

Unification for Darkly Charged Dark Matter

Masaki Yamada

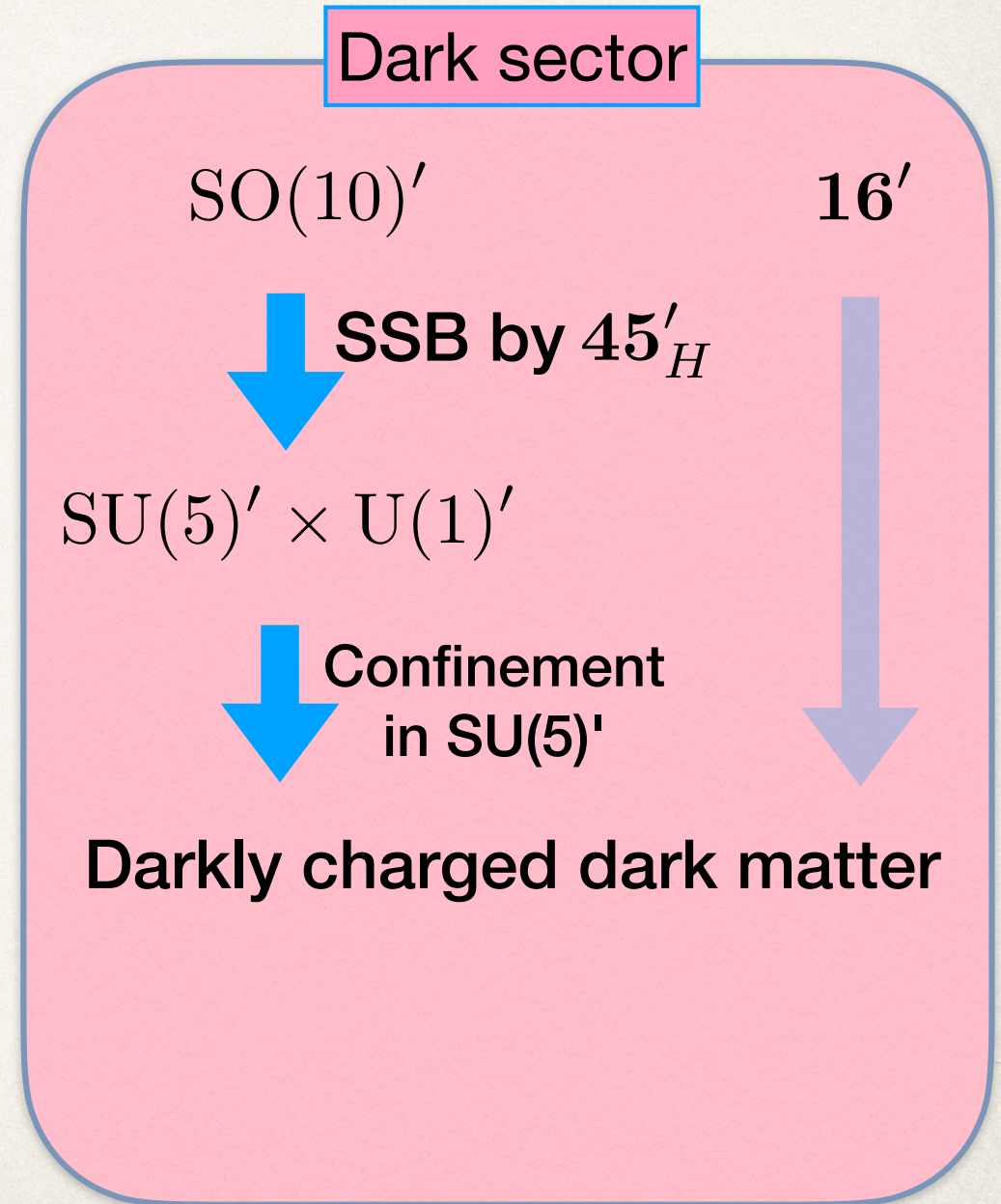
Tohoku University

in collaboration with

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Overview



Overview

Standard Model sector

$SO(10)$ 16^i ($i = 1, 2, 3$)

↓ **SSB by 45_H**

$SU(5) \times U(1)$

↓ **SSB**

$G_{SM} \times U(1)_{B-L}$

↓ **SSB**

G_{SM}

↓

SM particles
+ N_R

↓

SM particles

Dark sector

$SO(10)'$ $16'$

↓ **SSB by $45'_H$**

$SU(5)' \times U(1)'$

↓ **Confinement
in $SU(5)'$**

Darkly charged dark matter

↓

Outline

- Motivation of darkly charged DM and its UV theory
- Darkly charged DM from $SO(10)$ gauge theory
 - Gauge coupling constant and DM mass
 - Kinetic mixing and dark radiation
- Summary

Darkly charged DM

Dark matter is

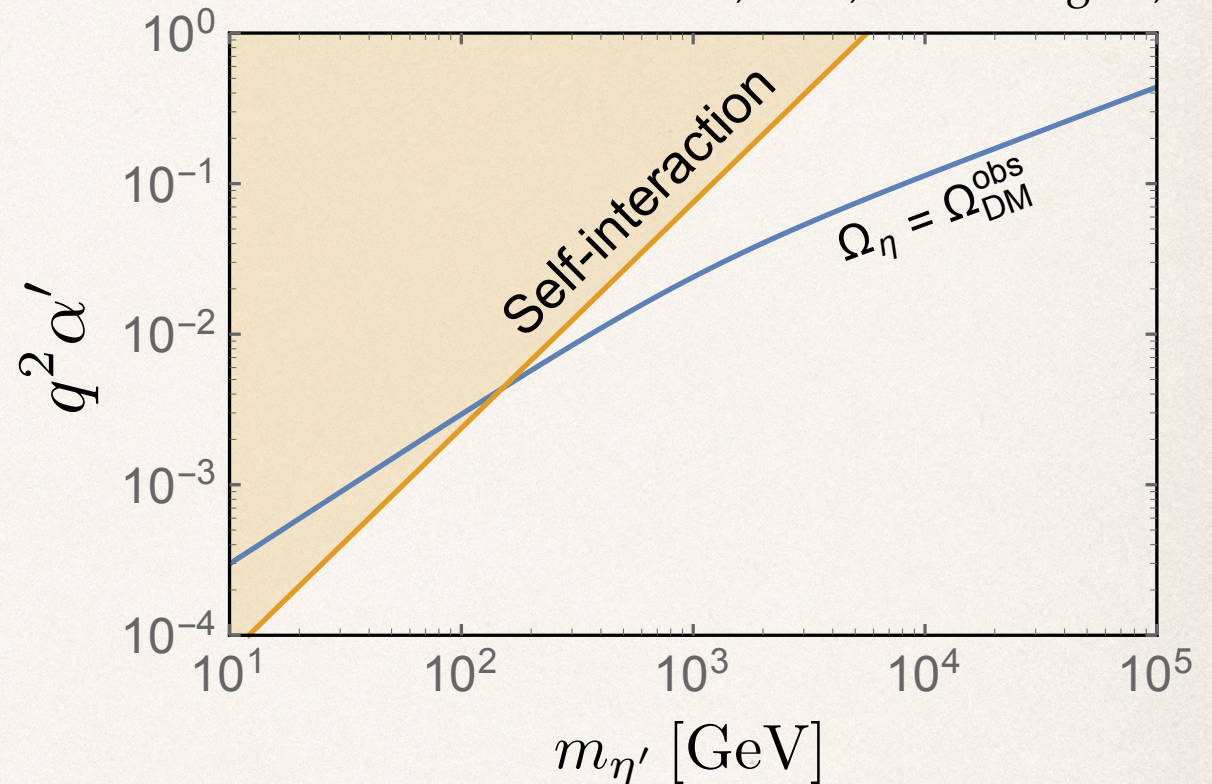
- stable
- neutral
- cold



Darkly charged DM?

- Thermal relic density: $\Omega_\eta h^2 \simeq 0.13 \left(\frac{m_\eta}{1 \text{ TeV}} \right)^2 \left(\frac{q^2 \alpha'}{0.025} \right)^{-2}$
- Self-interaction cross section: $\frac{\sigma_T}{m_\eta} \simeq 0.2 \text{ cm}^2/\text{g} \left(\frac{q^2 \alpha'}{0.025} \right)^2 \left(\frac{m_\eta}{1 \text{ TeV}} \right)^{-3} \left(\frac{v}{300 \text{ km/s}} \right)^{-4}$

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P. Agrawal, F.Y.Cyr-Racine, L.Randall, J.Scholts 16

Darkly charged DM

Dark matter is

- stable
- neutral
- cold

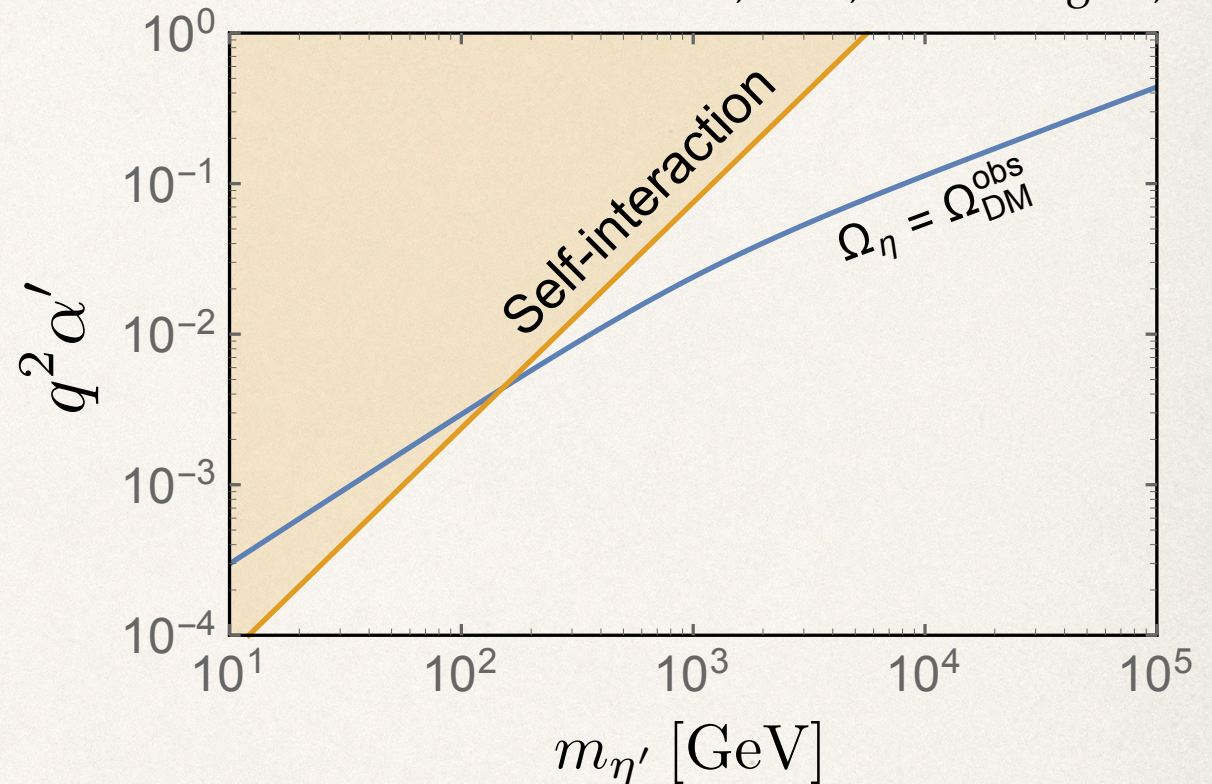


Darkly charged DM?

- Therm
- Self-in

- ❖ Why is the Dirac fermion so light?
- ❖ What is the origin of the $U(1)'$ gauge boson?

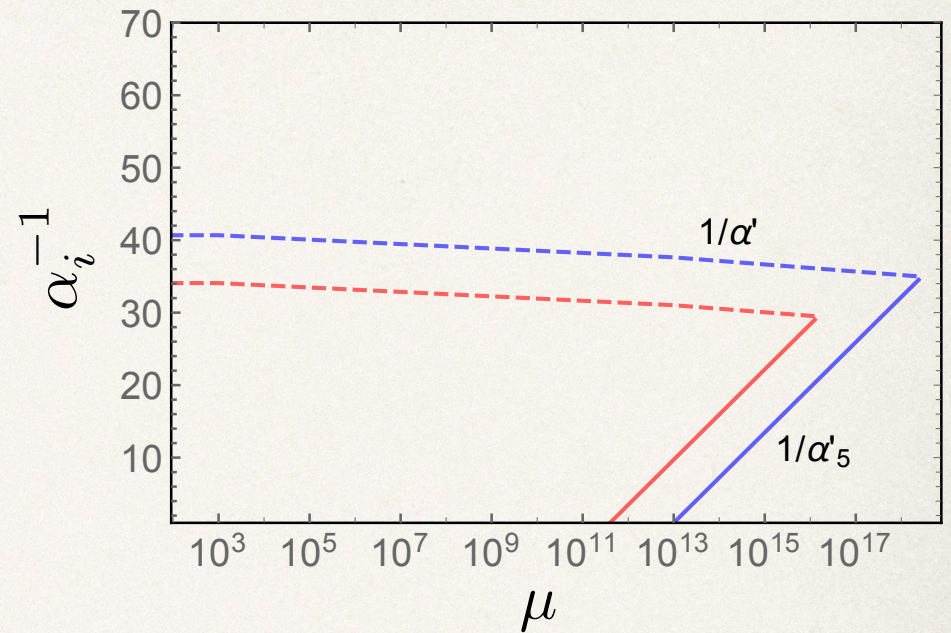
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$$\left(\frac{v}{300 \text{ km/s}} \right)^{-4}$$

Darkly charged DM from SO(10)' gauge theory

	Ψ'			
SO(10)'	16			+ Higgs
\downarrow SSB at $E \sim 10^{16-18}$ GeV				
	ψ'	χ'	N'	
SU(5)'	$\bar{\mathbf{5}}$	$\mathbf{10}$	$\mathbf{1}$	
U(1)'	$-3/5$	$1/5$	$\sqrt{10}/4$	



Darkly charged DM from SO(10)' gauge theory

	Ψ'	
SO(10)'	16	+ Higgs

↓ SSB at $E \sim 10^{16-18}$ GeV

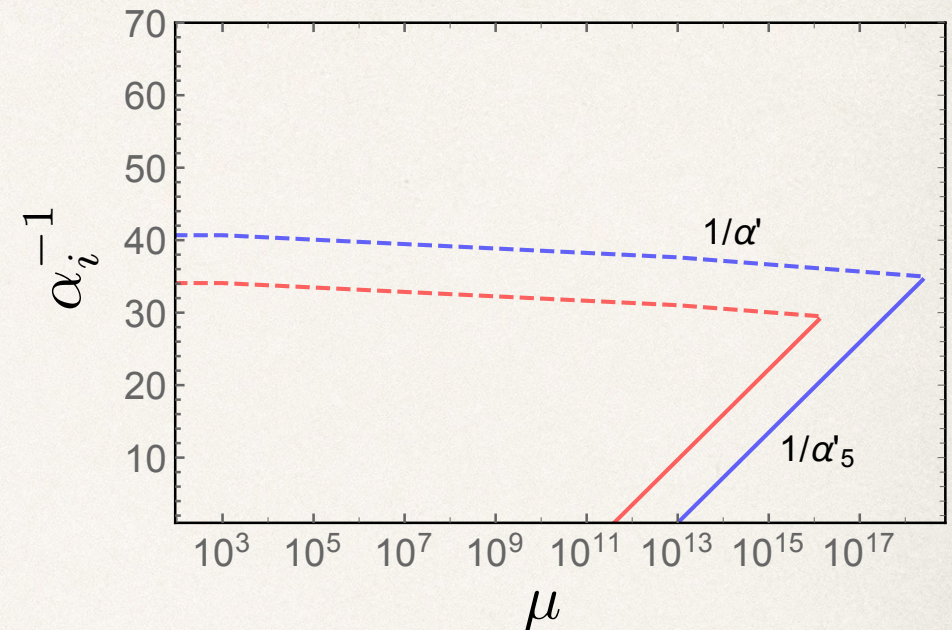
	ψ'	χ'	N'
SU(5)'	$\bar{\mathbf{5}}$	10	1
U(1)'	$-3/5$	$1/5$	$\sqrt{10}/4$

↓ Confinement in SU(5)' at $E \sim 10^{12-13}$ GeV

One linear combination of gauge singlets remains light.

$$\eta' \equiv c_1 \psi' \psi' \chi' + c_2 \psi' \chi'^{\dagger} \chi'^{\dagger} + c_3 \chi'^{\dagger} \chi'^{\dagger} \chi'^{\dagger} \chi'^{\dagger} \chi'^{\dagger}$$

	η'	N'
U(1)'	$-\sqrt{10}/4$	$\sqrt{10}/4$



S. Dimopoulos, S. Raby, L. Susskind, '80
N. Arkani-Hamed, Y. Grossman, '99

A. Kamada, M.Y., T. T. Yanagida, '19

Darkly charged DM from SO(10)' gauge theory

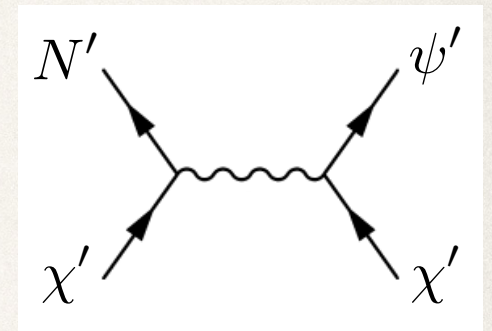
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S.Dimopoulos, S.Raby, L.Susskind, '80
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$$\eta' \equiv c_1 \psi' \psi' \chi' + c_2 \psi' \chi'^{\dagger} \chi'^{\dagger} + c_3 \chi'^{\dagger} \chi'^{\dagger} \chi'^{\dagger} \chi'^{\dagger} \chi'$$

The exchange of massive SO(10)' gauge boson induces dim-6 operator:

$$\frac{c}{M_{\text{GUT}' }^2} \chi'^{\dagger} \chi'^{\dagger} \psi' N' + \text{h.c.}$$

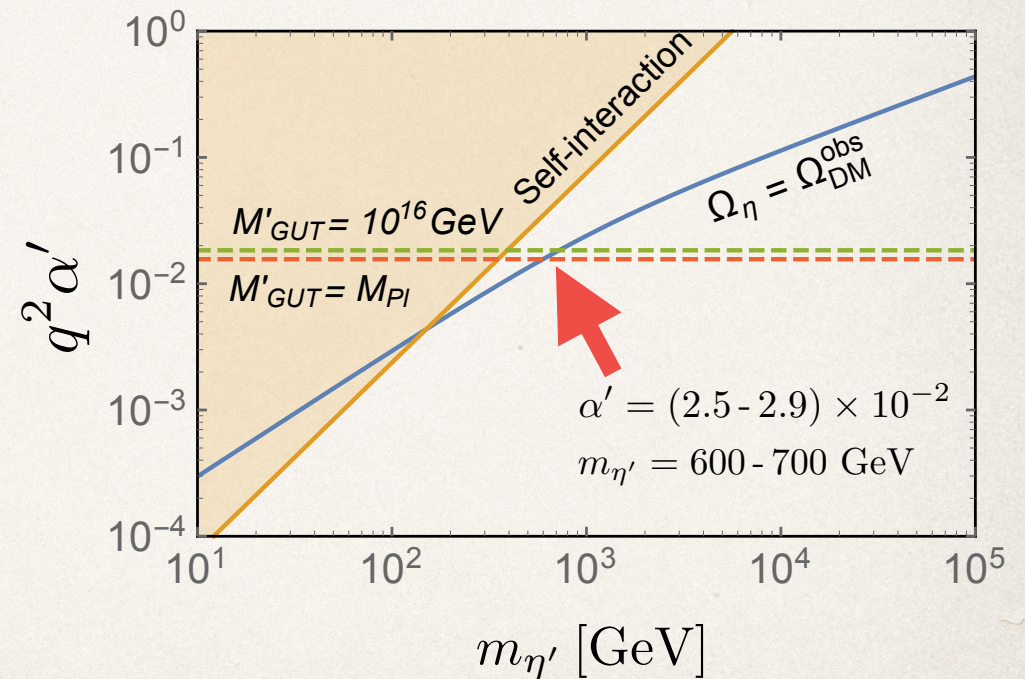
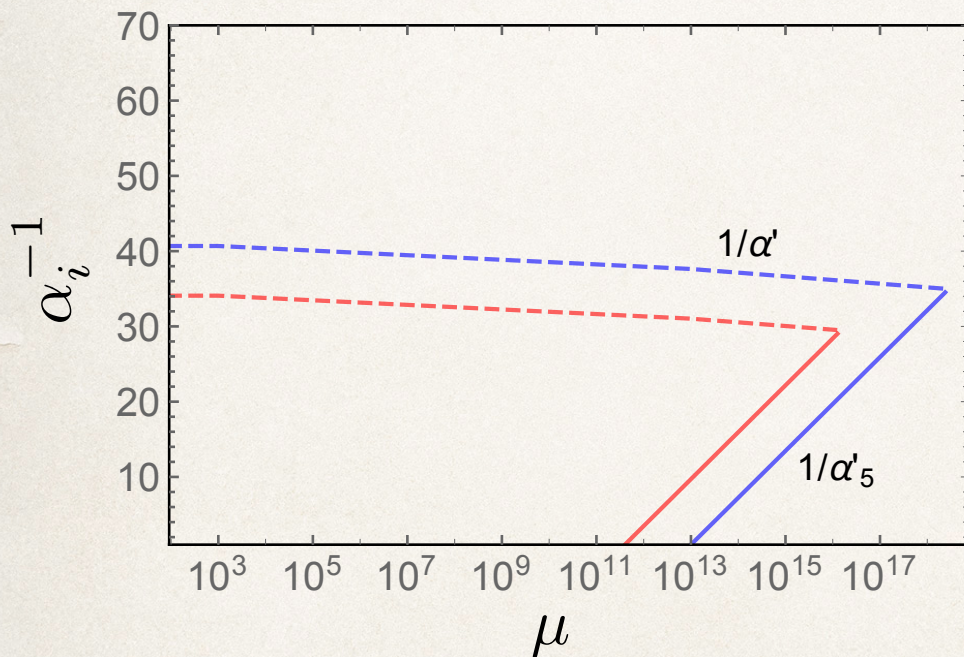


This results in a Dirac mass term for η' and N' .

$$m_{\eta'} \eta' N' + \text{h.c.} \quad \text{where} \quad m_{\eta'} \sim c' \frac{(\Lambda'_5)^3}{M_{\text{GUT}' }^2} \\ \sim 1 \text{ TeV} \left(\frac{\Lambda'_5}{10^{13} \text{ GeV}} \right)^3 \left(\frac{M_{\text{GUT}'}}{10^{18} \text{ GeV}} \right)^{-2}$$

Gauge coupling constant and DM mass

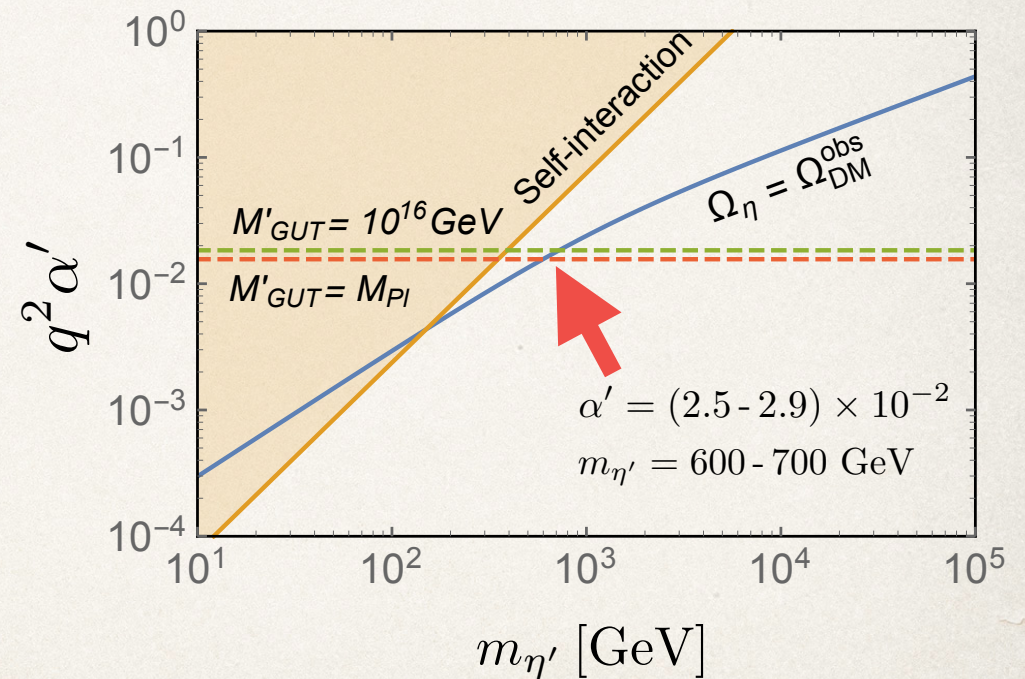
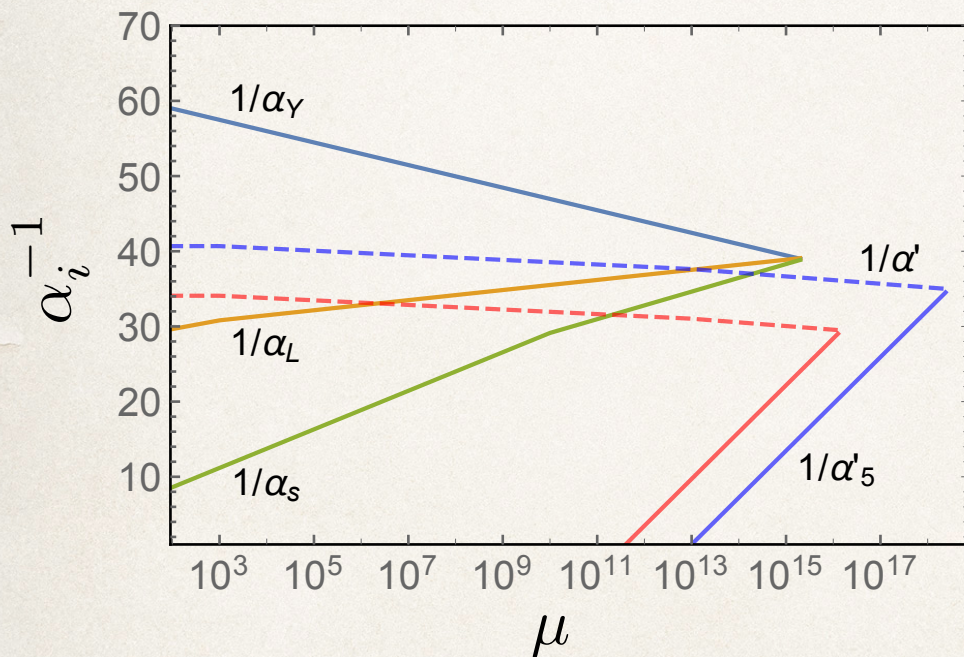
Assuming $E_{\text{GUT}'} \sim 10^{16-18}$ GeV,
we can predict α' and $m_{\eta'}$.



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we can predict α' and $m_{\eta'}$.



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SO(10) GUTs in SM and dark sectors

Standard Model sector

SO(10) 16^i ($i = 1, 2, 3$)

↓ **SSB by 45_H**

SU(5) × U(1)

↓ **SSB**

$G_{SM} \times U(1)_{B-L}$

↓ **SSB**

G_{SM}

SM particles
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SM particles

Dark sector

SO(10)' $16'$

↓ **SSB by $45'_H$**

SU(5)' × U(1)'

↓ **Confinement
in SU(5)'**

U(1)'

DM

Kinetic mixing between $U(1)_Y$ and $U(1)'$

Standard Model sector

$SO(10)$ 16^i ($i = 1, 2, 3$)

SSB by 45_H

Dark sector

$SO(10)'$ $16'$

SSB by $45'_H$

We can write down

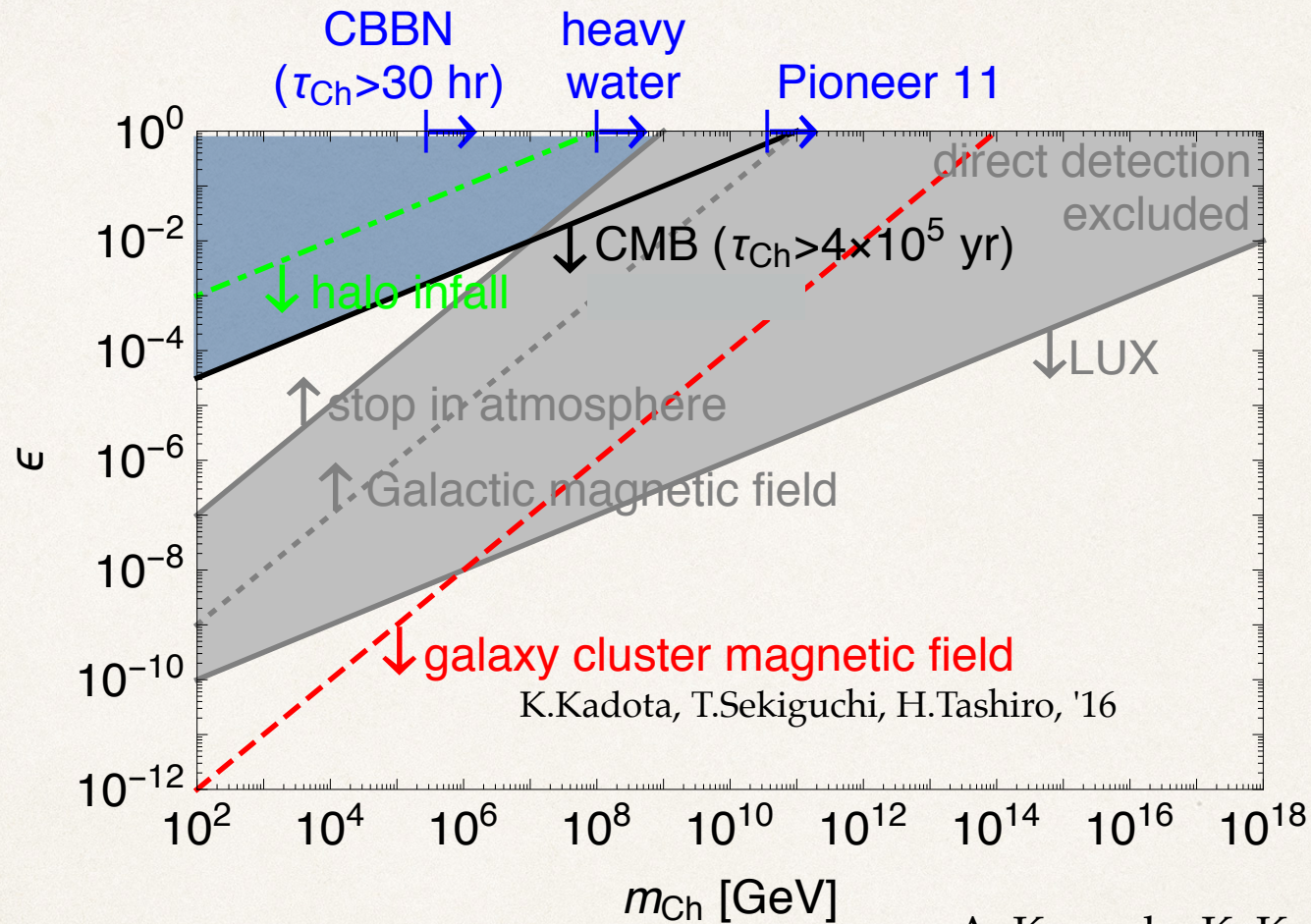
$$\frac{c'}{M_{\text{Pl}}^2} 45_H (F_{10})_{\mu\nu} 45'_H (F'_{10'})^{\mu\nu}$$

This gives a kinetic mixing between $U(1)_Y$ and $U(1)'$

$$\epsilon \sim c' (v_{\text{GUT}}/M_{\text{Pl}})(v'/M_{\text{Pl}}) = \mathcal{O}(10^{-(3-6)})$$

DM

Kinetic mixing between $U(1)_Y$ and $U(1)'$



A. Kamada, K. Kohri, T. Takahashi, N. Yoshida, '16

$$\epsilon \sim c' (v_{GUT}/M_{Pl})(v'/M_{Pl}) = \mathcal{O}(10^{-(3-6)})$$

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Kinetic mixing between $U(1)_Y$ and $U(1)'$

Standard Model sector

Dark sector

We can write down

$$\frac{c'}{M_{\text{Pl}}^2} 45_H (F_{10})_{\mu\nu} 45'_H (F'_{10'})^{\mu\nu}$$

This gives a kinetic mixing between $U(1)_Y$ and $U(1)'$

$$\epsilon \sim c' (v_{\text{GUT}}/M_{\text{Pl}})(v'/M_{\text{Pl}}) = \mathcal{O}(10^{-(3-6)})$$

Both sectors have the same temperature because of the interaction via the kinetic mixing.

Dark radiation

Standard Model sector

SO(10) 16^i ($i = 1, 2, 3$)

↓ SSB by 45_H

SU(5) × U(1)

↓ SSB

$G_{SM} \times U(1)_{B-L}$

↓ SSB

G_{SM}

↓

SM particles
+ N_R

↓

SM particles

Dark sector

SO(10)' $16'$

↓ SSB by $45'_H$

SU(5)' × U(1)'

↓ Confinement
in SU(5)'

U(1)'

= Dark radiation

$\Delta N_{\text{eff}} \simeq 0.07$

↓

DM

Dark radiation

Standard Model sector

SO(10) 16^i ($i = 1, 2, 3$)

↓ SSB by 45_H

SU(5) × U(1)

↓ SSB

$G_{SM} \times U(1)_{B-L}$

↓ SSB

G_{SM}

↓

SM particles
+ N_R

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SM particles

Dark sector

SO(10)' $16'$

↓ SSB by $45'_H$

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U(1)'

= Dark radiation

$\Delta N_{\text{eff}} \simeq 0.07$

↓

DM

CMB-S4: $\delta(N_{\text{eff}}) = 0.016$

Summary

	Ψ'	
$\text{SO}(10)'$	16	+ Higgs



Darkly charged dark matter with mass of 600-700 GeV

Gauge coupling constant is $\alpha' = (2.5 - 2.9) \times 10^{-2}$.

$U(1)'$ gauge boson is dark radiation with $\Delta N_{\text{eff}} \simeq 0.07$.