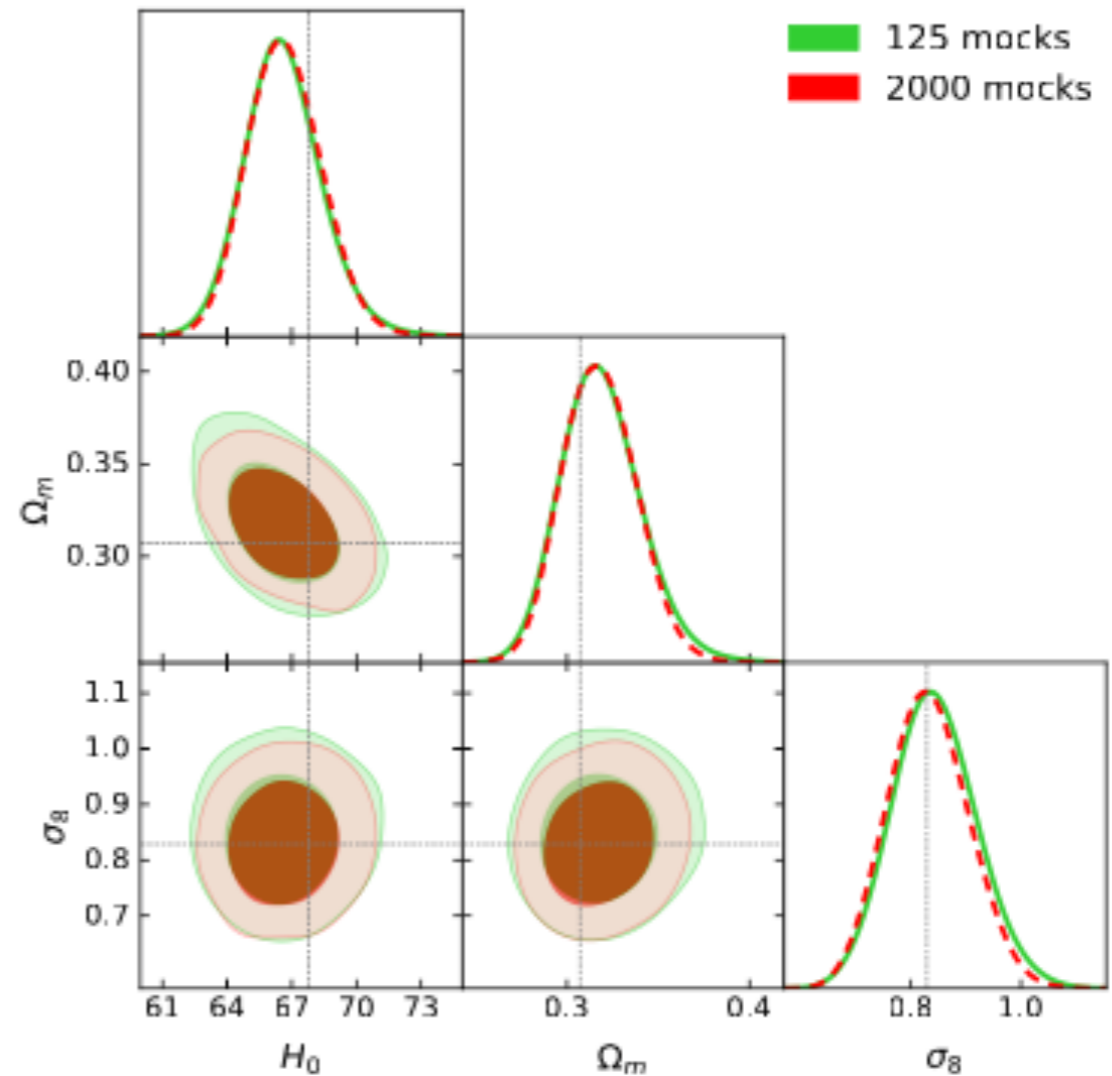
Combining with Planck



- ★ Covariance matrices: accurate parameter estimation with few mocks or without them!

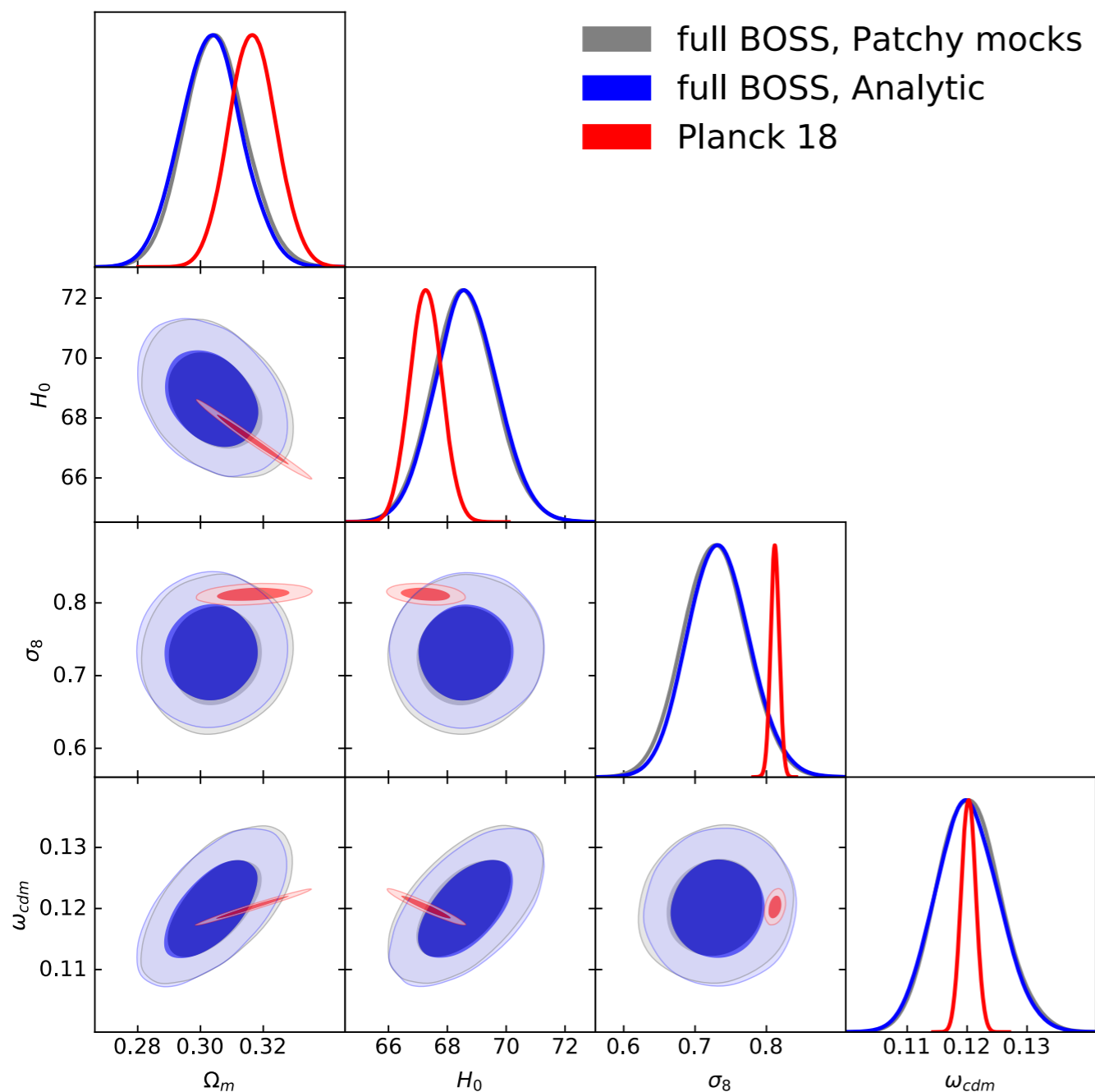


(a) 96-bin Power Spectrum



(c) 12 Subspace Coefficients

- ★ Covariance matrices: accurate parameter estimation with few mocks or without them!



PT covariances

Wadekar, Scoccimarro, 1910.02914

see Jay Wadekar's talk